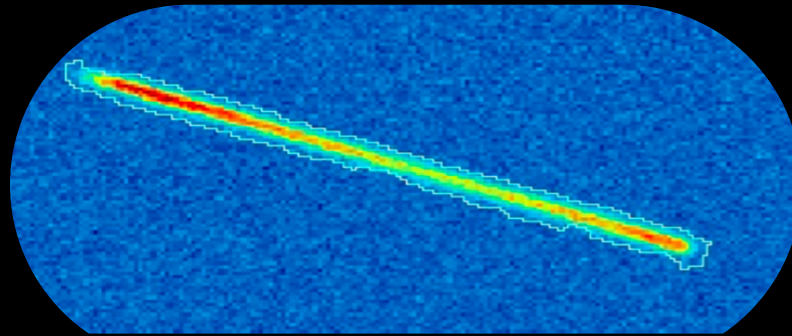


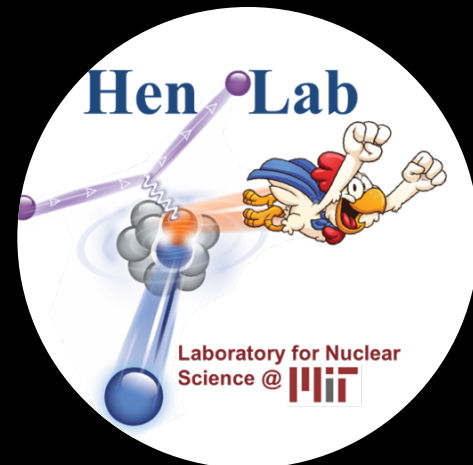
The OLIVIA Experiment - 'Trapless' ^8Li β -Decay Study

Or Hen
MIT



In Collaboration With:

J.M. Conrad (MIT), J. Spitz
(U. Michigan), G. Ron (HUJI),
D. Gazit (HUJI)





