

Supernovae Feedback II: Impact on Galaxies and Host Halos

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Lecture Notes for Advanced Cosmology 2019
Hebrew University of Jerusalem

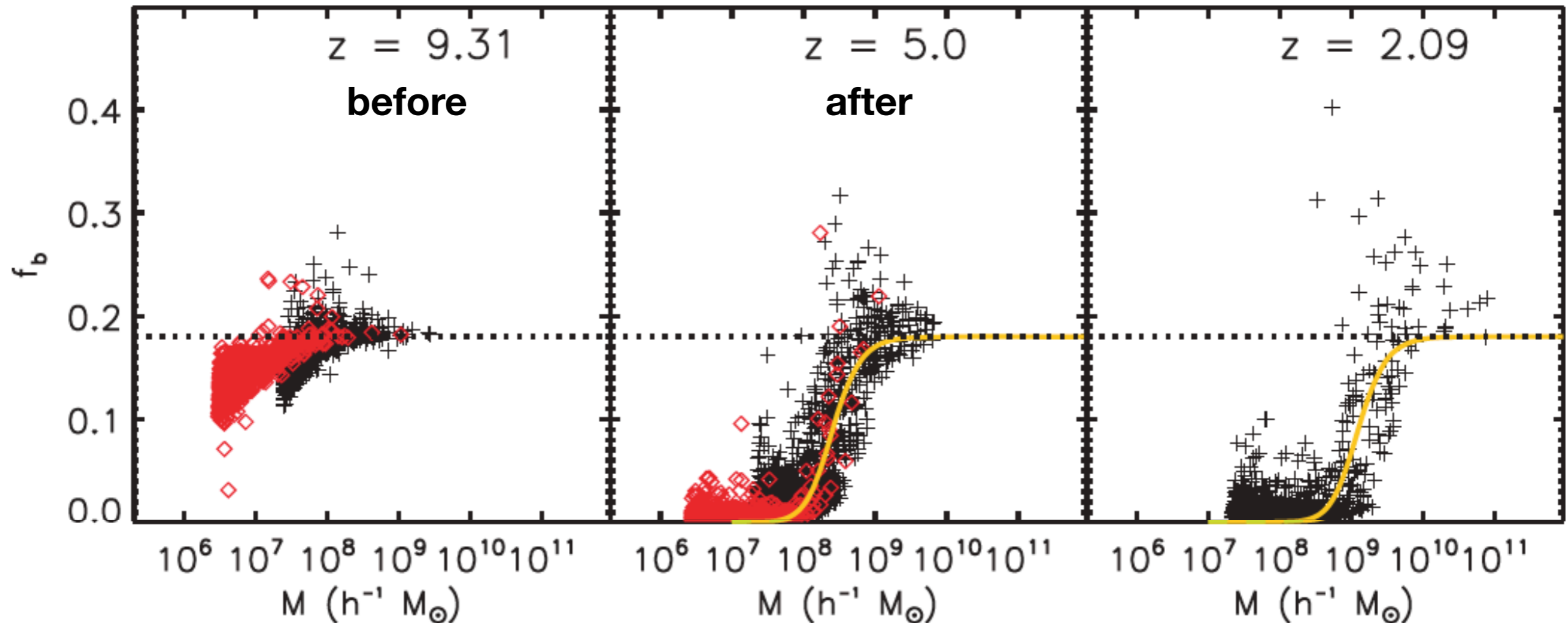
Outline

- What is “feedback”?
- Why do we need feedback?
- How does SN feedback work? (analytic arguments, simulations)
- Impact on galaxies (ultra-diffuse galaxies)
- Impact on dark-matter halos (cusp-core issue)

What is feedback?

Feedback (fdbk) is a process that regulates the growth of galaxies, suppressing (negative fdbk) or boosting (positive fdbk) star formation

- Photoheating (UV background) fdbk:
 - Reionization heats the gas in the IGM to $\sim 10^4\text{K}$
 - DM halos with a “virial temperature” less than 10^4K cannot retain baryons. ($T=10^4\text{K} \sim V=20\text{km/s}$ at $z_{\text{reionization}}$)



- SN fdbk: SN goes off, heats the ISM, halts further star formation
- AGN fdbk: AGN releases energy that couples to gas, prevents star formation

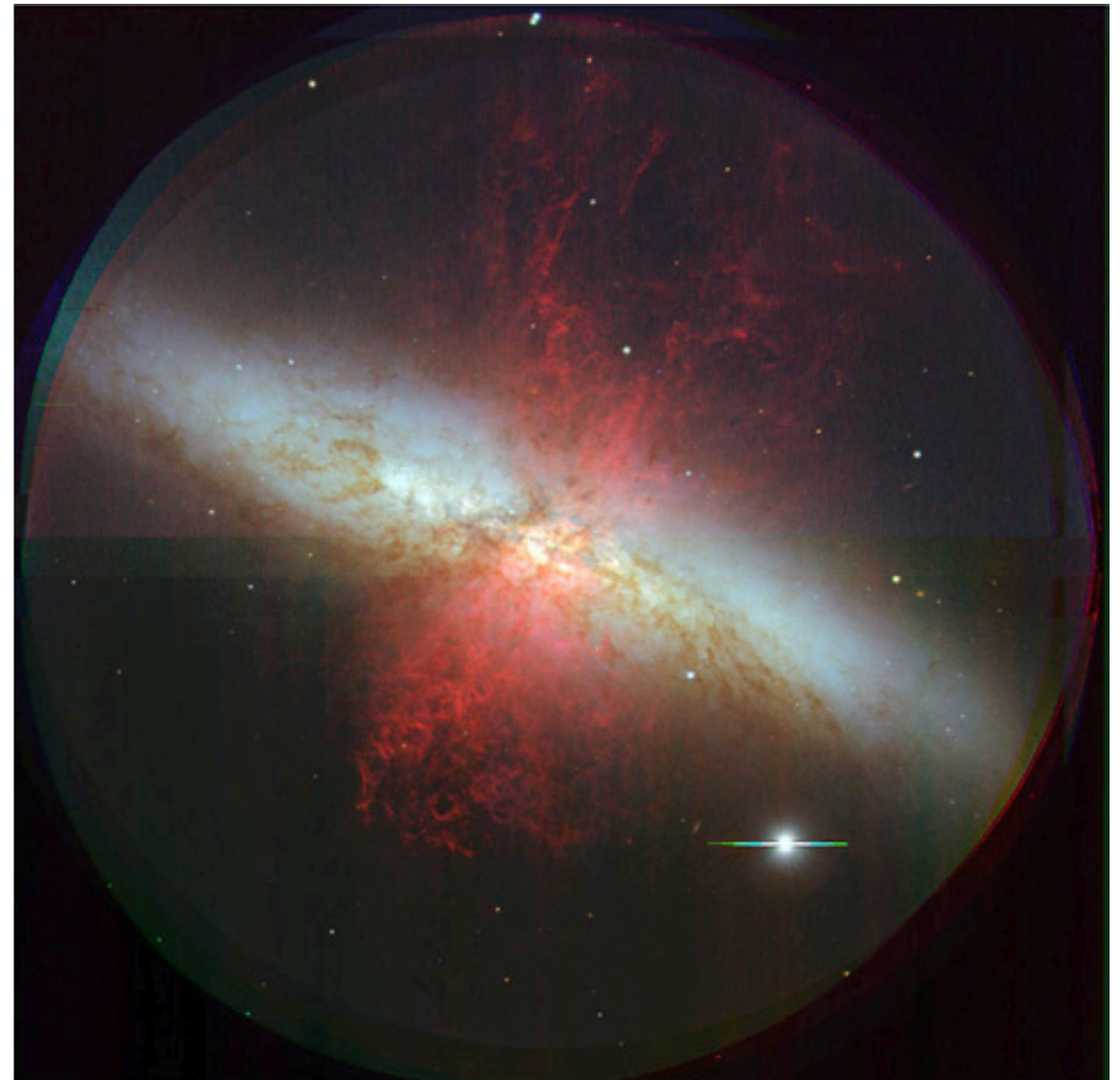
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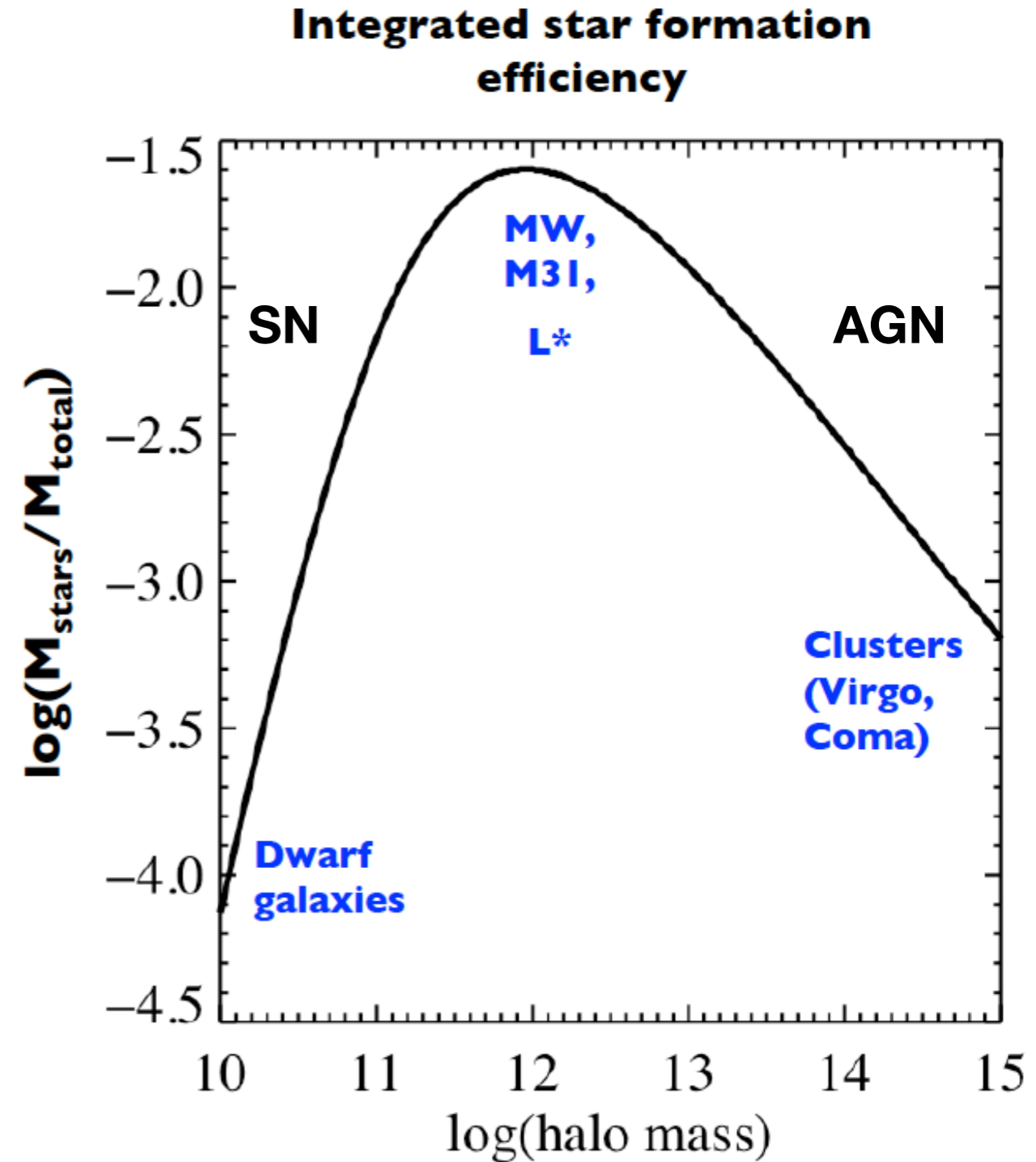
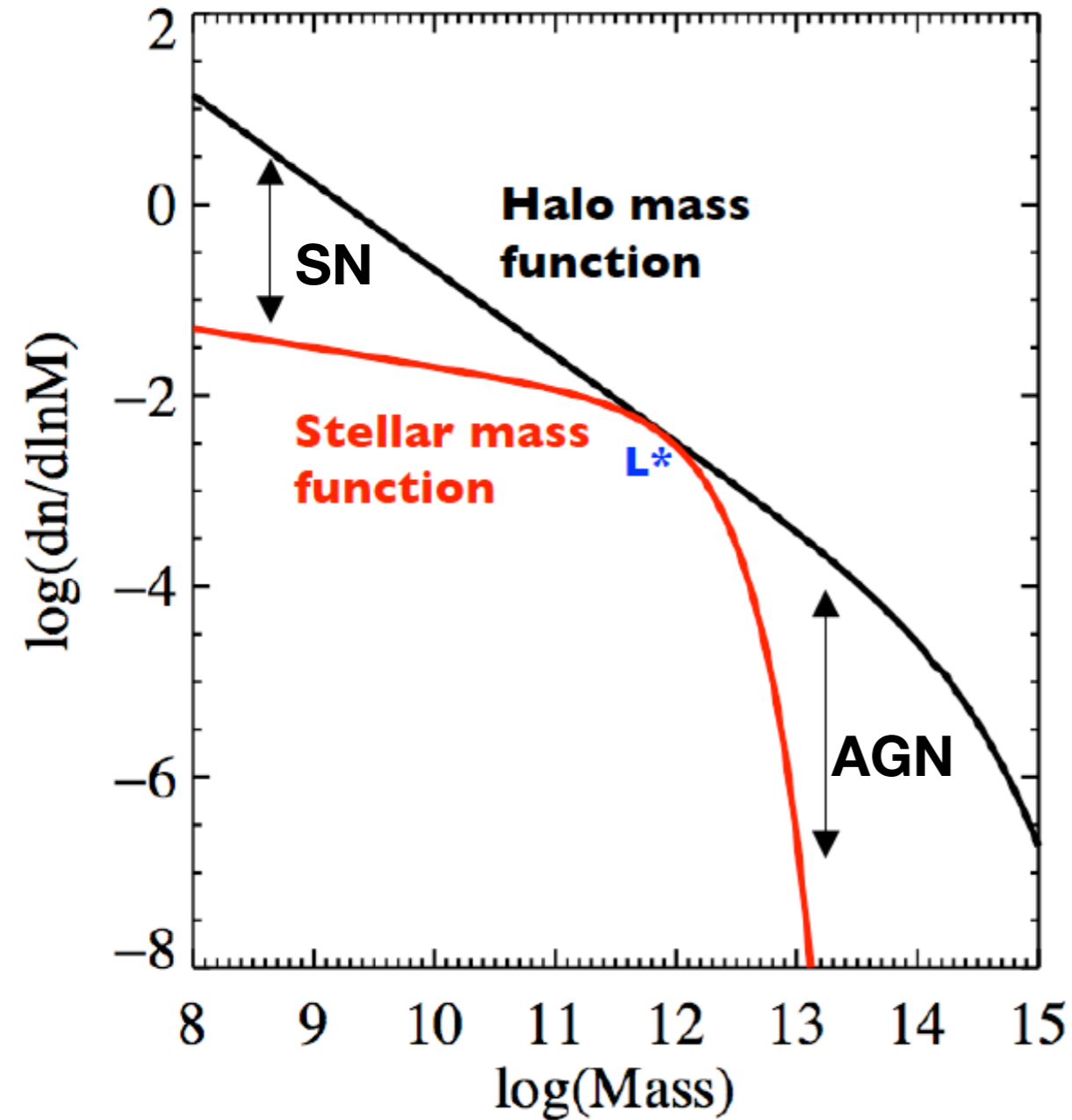
X-ray



H α

M82: a massive starburst galaxy with obvious outflow

Why do we need feedback?



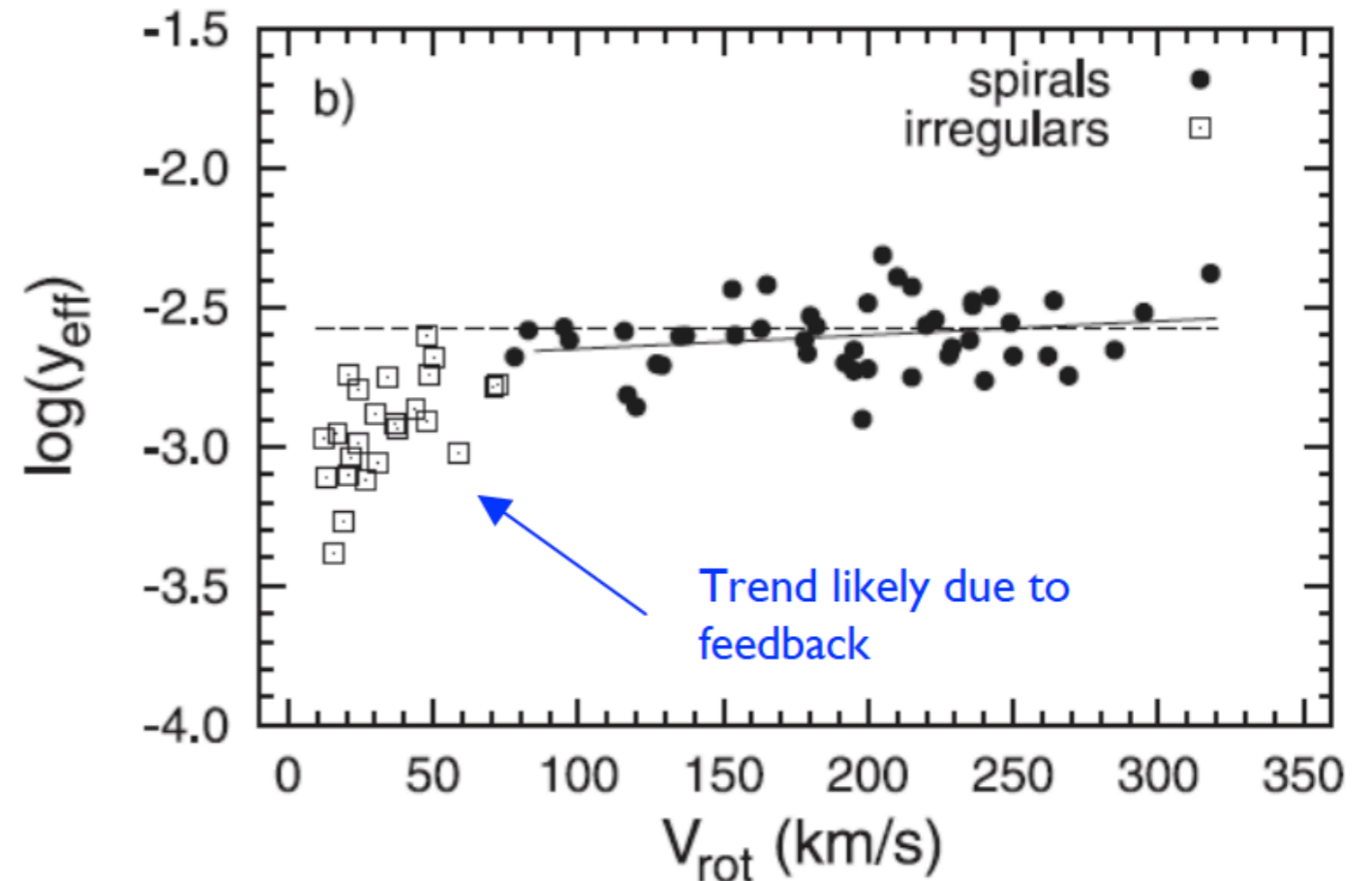
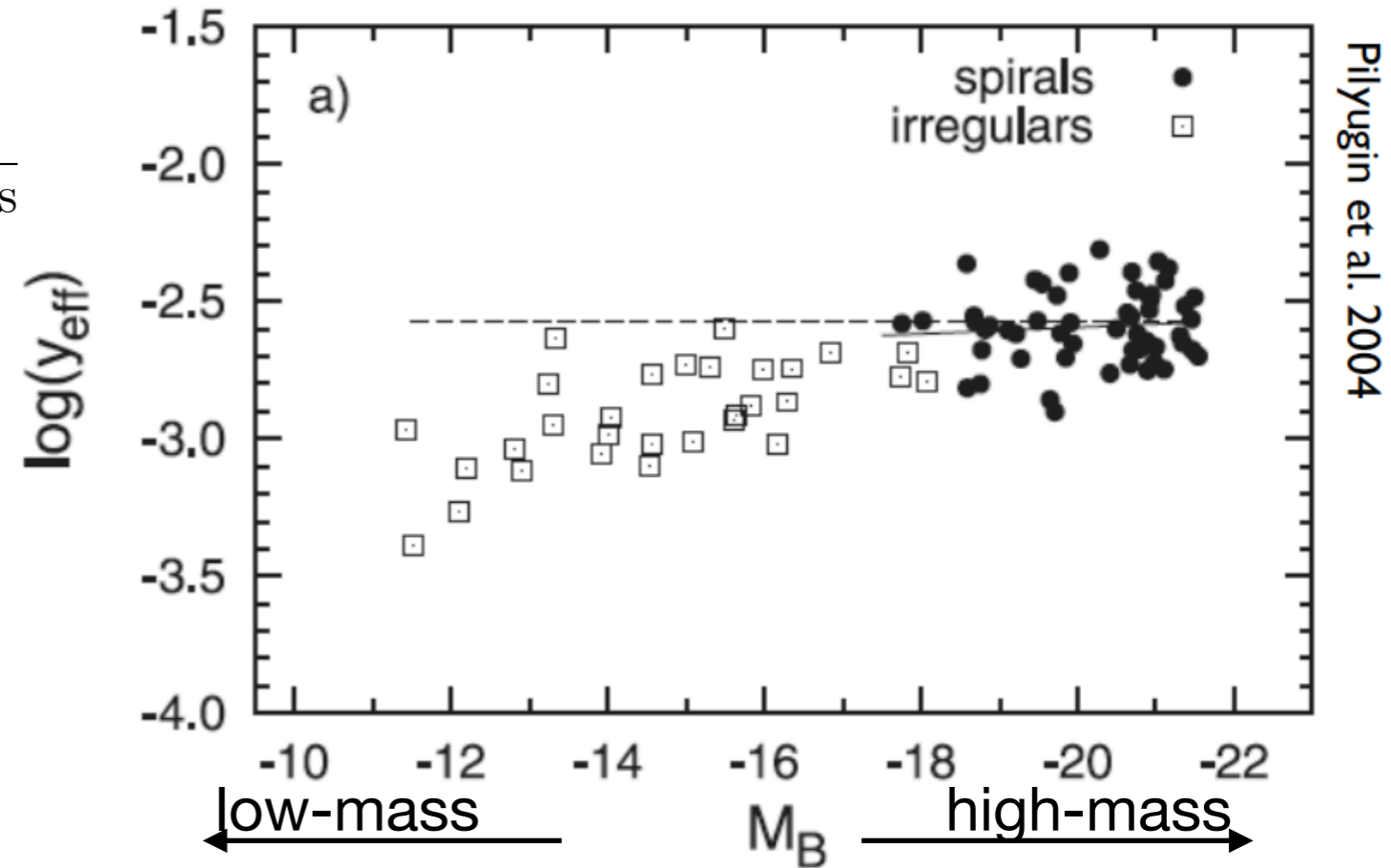
SN fdbk is believed to be responsible for suppressing star formation in dwarf galaxies ($M_{\text{vir}} < 10^{11} M_{\text{sun}}$, $V_{\text{vir}} < 100 \text{ km/s}$)

Observational evidence

$$\text{yield} = \frac{\text{mass of new metals added to ISM by SNe}}{\text{mass of ISM converted to long-lived stars}}$$

The effective metallicity yield, $y_{\text{eff}} = -Z_{\text{gas}} / \ln(f_{\text{gas}})$, is constant for a closed box model of galactic chemical evolution

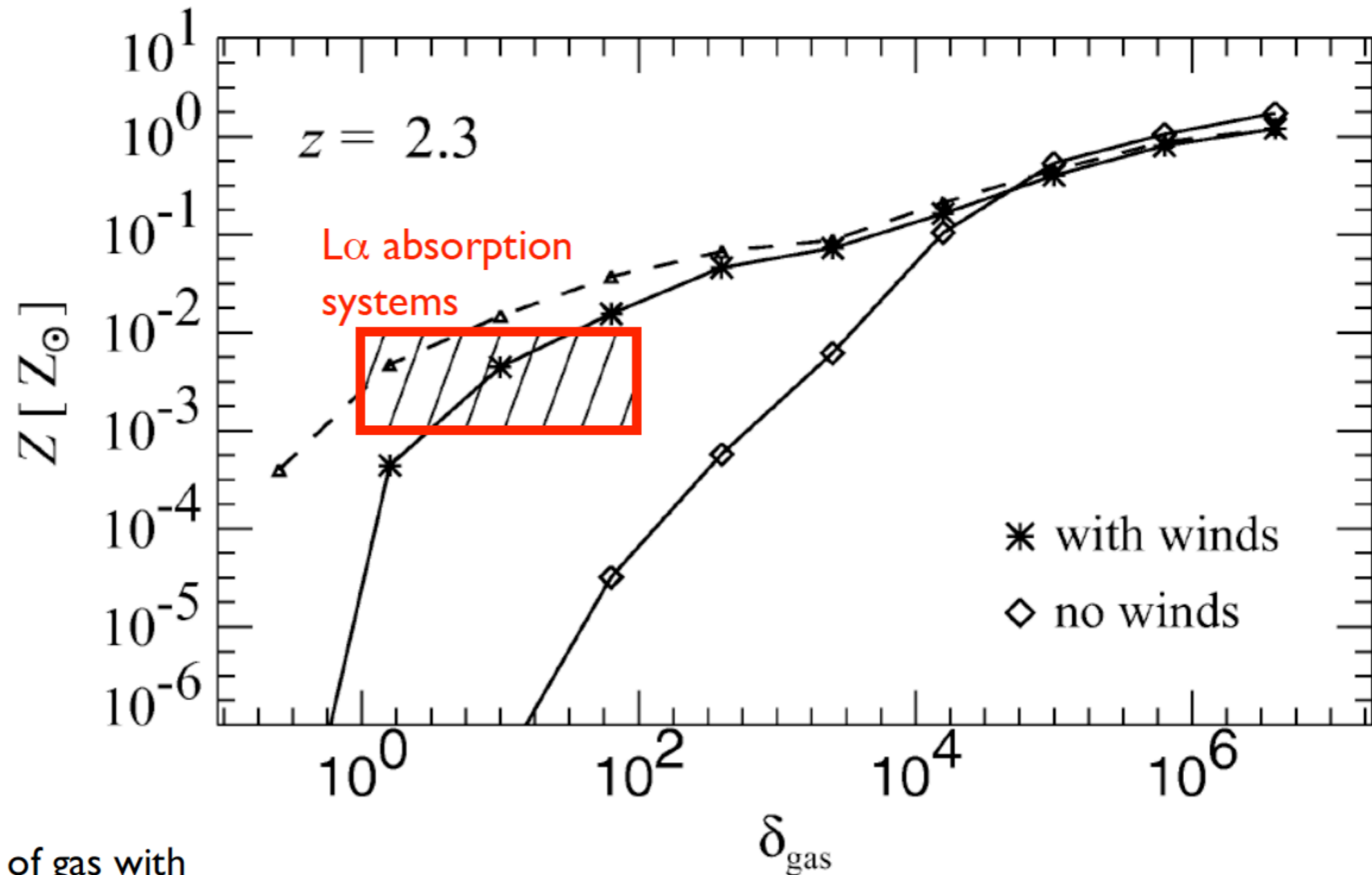
Lower y_{eff} in low mass galaxies means metal-enriched outflows



Observational evidence

Moderate density regions of the Universe (e.g. the IGM) are metal enriched. But there is no star formation in such regions. — Metal-enriched winds can deposit metals into the IGM.