The Standard Model



Quarks

u up	c charm	t top
d down	s strange	b bottom

Forces

Z Z boson	γ photon
W W boson	g gluon

H
Higgs boson

e electron	μ muon	τ tau
ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino

Leptons

+

$$\begin{aligned}
& -\frac{1}{2}\partial_\nu g^a \partial_\nu g^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4}g_s^2 f^{abc} f^{ade} g_\mu^b g_\nu^c g_\mu^d g_\nu^e + \\
& \frac{1}{2}ig^2(\bar{q}^i \gamma^\mu q^j)g_\mu^a + G^a \partial^2 G^a + g_s f^{abc} \partial_\mu G^a G^b g_\mu^c - \partial_\mu W_\nu^+ \partial_\mu W_\nu^- - \\
& M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\mu Z_\nu^0 \partial_\mu Z_\nu^0 - \frac{1}{2}M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2}\partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2}\partial_\mu H \partial_\mu H - \\
& \frac{1}{2}m_h^2 H^2 - \partial_\mu \phi^\dagger \partial_\mu \phi - M^2 \phi^\dagger \phi - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2\alpha_h} M \phi^0 \phi^0 - \beta_h \left[\frac{2M^2}{v} + \right. \\
& \left. \frac{2M}{g} H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-) \right] + \frac{2M^4}{g^2} \alpha_h - igc_w [\partial_\mu Z_\nu^0 (W_\mu^+ W_\nu^- - \\
& W_\mu^- W_\nu^+) - Z_\nu^0 (W_\mu^+ \partial_\mu W_\nu^- - W_\mu^- \partial_\mu W_\nu^+) + Z_\nu^0 (W_\mu^+ \partial_\mu W_\nu^- - \\
& W_\mu^- \partial_\mu W_\nu^+) - ig s_w [\partial_\mu A_\nu (W_\mu^+ W_\nu^- - W_\mu^- W_\nu^+) - A_\nu (W_\mu^+ \partial_\mu W_\nu^- - \\
& W_\mu^- \partial_\mu W_\nu^+) + A_\nu (W_\mu^- \partial_\mu W_\nu^+ - W_\mu^+ \partial_\mu W_\nu^-)] - \frac{1}{2}g^2 W_\mu^+ W_\mu^- W_\mu^+ W_\mu^- + \\
& \frac{1}{2}g^2 W_\mu^+ W_\mu^- W_\mu^+ W_\mu^- + g^2 c_w^2 (Z_\mu^0 W_\mu^+ Z_\nu^0 W_\nu^- - Z_\mu^0 Z_\nu^0 W_\mu^+ W_\nu^-) + \\
& g^2 s_w^2 (A_\mu W_\mu^+ A_\nu W_\nu^- - A_\mu A_\nu W_\mu^+ W_\nu^-) + g^2 s_w c_w [A_\mu Z_\nu^0 (W_\mu^+ W_\nu^- - \\
& W_\mu^- W_\nu^+) - 2A_\mu Z_\nu^0 W_\mu^+ W_\nu^-] - g\alpha [H^3 + H \phi^0 \phi^0 + 2H \phi^+ \phi^-] - \\
& \frac{1}{8}g^2 \alpha_h [H^4 + (\phi^0)^4 + 4(\phi^+ \phi^-)^2 + 4(\phi^0)^2 \phi^+ \phi^- + 4H^2 \phi^+ \phi^- + 2(\phi^0)^2 H^2] - \\
& g M W_\mu^+ W_\mu^- H - \frac{1}{2}g \frac{M^2}{c_w^2} Z_\mu^0 Z_\nu^0 H - \frac{1}{2}ig [W_\mu^+ (\phi^0 \partial_\mu \phi^- - \phi^- \partial_\mu \phi^0) - \\
& W_\mu^- (\phi^0 \partial_\mu \phi^+ - \phi^+ \partial_\mu \phi^0)] + \frac{1}{2}ig [W_\mu^+ (H \partial_\mu \phi^- - \phi^- \partial_\mu H) - W_\mu^- (H \partial_\mu \phi^+ - \\
& \phi^+ \partial_\mu H)] + \frac{1}{2}g \frac{1}{c_w} [Z_\nu^0 (H \partial_\mu \phi^0 - \phi^0 \partial_\mu H) - ig \frac{1}{c_w} Z_\nu^0 Z_\mu^0 (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \\
& ig s_w A_\mu (W_\mu^+ \phi^- - W_\mu^- \phi^+) - ig \frac{1-2c_w^2}{2c_w} Z_\nu^0 (\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) + \\
& ig s_w A_\mu (\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) - \frac{1}{4}g^2 W_\mu^+ W_\mu^- [H^2 + (\phi^0)^2 + 2\phi^+ \phi^-] - \\
& \frac{1}{2}g^2 \frac{1}{c_w^2} Z_\mu^0 Z_\nu^0 [H^2 + (\phi^0)^2 + 2(2s_w^2 - 1)^2 \phi^+ \phi^-] - \frac{1}{2}g^2 \frac{1}{c_w} Z_\nu^0 \phi^0 (W_\mu^+ \phi^- + \\
& W_\mu^- \phi^+) - \frac{1}{2}ig^2 \frac{s_w^2}{c_w} Z_\nu^0 H (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \frac{1}{2}g^2 s_w A_\mu \phi^0 (W_\mu^+ \phi^- + \\
& W_\mu^- \phi^+) + \frac{1}{2}ig^2 s_w A_\mu H (W_\mu^+ \phi^- - W_\mu^- \phi^+) - g^2 \frac{2s_w}{c_w} (1 - Z_\nu^0 A_\mu \phi^+ \phi^- - \\
& g^1 s_w^2 A_\mu A_\nu \phi^+ \phi^- - e^\lambda (\gamma \partial + m_\lambda) e^\lambda - \bar{e}^\lambda \gamma \partial \nu^\lambda - \bar{u}_j^\lambda (\gamma \partial + m_\lambda) u_j^\lambda - \bar{d}_j^\lambda (\gamma \partial + \\
& m_\lambda) d_j^\lambda + ig s_w A_\mu [-(\bar{e}^\lambda \gamma e^\lambda) + \frac{2}{3}(\bar{u}_j^\lambda \gamma u_j^\lambda) - \frac{1}{3}(\bar{d}_j^\lambda \gamma d_j^\lambda)] + \frac{ig}{2c_w} Z_\nu^0 [(\bar{\nu}^\lambda \gamma \nu^\lambda (1 + \\
& \gamma^5) \nu^\lambda) + (\bar{e}^\lambda \gamma \mu (4s_w^2 - 1 - \gamma^5) e^\lambda) + (\bar{u}_j^\lambda \gamma \mu (\frac{2}{3}s_w^2 - 1 - \gamma^5) u_j^\lambda) + \\
& (\bar{d}_j^\lambda \gamma \mu (1 - \frac{2}{3}s_w^2 - \gamma^5) d_j^\lambda)] + \frac{ig}{2\sqrt{2}} W_\mu^+ [(\bar{\nu}^\lambda \gamma \mu (1 + \gamma^5) e^\lambda) + (\bar{u}_j^\lambda \gamma \mu (1 + \\
& \gamma^5) C_{\lambda\lambda} d_j^\lambda)] + \frac{ig}{2\sqrt{2}} W_\mu^- [(\bar{e}^\lambda \gamma \mu (1 + \gamma^5) \nu^\lambda) + (\bar{d}_j^\lambda \gamma \mu C_{\lambda\lambda}^\mu (1 + \gamma^5) u_j^\lambda)] + \\
& \frac{ig}{2\sqrt{2}} \frac{m_\lambda^2}{M} [-\phi^+ (\bar{\nu}^\lambda (1 - \gamma^5) e^\lambda) + \phi^- (\bar{e}^\lambda (1 + \gamma^5) \nu^\lambda)] - \frac{g}{2} \frac{m_\lambda^2}{M} [H (\bar{e}^\lambda e^\lambda) + \\
& i\phi^0 (\bar{e}^\lambda \gamma e^\lambda)] + \frac{ig}{2M\sqrt{2}} \phi^+ [-m_\lambda^2 (\bar{u}_j^\lambda C_{\lambda\lambda} (1 - \gamma^5) d_j^\lambda) + m_\lambda^2 (\bar{u}_j^\lambda C_{\lambda\lambda} (1 + \\
& \gamma^5) d_j^\lambda)] + \frac{ig}{2M\sqrt{2}} \phi^- [m_\lambda^2 (\bar{d}_j^\lambda C_{\lambda\lambda}^\mu (1 + \gamma^5) u_j^\lambda) - m_\lambda^2 (\bar{d}_j^\lambda C_{\lambda\lambda}^\mu (1 - \gamma^5) u_j^\lambda) - \\
& \frac{g}{2} \frac{m_\lambda^2}{M} H (\bar{u}_j^\lambda u_j^\lambda) - \frac{g}{2} \frac{m_\lambda^2}{M} H (\bar{d}_j^\lambda d_j^\lambda) + \frac{ig}{2} \frac{m_\lambda^2}{M} \phi^0 (\bar{u}_j^\lambda \gamma^5 u_j^\lambda) - \frac{ig}{2} \frac{m_\lambda^2}{M} \phi^0 (\bar{d}_j^\lambda \gamma^5 d_j^\lambda) + \\
& \bar{X}^+ (\partial^2 - M^2) X^+ + \bar{X}^- (\partial^2 - M^2) X^- + \bar{X}^0 (\partial^2 - \frac{M^2}{c_w^2}) X^0 + \bar{Y} \partial^2 Y + \\
& igc_w W_\mu^+ (\partial_\mu \bar{X}^0 X^0 - \partial_\mu \bar{X}^+ X^+) + igc_w W_\mu^+ (\partial_\mu \bar{Y} X^- - \partial_\mu \bar{X}^+ Y) + \\
& igc_w W_\mu^- (\partial_\mu \bar{X}^0 X^0 - \partial_\mu \bar{X}^0 X^+) + igc_w W_\mu^- (\partial_\mu \bar{X}^- Y - \partial_\mu \bar{Y} X^+) + \\
& igc_w Z_\mu^0 (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) + igc_w A_\mu (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) - \\
& \frac{1}{2}g M [\bar{X}^+ X^+ H + \bar{X}^- X^- H + \frac{1}{c_w} \bar{X}^0 X^0 H] + \frac{1}{2c_w} ig M [\bar{X}^+ X^0 \phi^+ - \\
& \bar{X}^- X^0 \phi^-] + \frac{1}{2c_w} ig M [\bar{X}^0 X^0 \phi^+ - \bar{X}^0 X^0 \phi^-] + ig M s_w [\bar{X}^0 X^0 \phi^+ - \\
& \bar{X}^0 X^0 \phi^-] + \frac{1}{2}ig M [\bar{X}^+ X^+ \phi^0 - \bar{X}^- X^- \phi^0]
\end{aligned}$$

=





The Standard Model



Quarks

U C +

d s b

Forces

Leptons

The Standard Model is the Biggest Triumph of Physics!