Probing the importance of winds and feedback at high redshift ($z \sim 2$)



δ_{gas} = overdensity of gas with respect to the mean density

SN feedback on galactic scales: numerology

Energy released by a type II SN: $E_{\text{SN}} \sim 10^{51}$ ergs

10^{49} ergs deposited into ISM per $1 M_{\text{sun}}$ of stars formed
(recall that for a standard IMF, 1 SN per $100 M_{\text{sun}}$)

$$E_{\text{bind}} \sim M_{\text{gas}} V_{\text{vir}}^2 \sim G M_{\text{gas}} M_{\text{vir}} / R_{\text{vir}}$$

- For a giant molecular cloud (GMC),

$$M_{\text{gas}} \sim 10^5 M_{\text{sun}}, R \sim 50 \text{pc} \quad E_{\text{bind}} \sim 10^{49} \text{ ergs}$$

so a single SN can in principle unbind a typical GMC.

- For a L^* galaxy,

$$M_{\text{vir}} = 10^{12} M_{\text{sun}}, M_{\text{gas}} = 10^{10} M_{\text{sun}}, R_{\text{vir}} = 300 \text{kpc} \quad E_{\text{bind}} \sim 10^{57} \text{ ergs}$$

a single SN will not unbind the galaxy

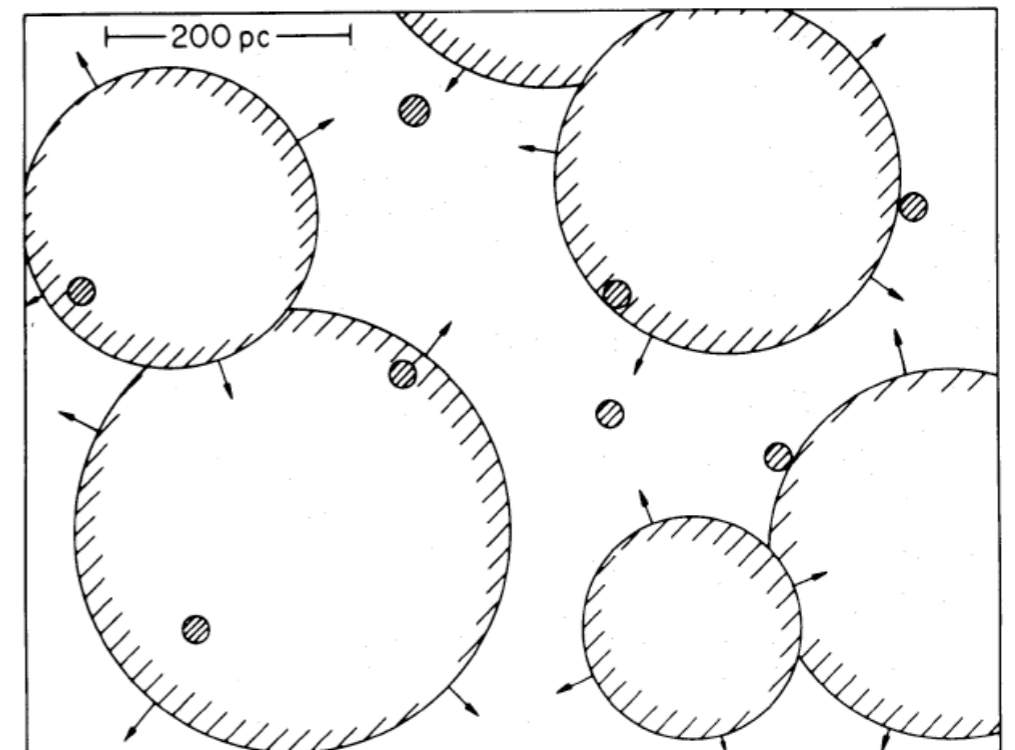
SN feedback on galactic scales

Recap: the standard picture for isolated SN evolution

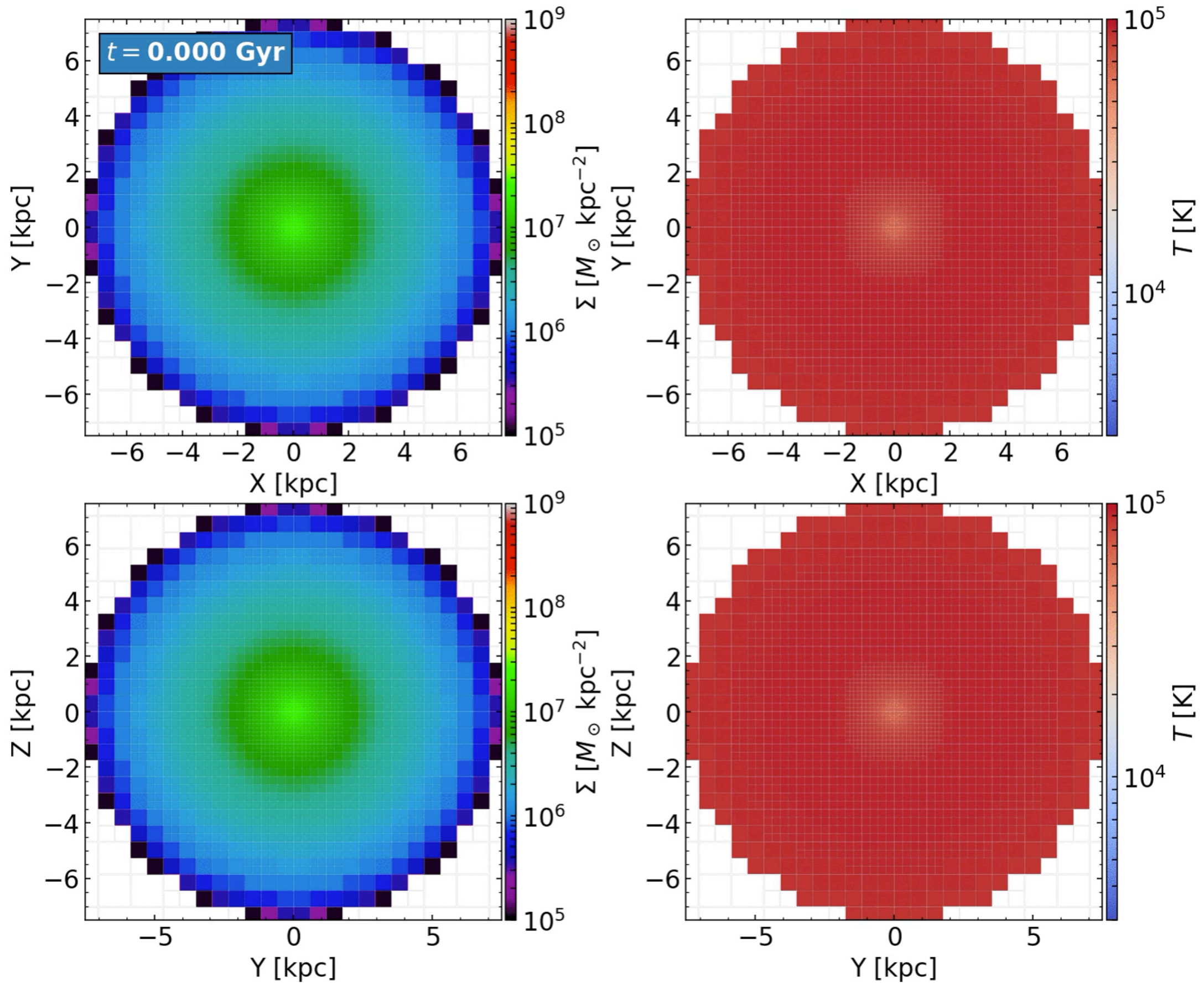
- **Free expansion:** ends when $M_{\text{swept}} \sim M_{\text{eject}}$, ($t \sim 200$ yr, $R \sim 1$ pc)
- **Adiabatic** (Sedov-Taylor) phase: ends when radiative losses become important ($t \sim 10^{4-5}$ yr, $R \sim 30$ pc)
- **Snowplow** phase (approximately momentum conserving): ends when when the shock velocity is comparable to the local sound speed ($t \sim 10^6$ yr, $R \sim 100$ pc)

However, Within 10^6 yr, another SN is likely to go off within 100 pc, for MW SNR

Therefore, within \sim Myr, every point in the ISM will have experienced a SN blastwave (McKee & Ostriker 1977)



SN feedback on galactic scales



SN feedback on galactic scales

Total SN energy deposited into ISM:

$$E_{\text{SN,tot}} = E_{\text{SN}} \text{SFR } t_{\text{rad}}$$

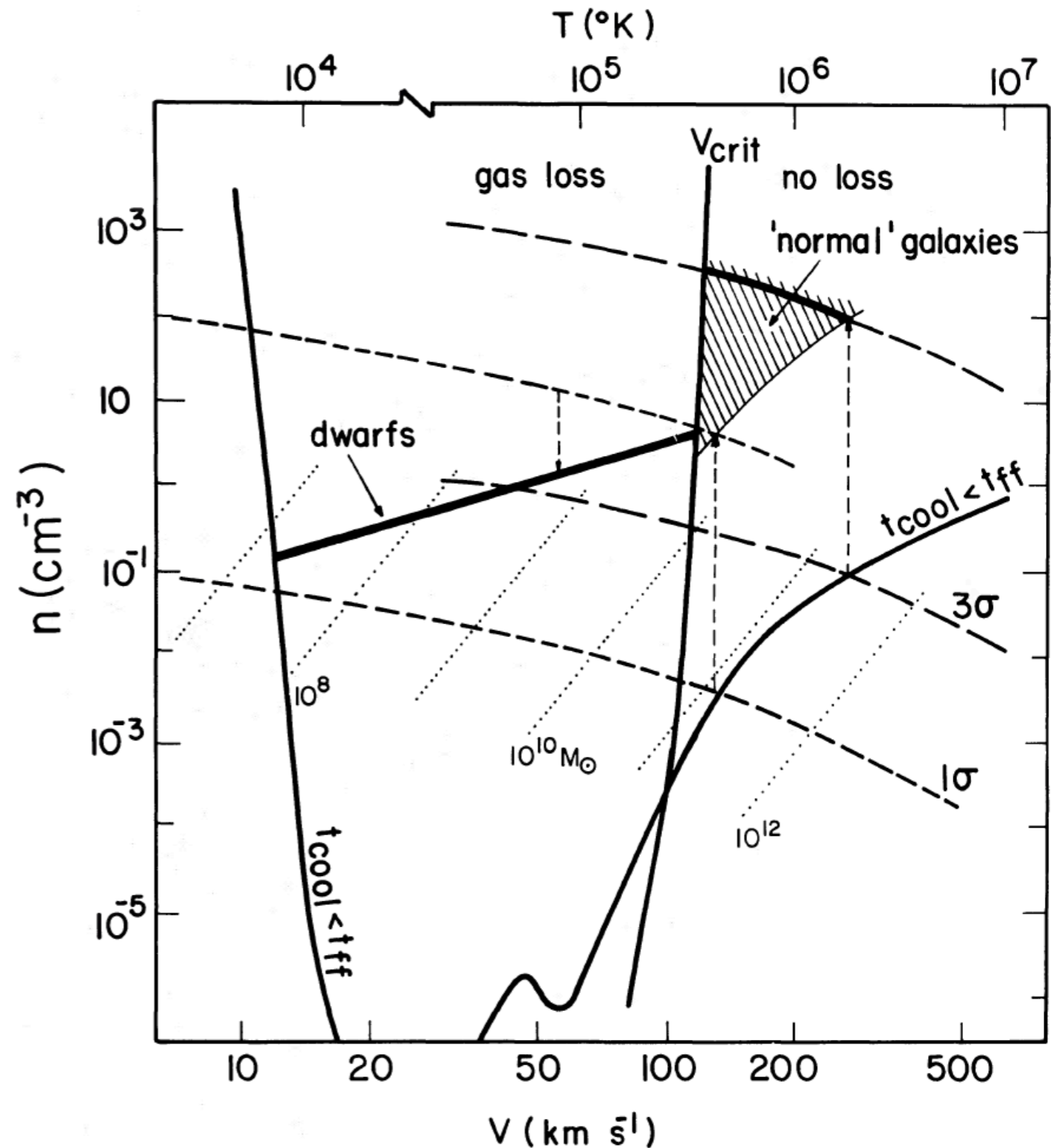
t_{rad} : time when SNR radiates away a significant fraction of its initial energy, $\propto n^{-9/17}$, \sim SN overlap time for the assumed SFR

$$\text{SFR} \sim M_{\text{gas}} / t_{\text{ff}}$$

$$t_{\text{ff}} = (6\pi G\rho)^{-1/2} \propto n^{-1/2}$$

Condition for gas removal:

$$E_{\text{SN,tot}} > E_{\text{bind}} \sim M_{\text{gas}} V_{\text{vir}}^2$$



$$V_{\text{vir}} < V_{\text{crit}} \sim 120 f(E_{\text{SN}}, \text{gas fraction}, Z, \text{halo density profile, etc}) \text{ km/s}$$

SN feedback on galactic scales: in simulations

Hydrodynamic simulations of the formation and evolution of galaxies cannot simultaneously resolve the SN blastwave (pc scales), galactic structures (kpc scales), and the cosmological environment (Mpc scales) — “subgrid” recipes are required.

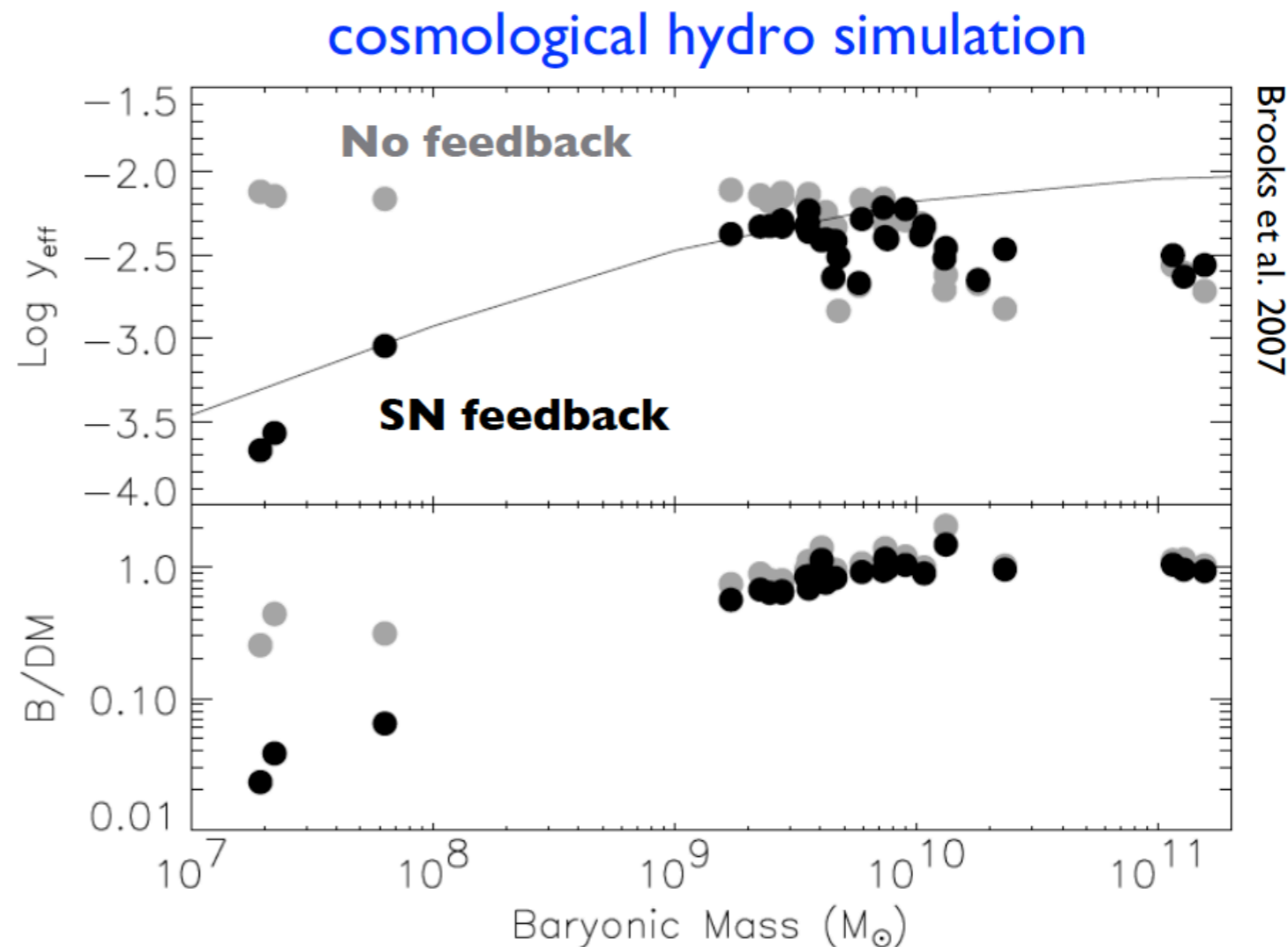
Early hydrodynamic simulations of galaxy formation attempted to model SN feedback by dumping 10^{51} ergs of thermal energy into the nearest grid cell (or SPH particle), e.g. Katz 1992

- The cells nearest to the SN are the densest (a necessary condition for star formation), and so the cooling rate, which scales as n^2 , is very large
- The net result is that the SN energy is radiated away instantly, and therefore has no effect on the ISM — “cooling catastrophe”, i.e., too many stars form

SN feedback on galactic scales: in simulations

Ad hoc prescriptions were then adopted to fix the overcooling problem:

- Dump the SN energy into kinetic energy (e.g. Navarro & White 1993)
- turn off cooling for some amount of time, until the SN energy diffuses over a large enough volume to act as feedback
- Simplistic recipes for a multiphase ISM (e.g. Yepes et al. 1997, Springel & Hernquist 2003): SN energy is shared between the hot and cold components; hot component is susceptible to thermal feedback (b/c it is of low density and high temperature), so SN feedback can be effective at reducing the growth of the cold component



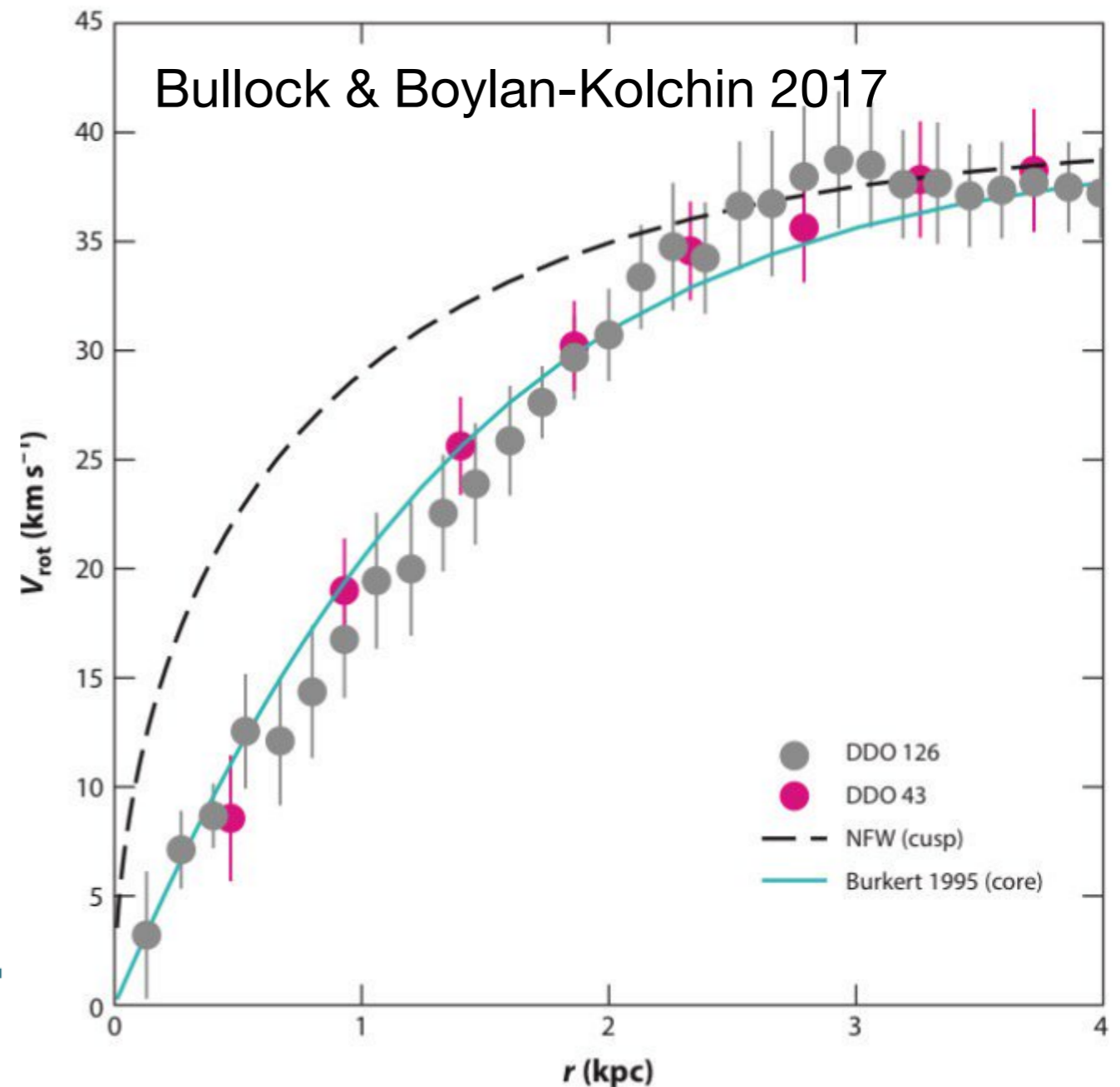
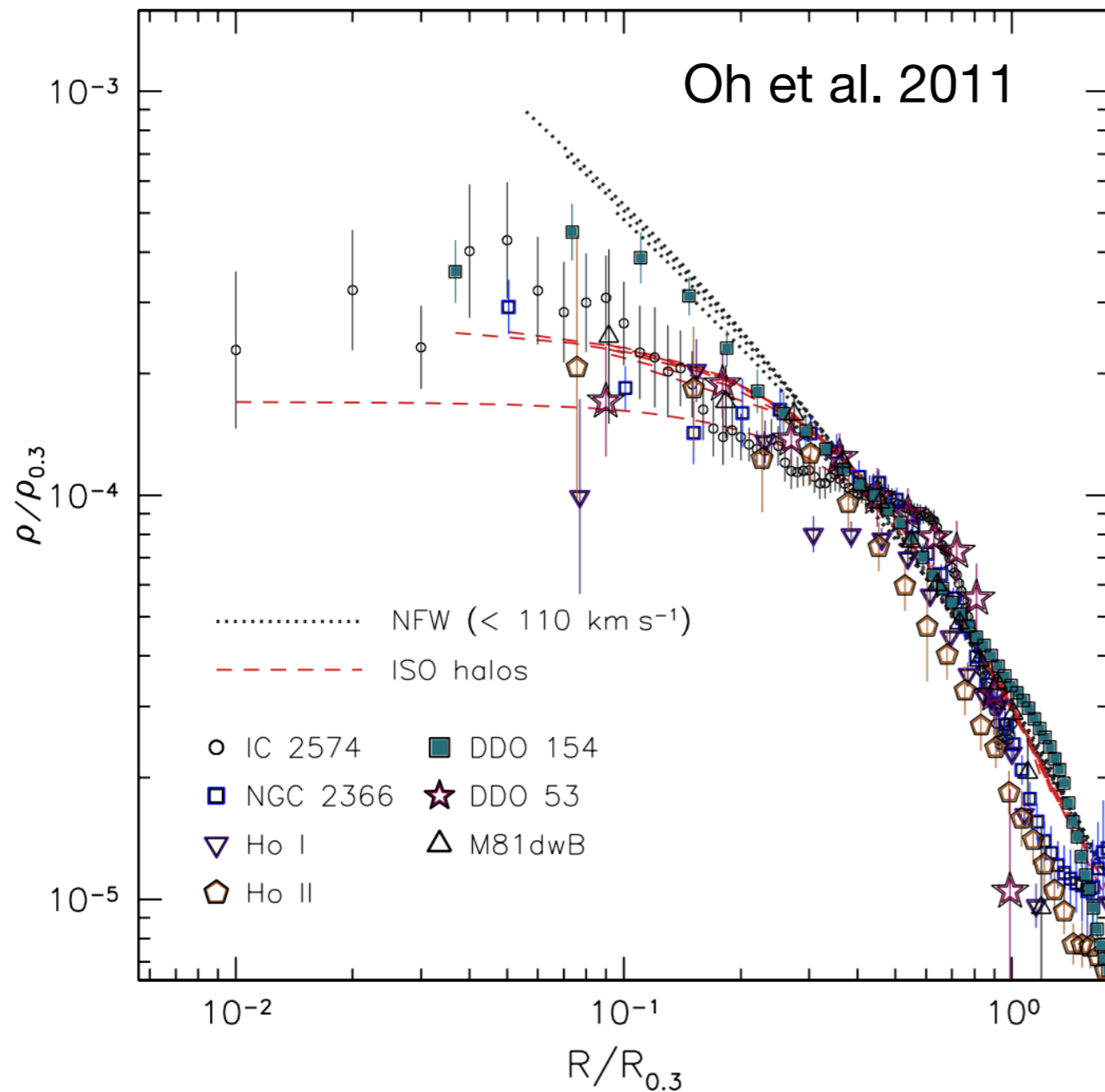
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The Cusp-Core Problem

DM-only cosmological simulations predict steep DM density profiles $\rho \propto r^{-1}$ in the center (cusps)