$$\begin{aligned}
& -\frac{1}{2}\partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4} g_s^2 f^{abc} f^{ade} g_\mu^b g_\nu^c g_\mu^d g_\nu^e + \\
& \frac{1}{2} i g_2^2 (\bar{q}_i^\alpha \gamma^\mu q_j^\alpha) g_\mu^a + G^a \partial^2 G^a + g_s f^{abc} \partial_\mu G^a G^b g_\mu^c - \partial_\mu W_\mu^+ \partial_\nu W_\nu^- - \\
& M^2 W_\mu^+ W_\mu^- - \frac{1}{2} \partial_\mu Z_\mu^0 Z_\mu^0 - \frac{1}{2} M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2} \partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2} \partial_\mu H \partial_\mu H - \\
& \frac{1}{2} m_H^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi^- - M^2 \phi^+ \phi^- - \frac{1}{2} \partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2} M^2 \phi^0 \phi^0 \\
& \frac{2M}{g} H + \frac{1}{2} (H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-)
\end{aligned}$$





The Standard Model



Quarks

U C +

d s b

e u T

e u T

e u T

e u T

e u T

e u T

e u T

e u T

e u T

e u T

e u T

Forces

The Standard Model is the Biggest Triumph of Physics !?



$$\begin{aligned}
& -\frac{1}{2}\partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4}g_s^2 f^{abc} f^{adc} g_\mu^b g_\nu^c g_\mu^d g_\nu^d + \\
& \frac{1}{2}ig_s^2 (q_i^\mu q_j^\nu q_k^\rho) g_\mu^a + G^a \partial^\mu G^a + g_s f^{abc} \partial_\mu G^a G^b g_\mu^c - \partial_\mu W_\nu^+ \partial_\mu W_\nu^- - \\
& M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\nu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2g_w^2} M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2}\partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2}\partial_\mu H \partial_\mu H - \\
& \frac{1}{2}m_f^2 H^2 - \partial_\mu \phi^\dagger \partial_\mu \phi - M^2 \phi^\dagger \phi - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2}M_\phi^2 \phi^0 \phi^0 + \\
& \frac{2M}{g} H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^\dagger \phi)
\end{aligned}$$

$$\begin{aligned}
& \frac{1}{2}ig_w W_\mu^+ [(e^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + (u_\lambda^j \gamma^\mu (1 + \gamma^5) u_\lambda^j)] + \\
& \frac{1}{2}ig_w W_\mu^- [(e^\lambda \gamma^\mu (1 - \gamma^5) \nu^\lambda) + (d_\lambda^j \gamma^\mu (1 + \gamma^5) u_\lambda^j)] + \\
& \frac{1}{2}ig_w W_\mu^0 [-\phi^\dagger (\bar{e}^\lambda \gamma^\mu (1 - \gamma^5) e^\lambda) + \phi (\bar{e}^\lambda (1 + \gamma^5) \nu^\lambda)] - \frac{g}{2} \frac{m_\lambda}{M} [H (\bar{e}^\lambda e^\lambda) + \\
& i\phi^0 (\bar{e}^\lambda \gamma^5 e^\lambda)] + \frac{ig}{2M\sqrt{2}} \phi^\dagger [-m_\lambda^2 (\bar{u}_\lambda^j C_{\lambda c} (1 - \gamma^5) d_\lambda^j) + m_\lambda^2 (\bar{u}_\lambda^j C_{\lambda c} (1 + \gamma^5) u_\lambda^j) + \\
& \frac{ig}{2M\sqrt{2}} \phi^\dagger [m_\lambda^2 (\bar{d}_\lambda^j C_{\lambda c} (1 + \gamma^5) u_\lambda^j) - m_\lambda^2 (\bar{d}_\lambda^j C_{\lambda c} (1 - \gamma^5) u_\lambda^j)] - \\
& \frac{g}{2} \frac{m_\lambda}{M} H (\bar{u}_\lambda^j u_\lambda^j) - \frac{g}{2} \frac{m_\lambda}{M} H (\bar{d}_\lambda^j d_\lambda^j) + \frac{ig}{2} \frac{m_\lambda}{M} \phi^0 (\bar{u}_\lambda^j \gamma^5 u_\lambda^j) - \frac{ig}{2} \frac{m_\lambda}{M} \phi^0 (\bar{d}_\lambda^j \gamma^5 d_\lambda^j) + \\
& \bar{X}^+ (\partial^2 - M^2) X^+ + \bar{X}^- (\partial^2 - M^2) X^- + \bar{X}^0 (\partial^2 - \frac{M^2}{c_w^2}) X^0 + Y \partial^2 Y + \\
& igc_w W_\mu^+ (\partial_\mu \bar{X}^0 X^0 - \partial_\mu \bar{X}^+ X^+) + igc_w W_\mu^+ (\partial_\mu \bar{Y} X^- - \partial_\mu \bar{X}^+ Y) + \\
& igc_w W_\mu^- (\partial_\mu \bar{X}^- X^0 - \partial_\mu \bar{X}^0 X^+) + igc_w W_\mu^- (\partial_\mu \bar{X}^- Y - \partial_\mu \bar{Y} X^+) + \\
& igc_w Z_\mu^0 (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) + igc_w Z_\mu^0 (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) - \\
& \frac{1}{2}gM [\bar{X}^+ X^+ H + \bar{X}^- X^- H + \frac{1}{c_w} \bar{X}^0 X^0 H] + \frac{1}{2c_w} igM [\bar{X}^+ X^0 \phi^\dagger - \\
& \bar{X}^- X^0 \phi] + \frac{1}{2c_w} igM [\bar{X}^0 X^0 \phi^\dagger - \bar{X}^0 X^0 \phi] + igM s_w [\bar{X}^0 X^0 \phi^\dagger - \\
& \bar{X}^0 X^0 \phi] + \frac{1}{2}igM [X^+ X^+ \phi^0 - X^- X^- \phi^0]
\end{aligned}$$

But..... We still don't know Matter Anti-Matter Asymmetry, Dark Matter, Dark Energy, Black Holes, Gravity,





The Standard Model



Quarks

U C t

d s b

Leptons

Forces

$$\begin{aligned}
& -\frac{1}{2}\partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4}g_s^2 f^{abc} f^{adc} g_\mu^b g_\nu^c g_\mu^d g_\nu^a + \\
& \frac{1}{2}ig_s^2 (q_i^\mu q_i^\nu q_j^\mu q_j^\nu + G^a \partial^\mu G^a + g_s f^{abc} \partial_\mu G^a G^b g_\mu^c - \partial_\nu W_\mu^+ \partial_\nu W_\mu^- - \\
& M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\nu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2g_w^2} M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2}\partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2}\partial_\mu H \partial_\mu H - \\
& \frac{1}{2}m_f^2 H^2 - \partial_\mu \phi^\dagger \partial_\mu \phi - M^2 \phi^\dagger \phi - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2}M_\phi^2 \phi^0 \phi^0 \\
& \frac{2M}{g} H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^\dagger \phi)
\end{aligned}$$

The standard model is incomplete so there MUST be new physics out there...