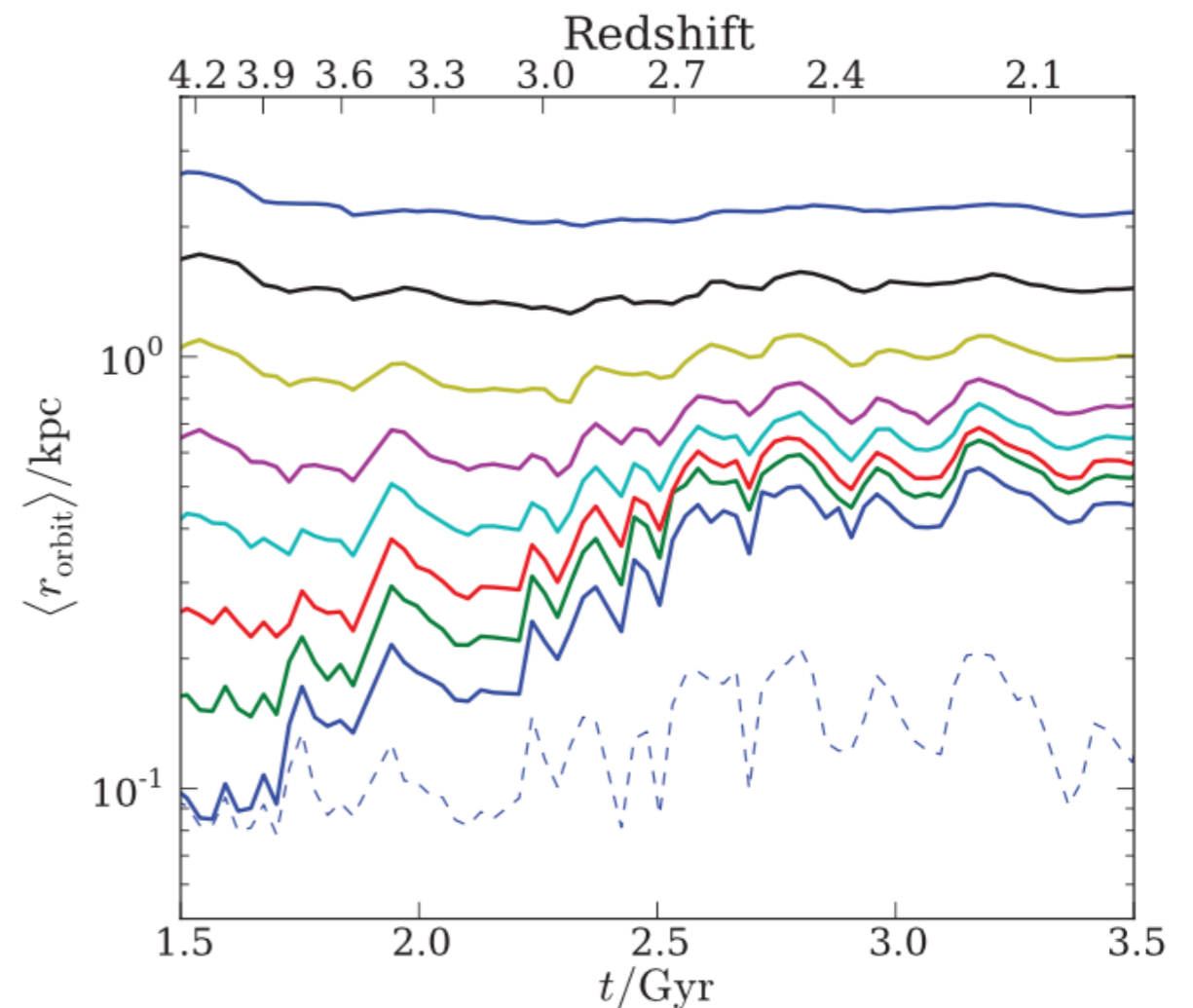
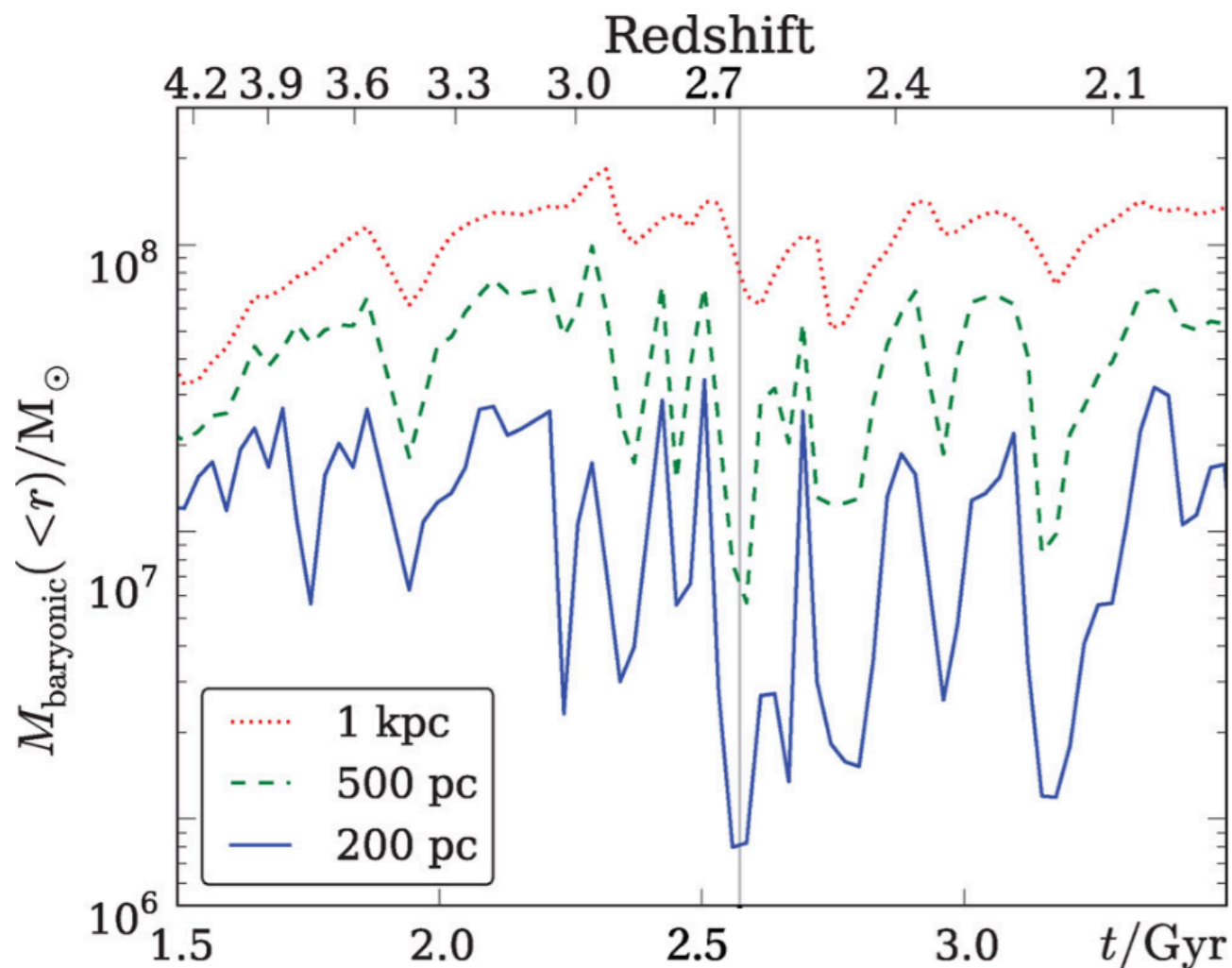
DM inner density slopes inferred from gas/stellar kinematics range from -1 to 0 (cores)



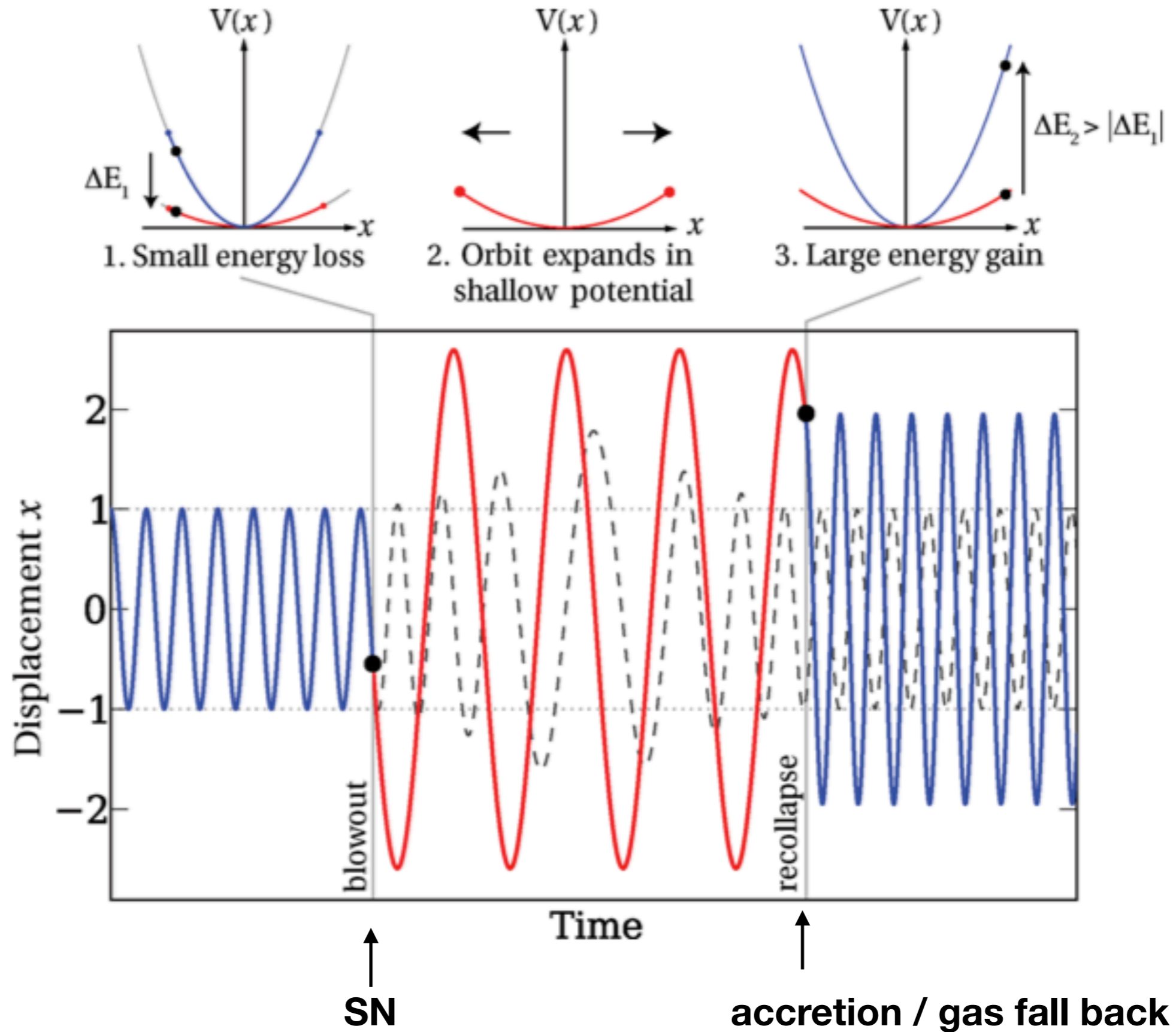
The Cusp-Core Problem

Baryonic effects modifies the DM density profile:

- Adiabatic contraction (conservation of the angular momentum on circular orbits): $J \propto r V \propto (M(<r) r)^{1/2}$ is invariant \rightarrow more cuspy
- Repeated potential fluctuations due to gas inflows (accretion) and outflows (SN fdbk) “pushes” DM particles to orbits of larger radii, forming cores (Pontzen & Governato 2012)



The Cusp-Core Problem



The Cusp-Core Problem

Toy model: consider an instant mass decrement from the galaxy center (e.g. $f=m/M=-0.02$)

1) Initial conditions at equilibrium

$$E_i(r_i) = U_i(r_i) + K_i(r_i)$$

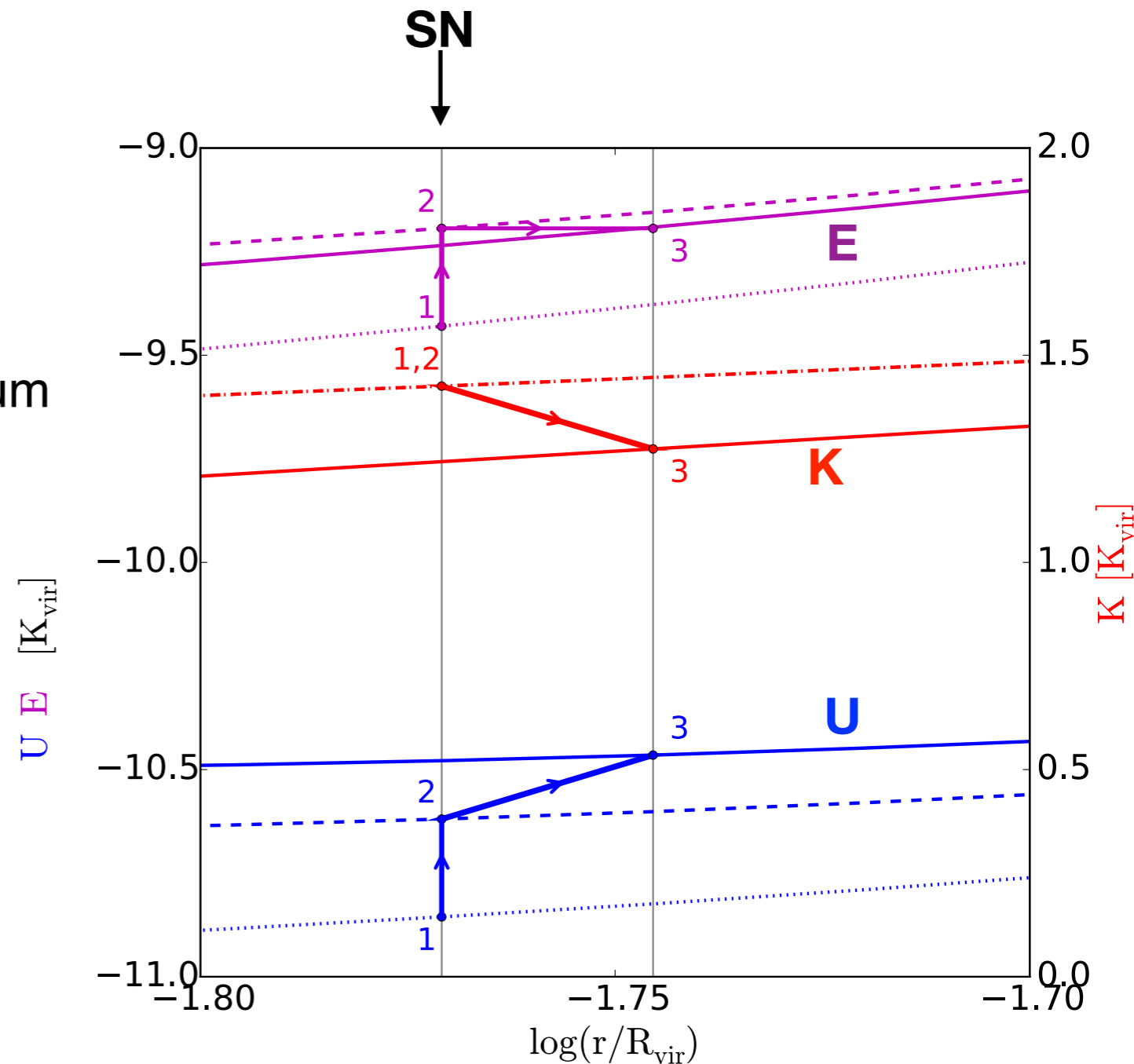
2) Immediately after the mass change

$$E_t(r_i) = U_i(r_i) - Gm/r_i + K_i(r_i)$$

3) The system relaxes to a new equilibrium

$$E_f(r_f) = U_f(r_f) - Gm/r_f + K_f(r_f)$$

Given functional forms $U(r)$ and $K(r)$,
energy conservation $E_f(r_f) = E_t(r_i)$
yields the final state