But..... We still don't know Matter Anti-Matter Asymmetry, Dark Matter, Dark Energy, Black Holes, Gravity,

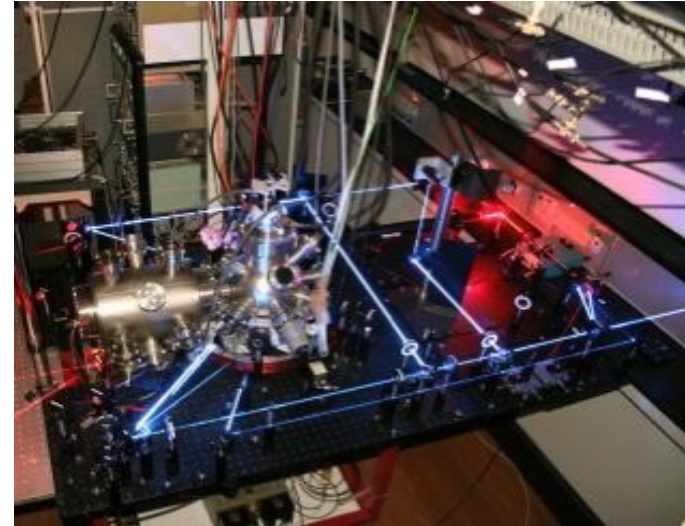
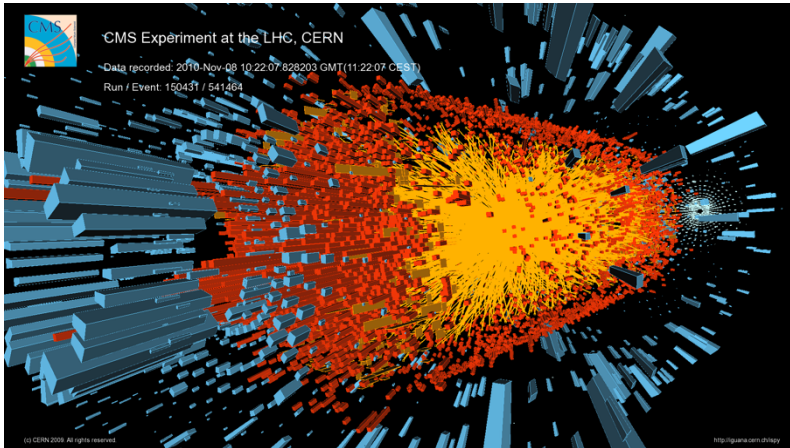


Looking for New Physics



High Energy

Vs. High Precision



*Random people that DON'T do physics 😊

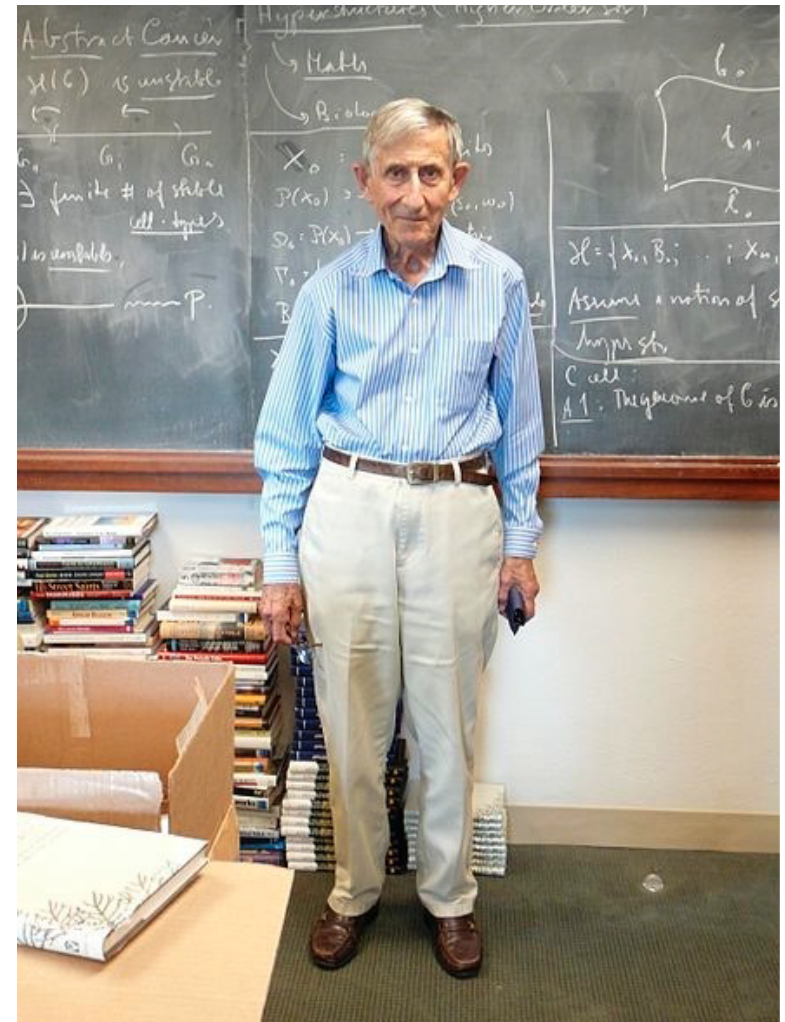


Looking for New Physics



Freeman Dyson on 16 discoveries awarded the Nobel Prize between 1945 and 2008:

The results of my survey are then as follows: four discoveries on the energy frontier, four on the rarity frontier, eight on the accuracy frontier. Only a quarter of the discoveries were made on the energy frontier, while half of them were made on the accuracy frontier. **For making important discoveries, high accuracy was more useful than high energy.**



BSM Physics Searches @ Low Energy

1. Start with a process we know very (very) well.

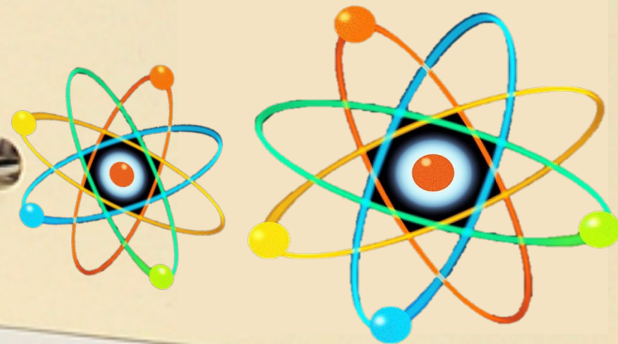


2. Consider general new physics (by introducing new operators).

3. Look at the effect of the new physics on well defined observables.

4. Measured with high precision.

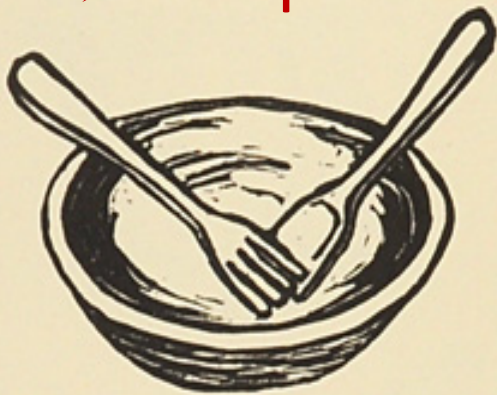
5. Look for (small) deviations.



BSM Physics Searches @ Low Energy

1. Start with a process we know very (very) well.

\Rightarrow ${}^8\text{Li}$ β -Decay

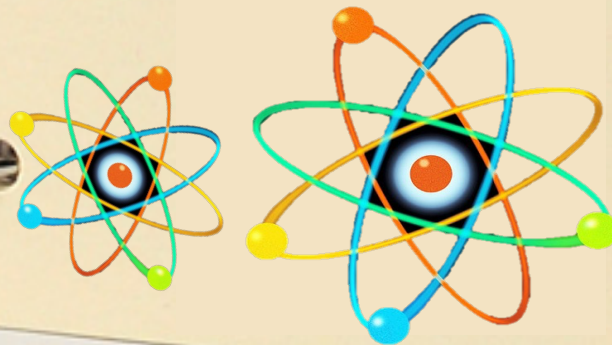


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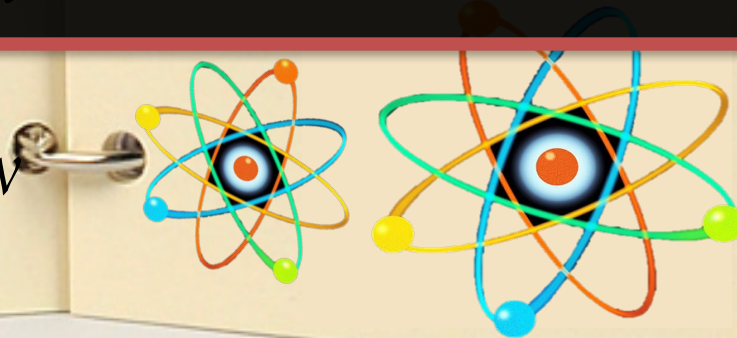
BSM Physics Searches @ Low Energy

1. Start with a process we know

3. Look at the effect

Why β decay? Historically β decay measurements resulted in many discoveries of new physics that were instrumental in the development of the standard model as we know it.

2. Consider general new physics (by introducing new operators).





β Decay History



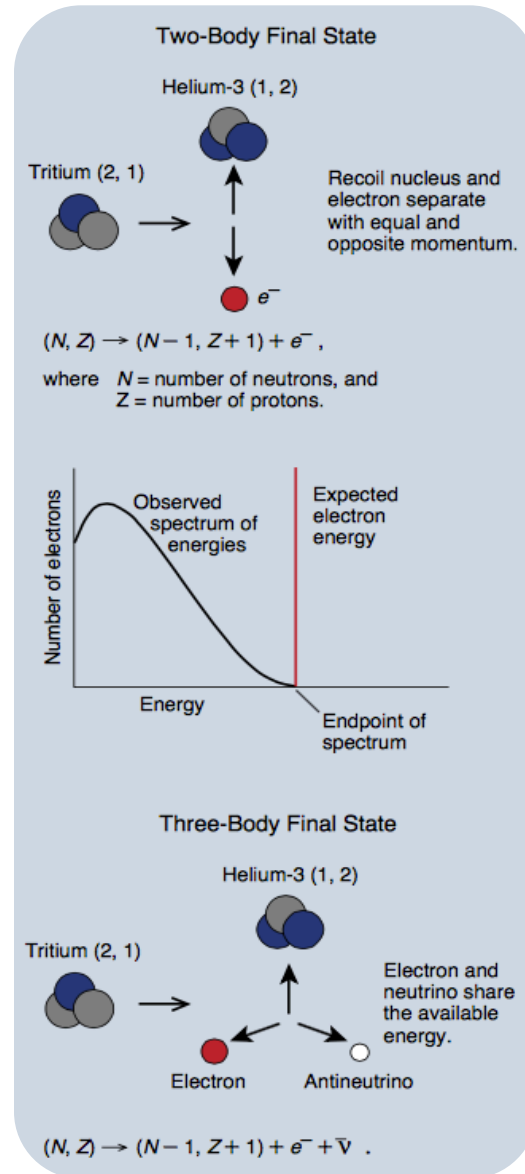
1911 – 1927: β energy spectrum measurement in nuclear β decay.

- Expectation: Discrete spectrum (\approx Q-Value)
- Observation: Continuous spectrum with a clear endpoint (\approx Q-Value)

1930: Pauli's proposal: Existence of a light neutral 'neutron' like particle emitted in the β decay process

1931: Fermi changes Pauli's 'neutron' to 'neutrino' and formulate a 'contact interaction' model for beta decay.