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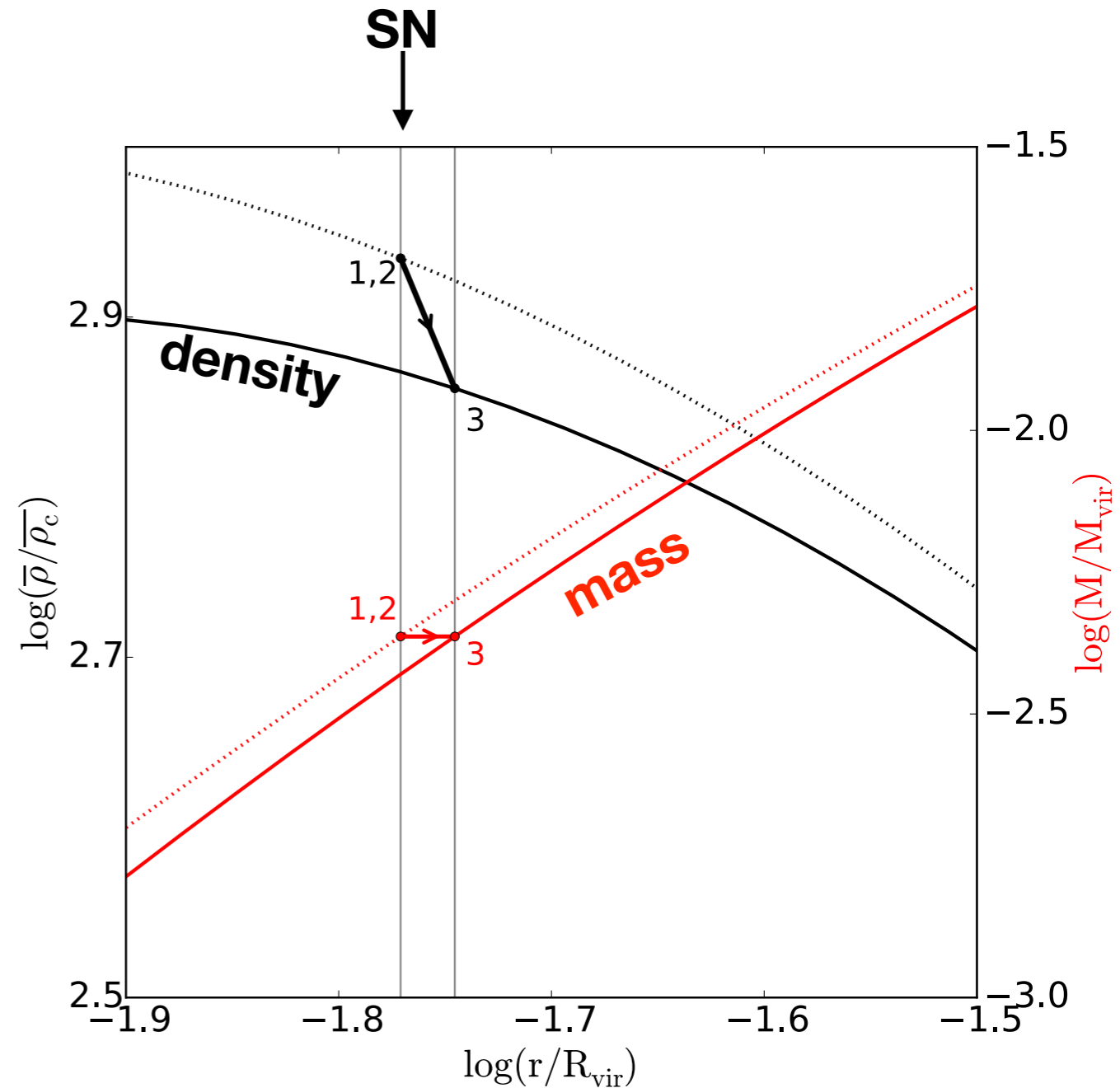
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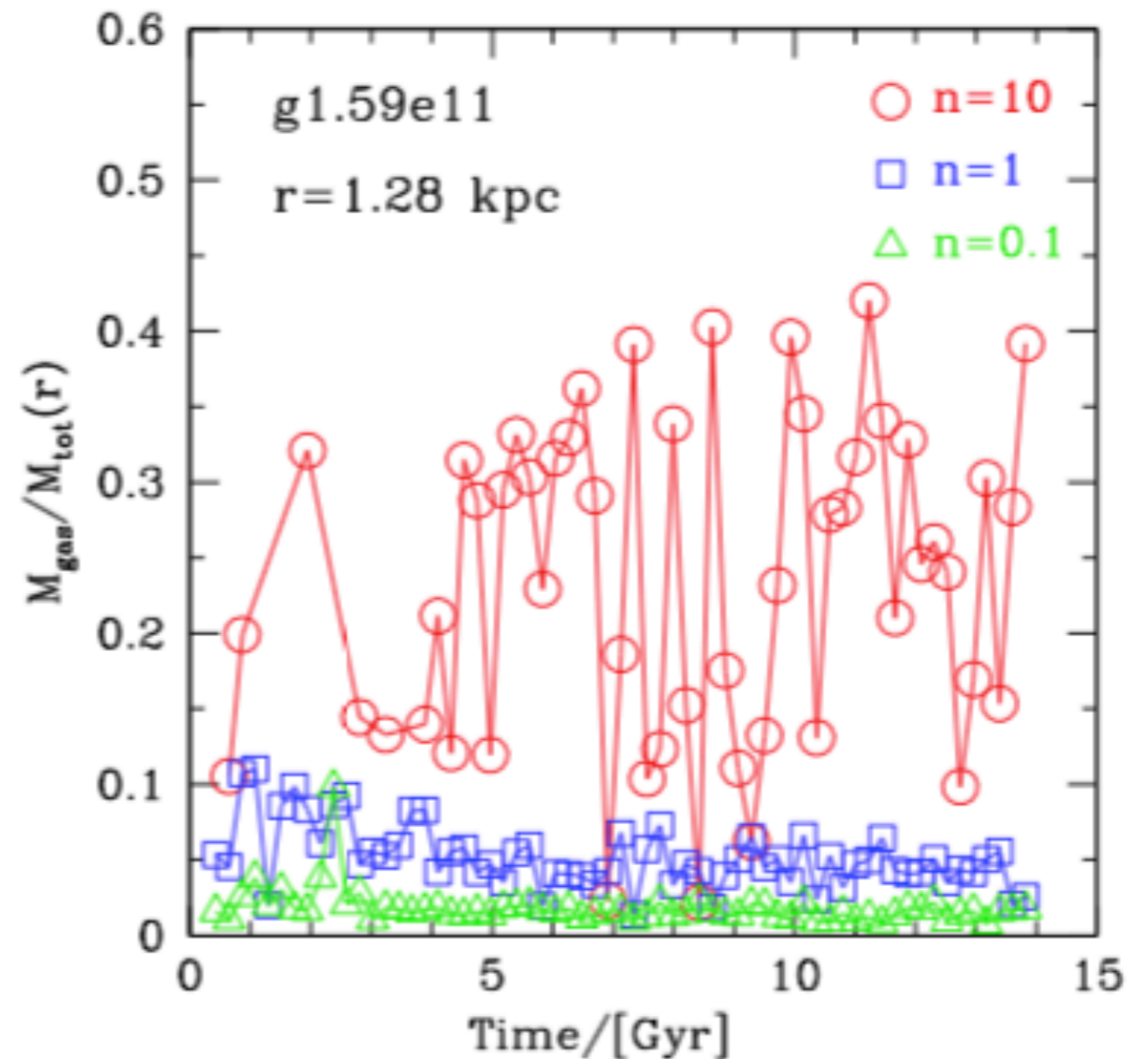
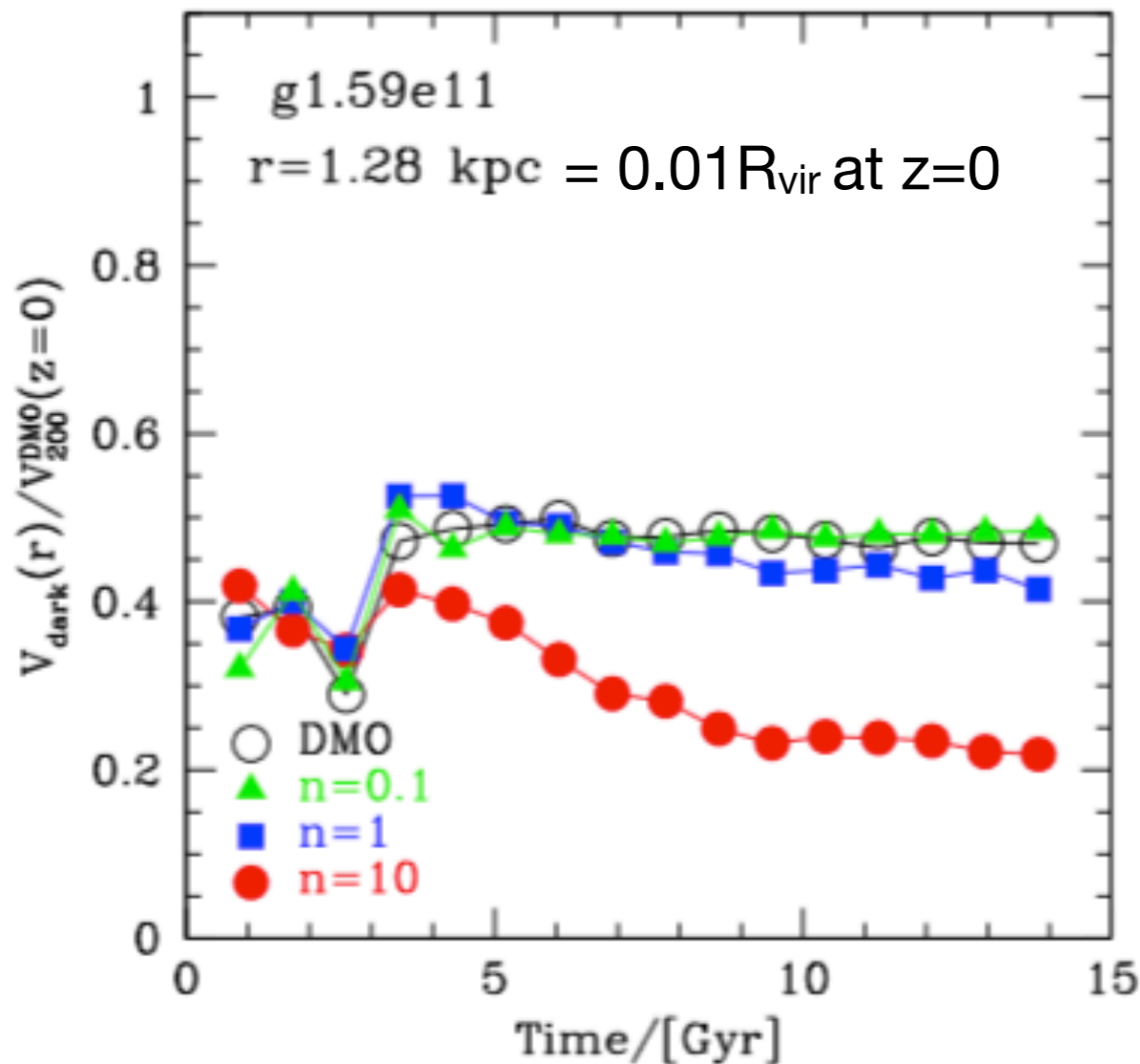
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The Cusp-Core Problem

Condition for this process (i.e., the drastic potential-well fluctuations) to happen:

Significant amount of gas condenses to the innermost few kpc, before the SNe pushes the gas out impulsively



Ultra-diffuse galaxies (UDGs)

dwarf elliptical
galaxy

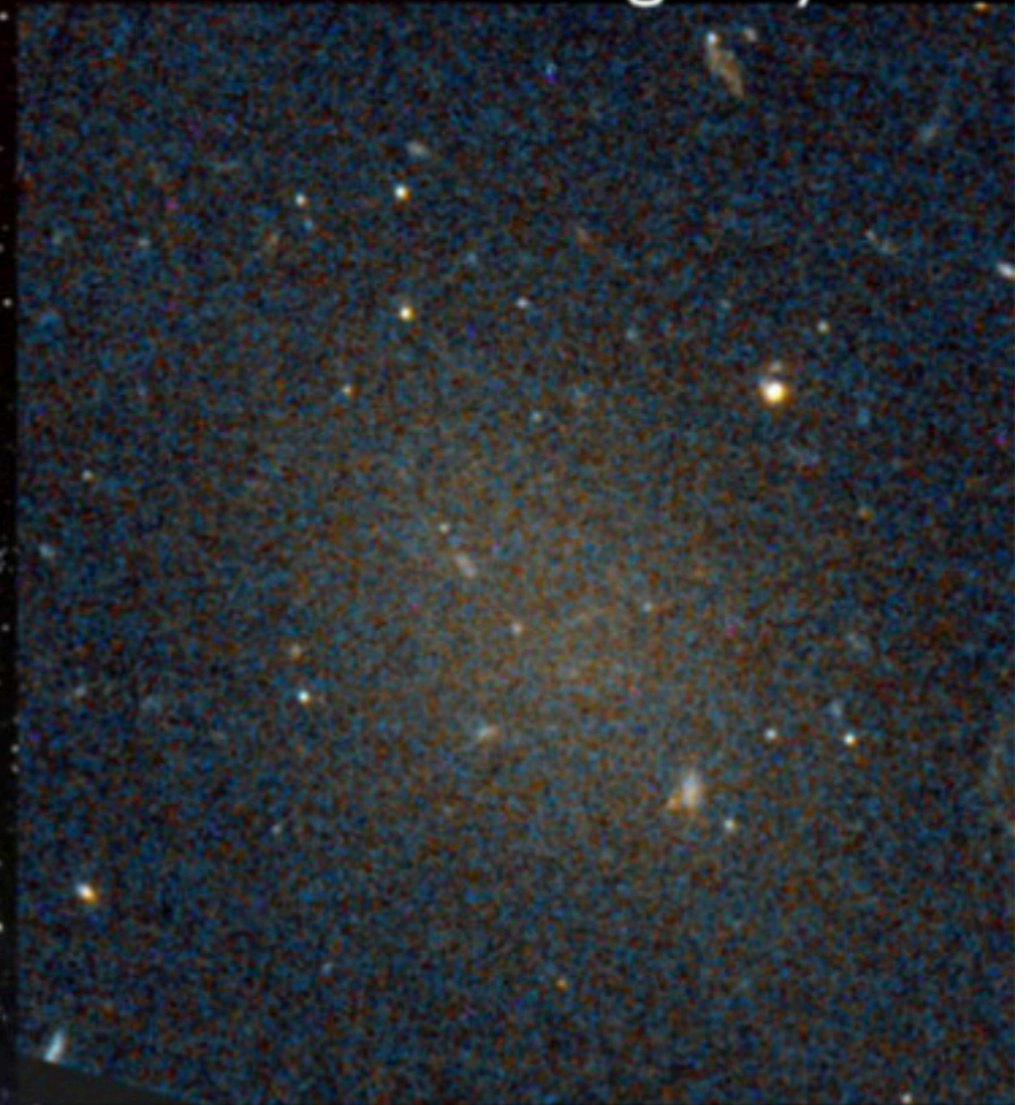
$$R_e = 1.5-5 \text{ kpc}, n_{\text{Sersic}} \approx 0.8$$

$$\mu_{0,g\text{-band}} > 24 \text{ mag arcsec}^{-2}$$

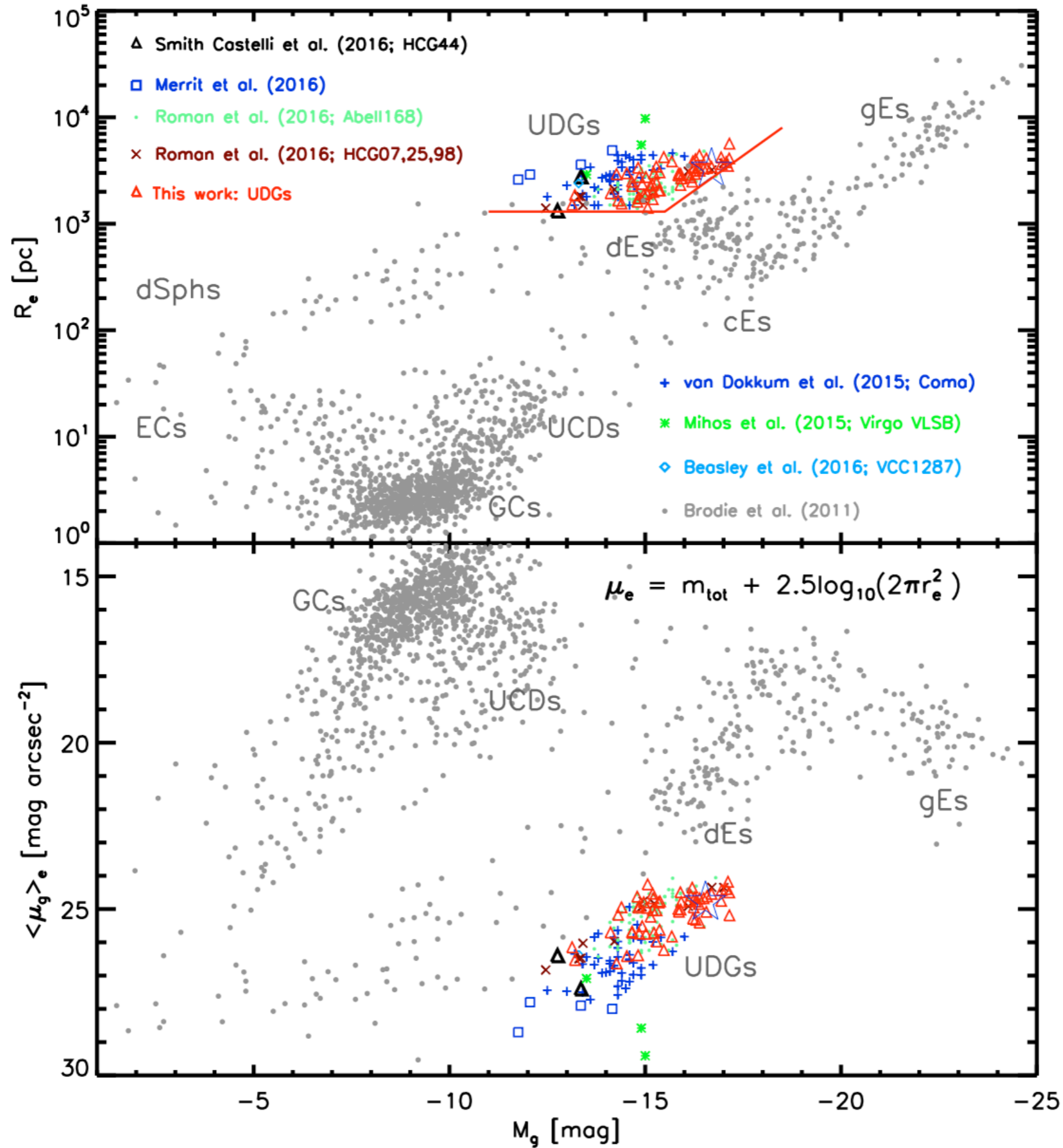
$$M_{\text{star}} \approx 10^{7-8.5} M_{\text{sun}}$$

ultra-diffuse galaxy

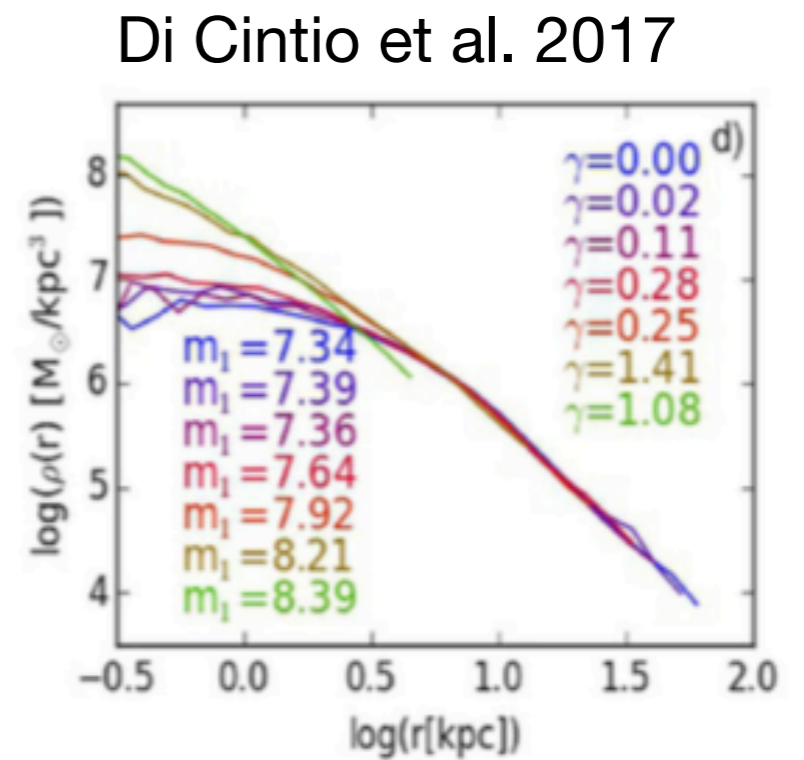
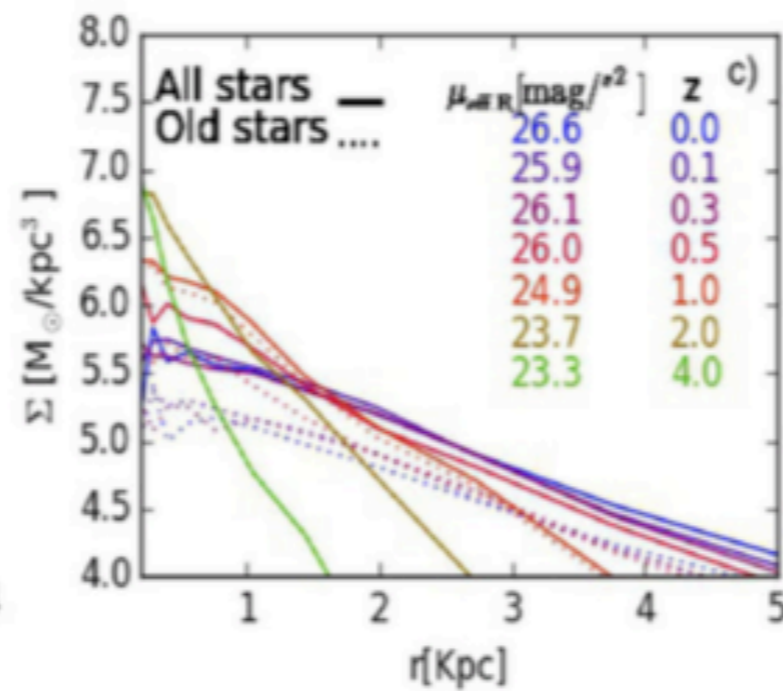
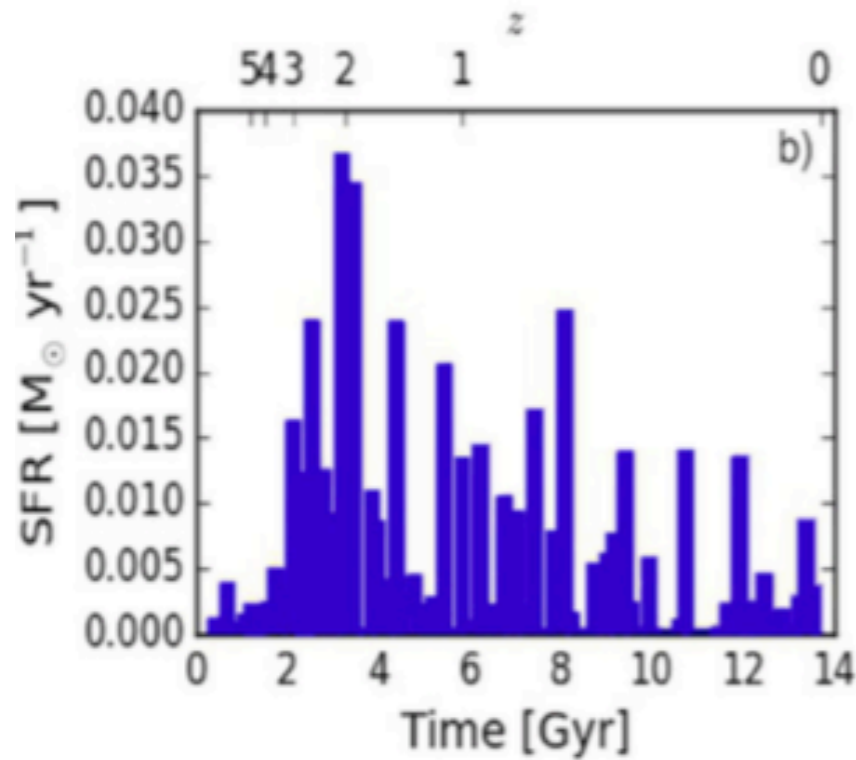
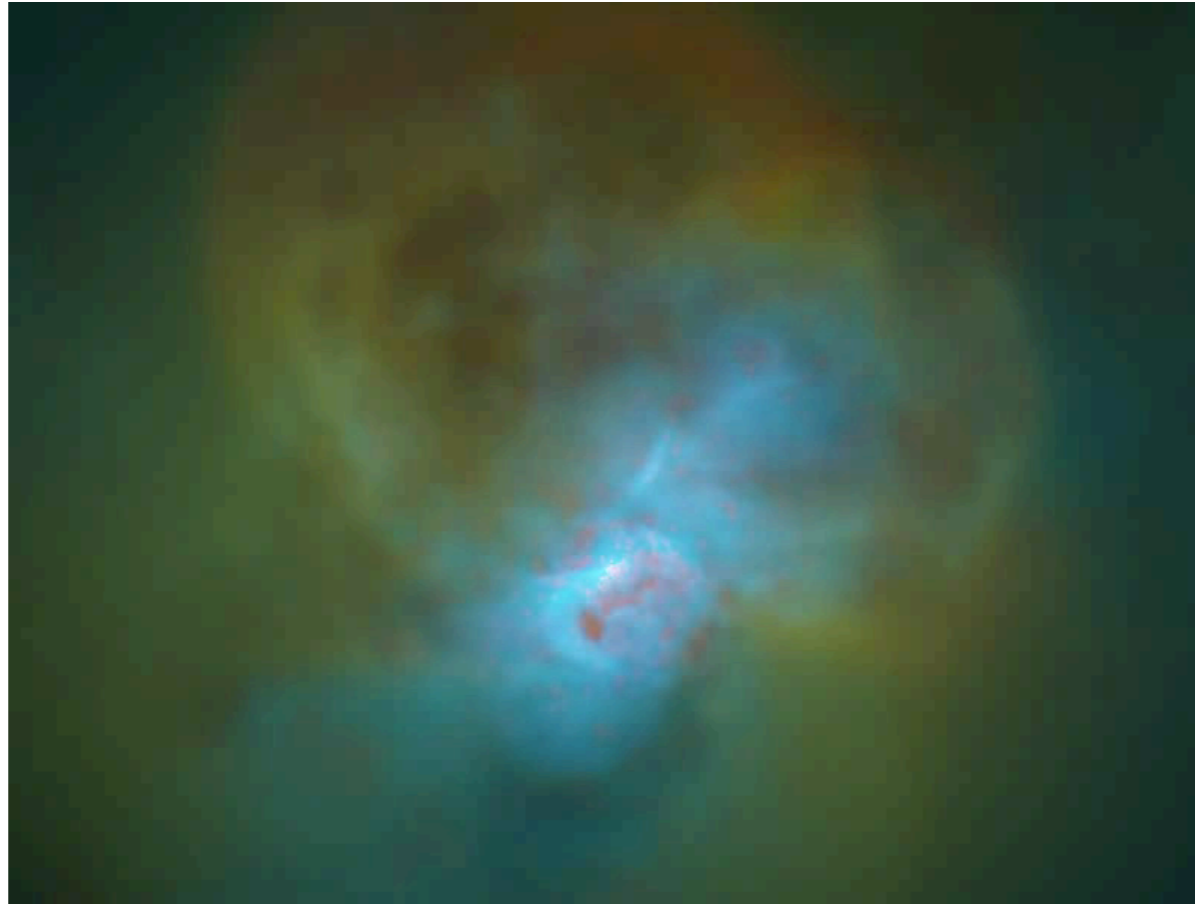
Andromeda
galaxy