- QED analogy; assuming vector interactions





β Decay History



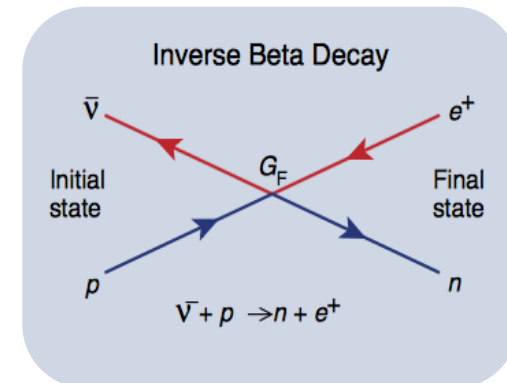
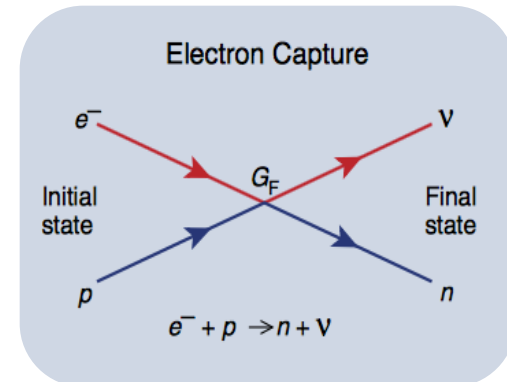
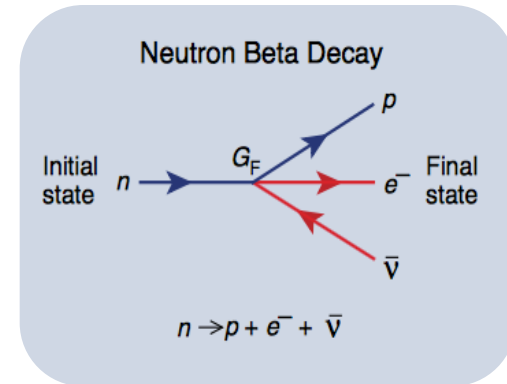
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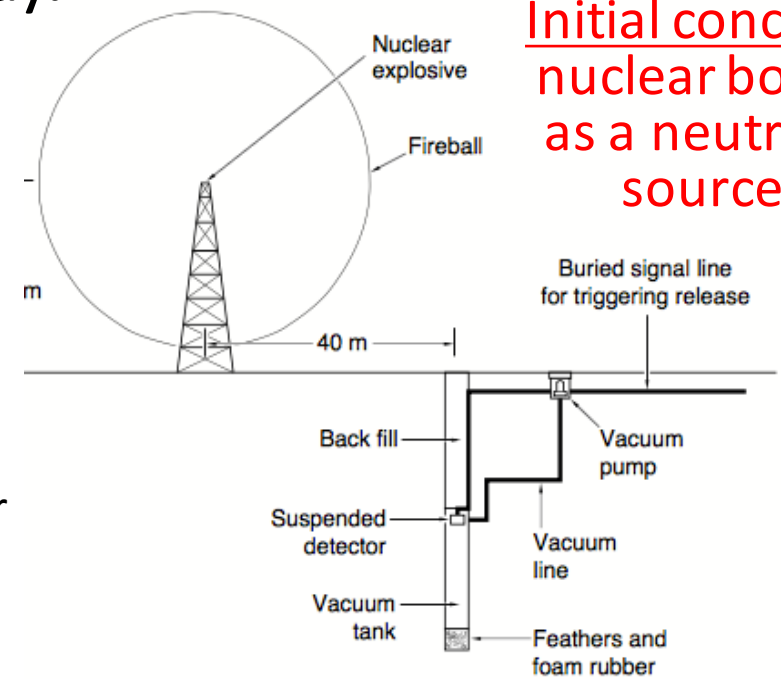
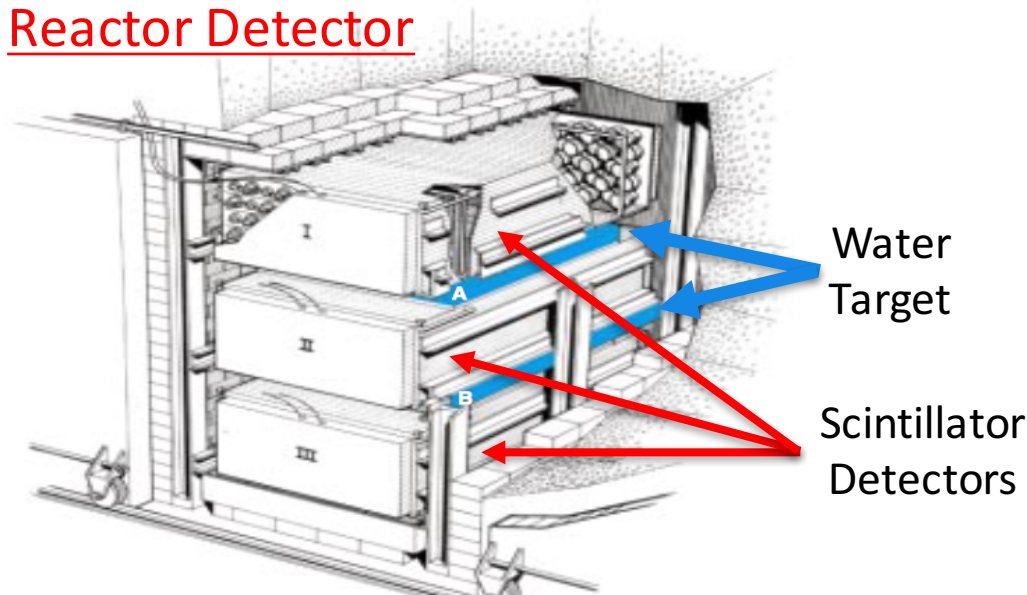
Observing the Neutrino



1956: Cowan-Reines observe reactor anti-neutrinos.

- Use nuclear reactors as a high-flux anti-neutrino source.
- Water target for inverse beta decay: $\bar{\nu}_e + p \rightarrow n + e^+$
- Add ^{108}Cd to capture the neutron ($\tau \approx 5 \mu\text{sec}$).
- Use liquid scintillator to measure gammas from positron annihilation and $^{109\text{m}}\text{Cd}$ decay.