Ultra-diffuse galaxies

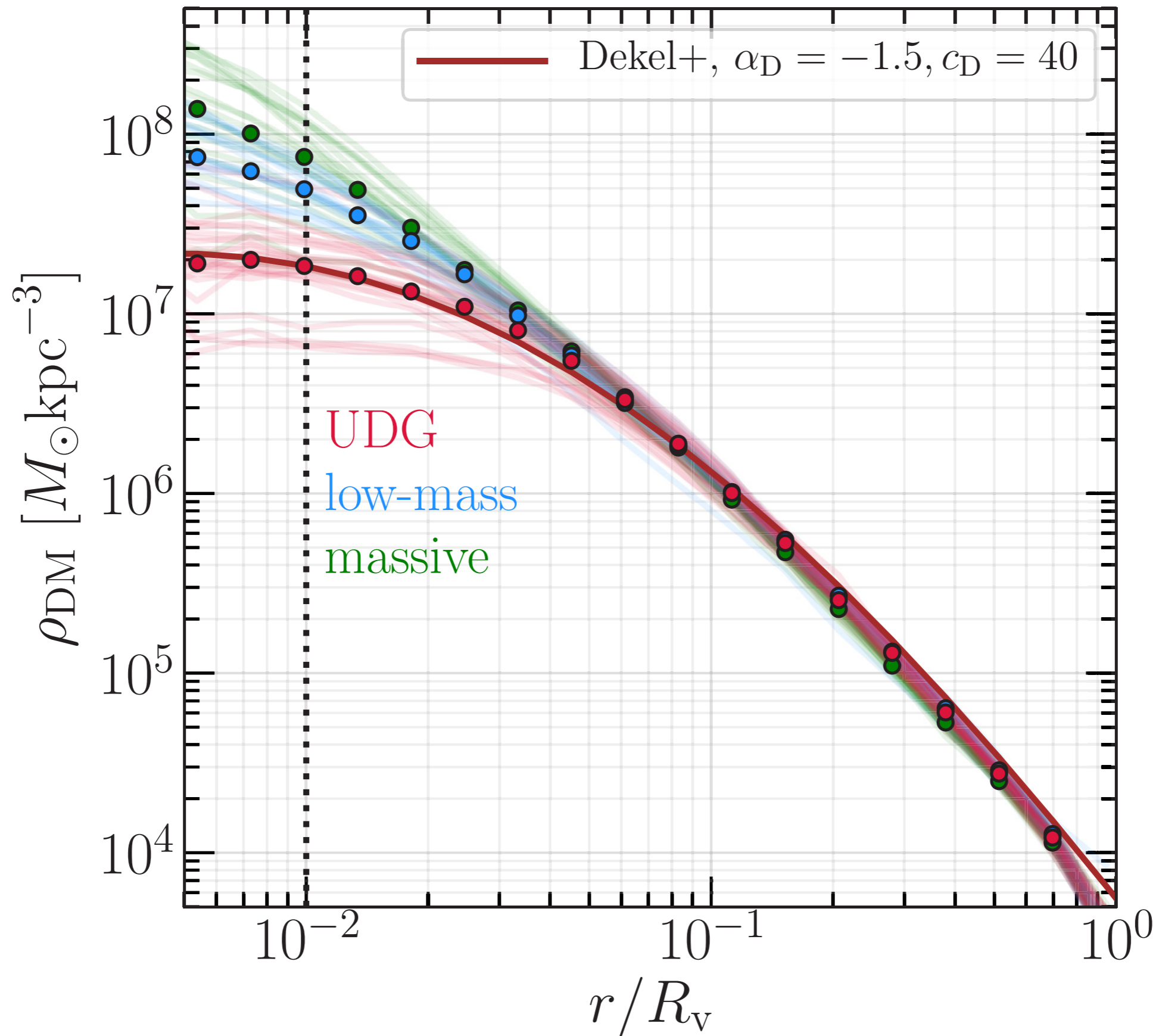


Ultra-diffuse galaxies



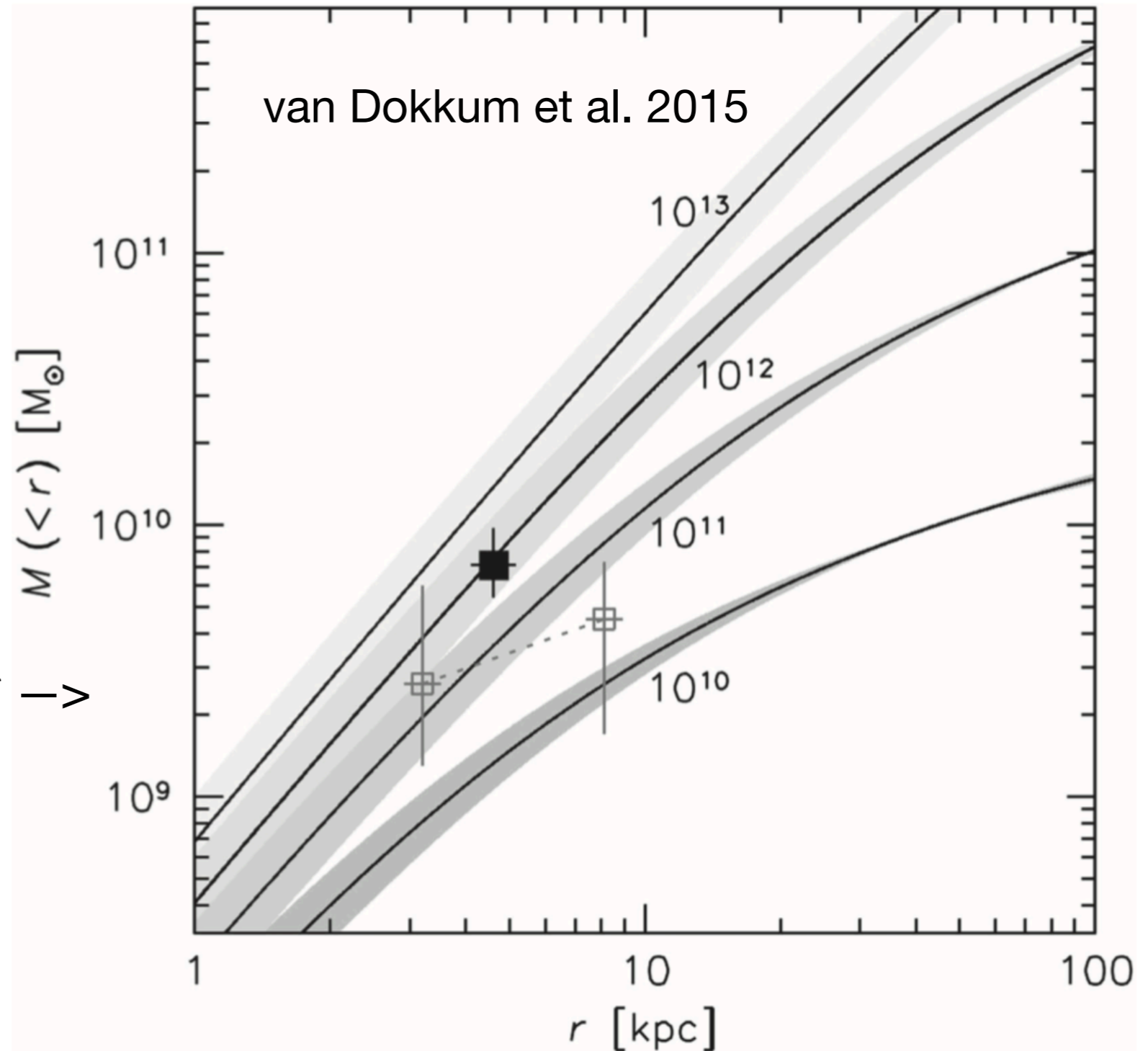
Di Cintio et al. 2017

Ultra-diffuse galaxies



Ultra-diffuse galaxies

Debate on the UDG halo mass: Puffed-up dwarf or failed L* galaxy

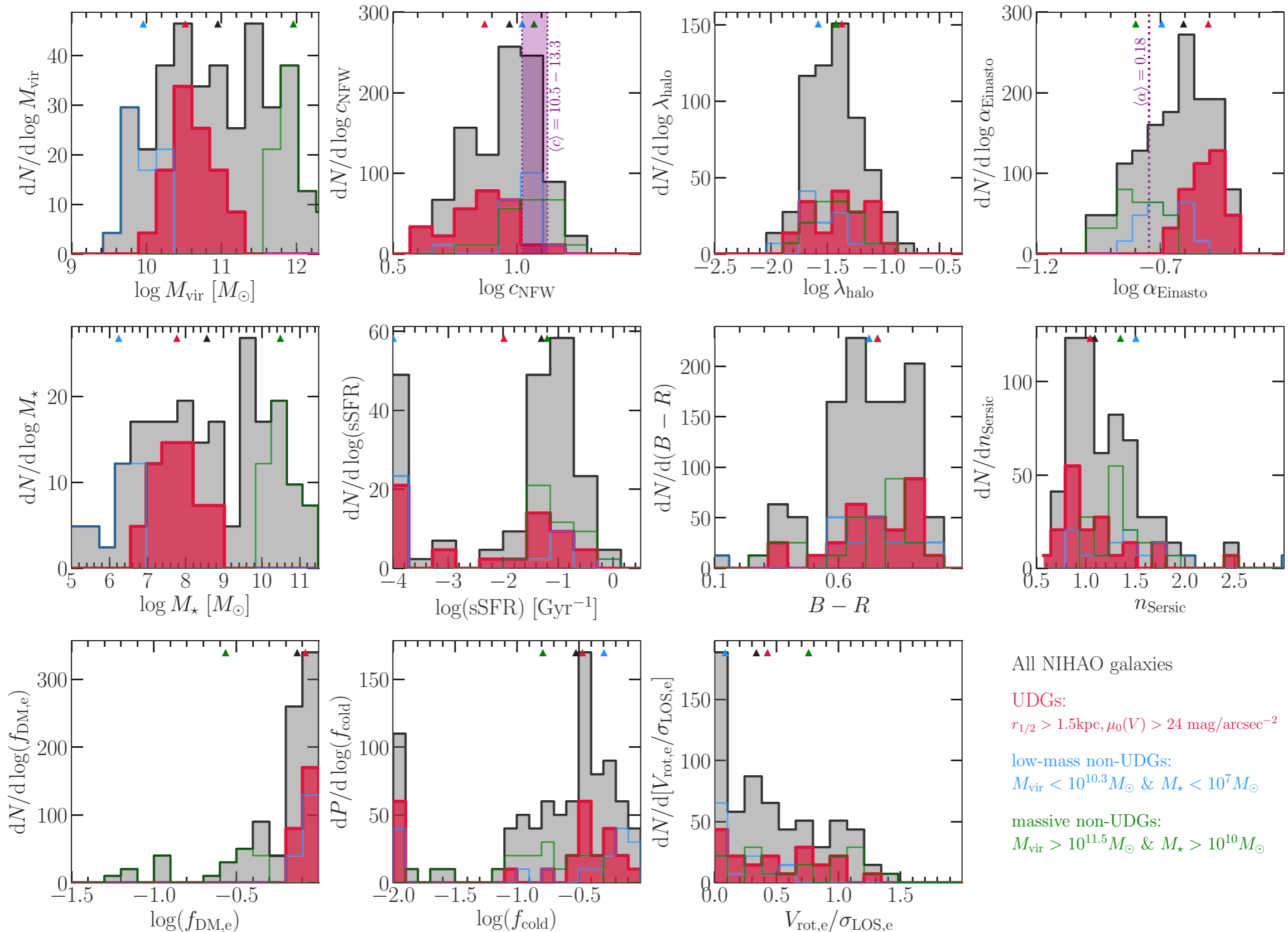


Evidence for failed L* →

However, this R_{vir} estimate relies on extrapolating the density profile from ~ 2 kpc to ~ 200 kpc, and assuming a cuspy NFW profile.

Ultra-diffuse galaxies

Simulations show that UDGs are dwarf galaxies puffed up by SN fdbk: e.g., Di Cintio et al. 2017, Jiang, Dekel, Freundlich et al. 2018



Summary

- What is “feedback”? — a process that regulates the growth of galaxies, suppressing or boosting star formation
- Why do we need feedback? — to reconcile the halo mass function and galaxy stellar mass function (i.e., to explain the low SF efficiency in dwarf galaxies), to explain the drop of metallicity yield in dwarf galaxies
- How does SN feedback work? — injects energy to the ISM —> pushes gas out, or remove gas completely conditioning on the host-halo potential —> most efficiently for dwarf galaxies with $V_{\text{vir}} < \approx 120 \text{ km/s}$
- Impact on dark-matter halos (cusp-core issue) — impulsive gas removal from the central few kpcs of a dwarf galaxy causes potential fluctuations —> dark matter cusps transform into cores
- Impact on galaxies (ultra-diffuse galaxies) — the same process is believed to be responsible for the formation of UDGs in the field.