Reactor Detector



Initial concept:
nuclear bomb
as a neutrino
source



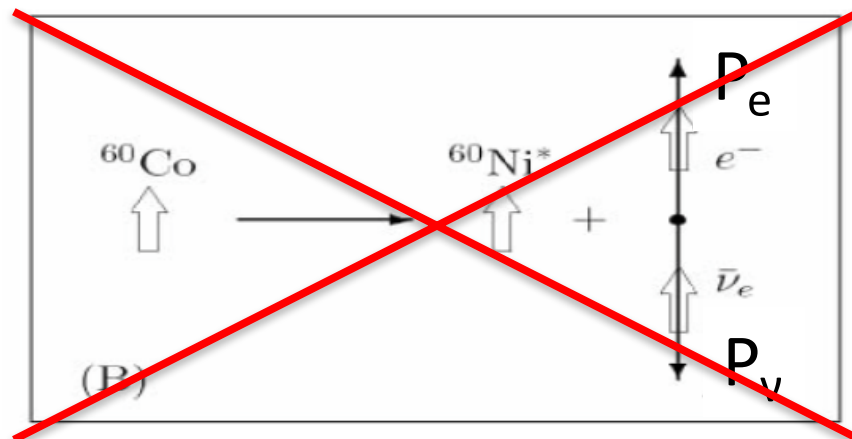
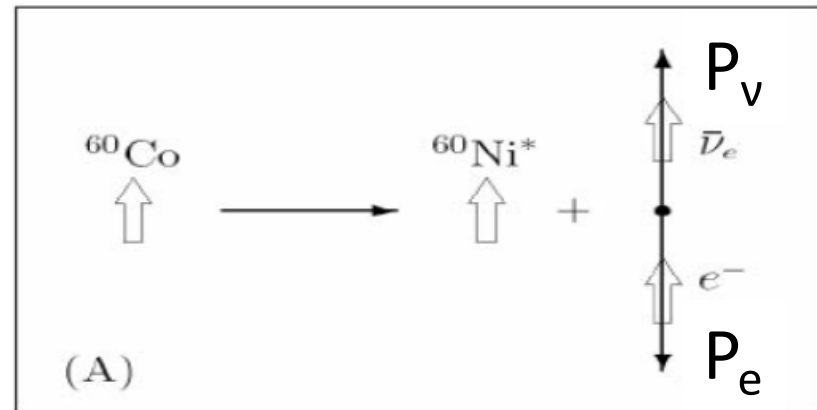
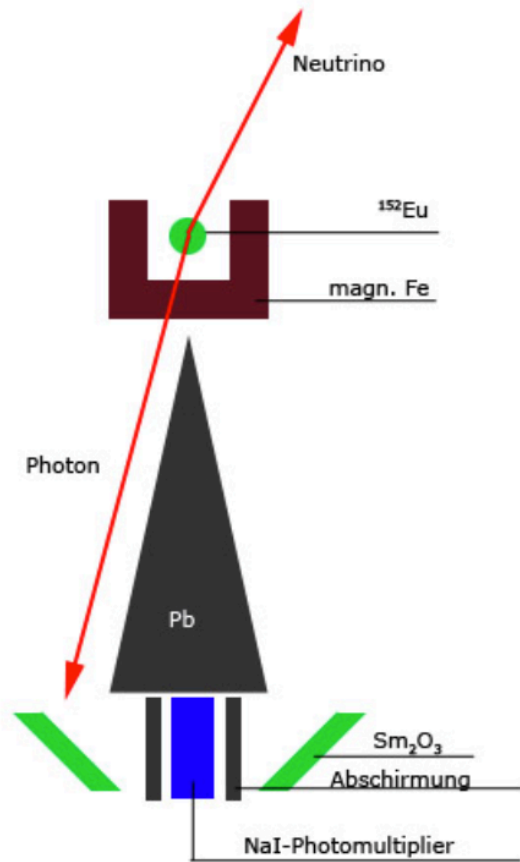
P Violation and V-A nature



1957: Wu et al. observes parity violation in ^{60}Co decay.

Goldhaber measures the neutrino helicity.

=> Neutrinos are left handed. Weak Interaction is V-A



Searching Under the Lamppost ...

Measuring Everything we can:

- Energy Spectra
- Angular Correlations
- Half-Lives
- Polarizations
- ...



... Constraining New Physics

Comparing to Theory and Probing:

- Non V-A Contribution (S, T, P).
- Right-handed Currents (V+A).
- Massive Neutrinos.
- CKM Unitary.
-

+ Many open questions in 'standard' nuclear physics

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Standard Model Formalism



- General Hamiltonian:

$$H_{int} = \sum_{X=\{V,A,T,S,P\}} (\bar{\psi}_p \mathbf{O}_X \psi_n) (C_X \bar{\psi}_e \mathbf{O}_X \psi_\nu + C'_X \bar{\psi}_e \mathbf{O}_X \gamma^5 \psi_\nu)$$



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- Standard Model V-A assumption:

$$C_V = -C'_V = 1 ; C_A = -C'_A = -1.27$$



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- Decay Rate:

$$\Gamma dE_e d\Omega_e d\Omega_\nu \propto \left[1 + \alpha_{\beta\nu} \frac{\vec{P}_e \cdot \vec{P}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} + \frac{\langle \vec{I} \rangle}{I} \cdot \left(A_\beta \frac{\vec{P}_e}{E_e} + B_\nu \frac{\vec{P}_\nu}{E_\nu} + D \frac{\vec{P}_e \times \vec{P}_\nu}{E_e E_\nu} \right) \right]$$



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$$\alpha_{\beta\nu} = \left[\begin{array}{c} |M_F|^2 (|C_V|^2 + |C'_V|^2 - |C_S|^2 - |C'_S|^2) \\ -\frac{1}{3} |M_{GT}|^2 (|C_A|^2 + |C'_A|^2 - |C_T|^2 - |C'_T|^2) \end{array} \right] \xi^{-1}$$



Standard Model Formalism



- General Hamiltonian:

$$H_{int} = \sum_{X=\{V,A,T,S,P\}} (\bar{\psi}_P \mathbf{O}_X \psi_n) (C_X \bar{\psi}_e \mathbf{O}_X \psi_\nu + C'_X \bar{\psi}_e \mathbf{O}_X \gamma^5 \psi_\nu)$$

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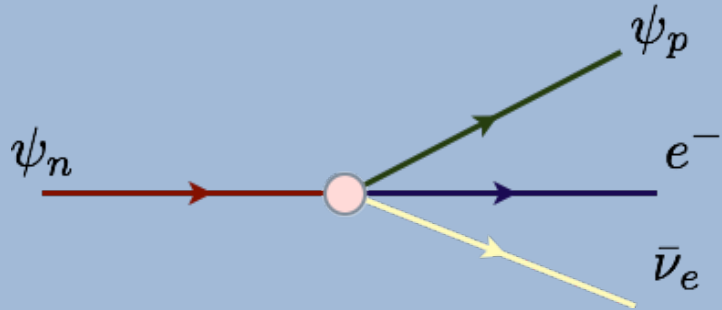
- Sensitivity to new physics: $\left(\frac{M_W}{M_{New}} \right)^2 \sim A_{CC}$



New Physics in β Decay



Standard Model:

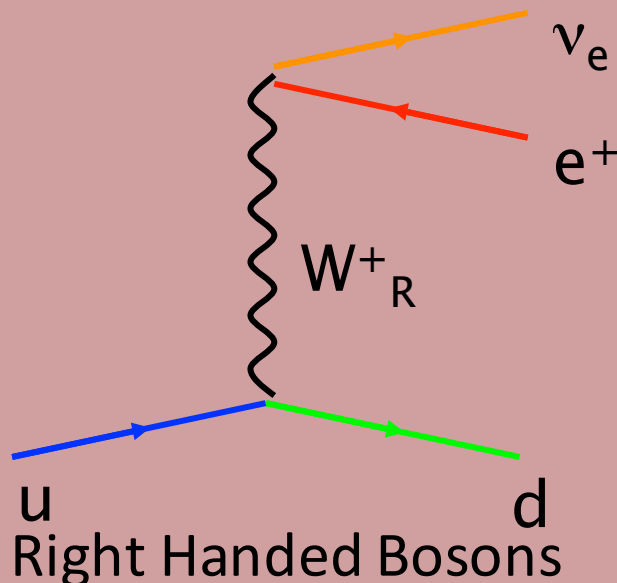


$$H_\beta = (\bar{\psi}_n \gamma_\mu \psi_p) (C_V \bar{\psi}_e \gamma^\mu \psi_\nu + C'_V \bar{\psi}_e \gamma^\mu \gamma_5 \psi_\nu) - (\bar{\psi}_n \gamma_\mu \gamma_5 \psi_p) (C_A \bar{\psi}_e \gamma^\mu \gamma_5 \psi_\nu + C'_A \bar{\psi}_e \gamma^\mu \psi_\nu)$$

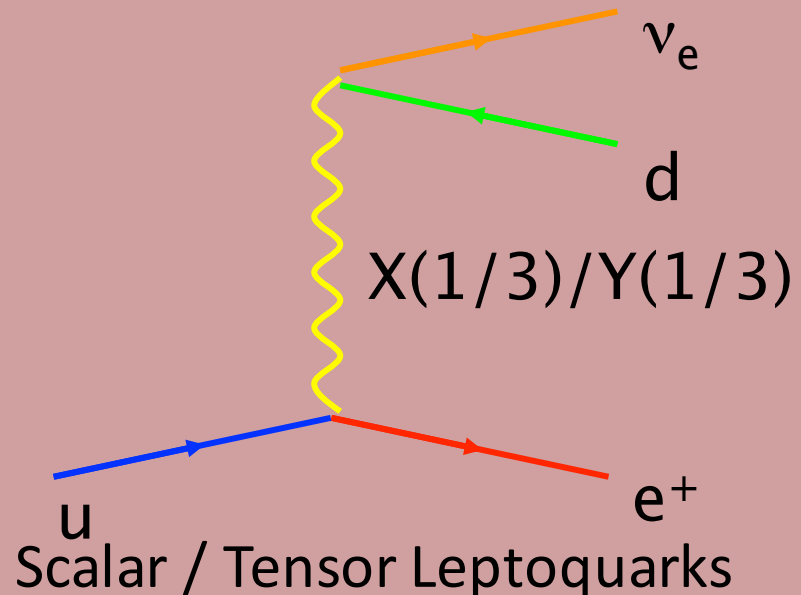
$$C_V = C'_V = 1$$

$$C_A = C'_A = 1.26$$

(Some) New Physics:



Right Handed Bosons
($C \neq C'$)



Scalar / Tensor Leptoquarks
($C_{S,T} \neq 0$)



A-V vs. Tensor Currents

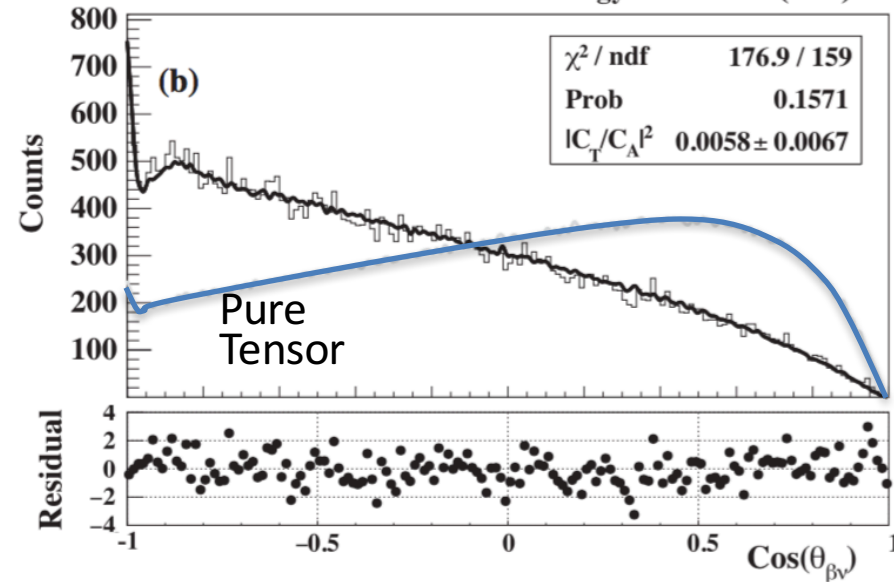
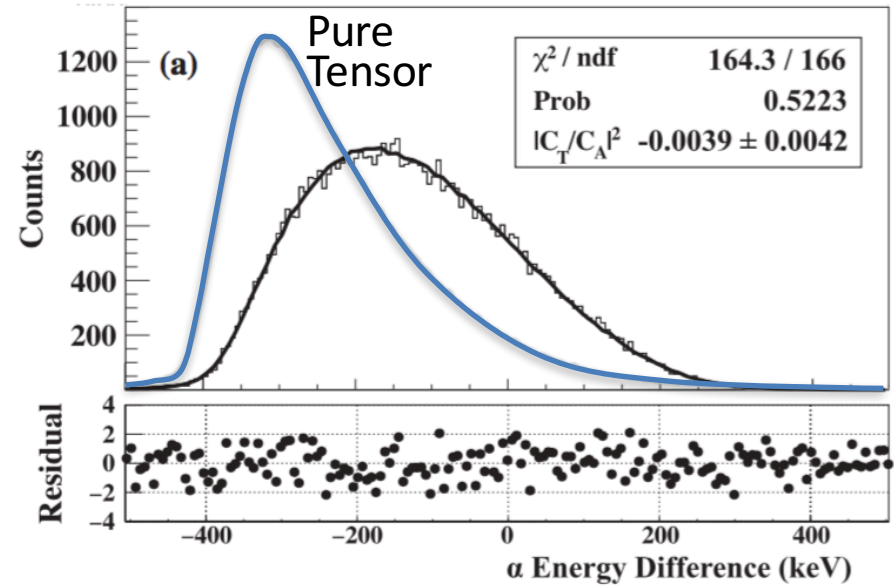


Kinematical distributions sensitive to type of current (from a recent measurement of ^8Li decay):

- Energy distribution of recoiling ion (from two alpha measurement).
- Angle between neutrino and electron.

Resulting Constrain:

$$C_T/C_A < 10\% \text{ (95\% C.L.)}$$

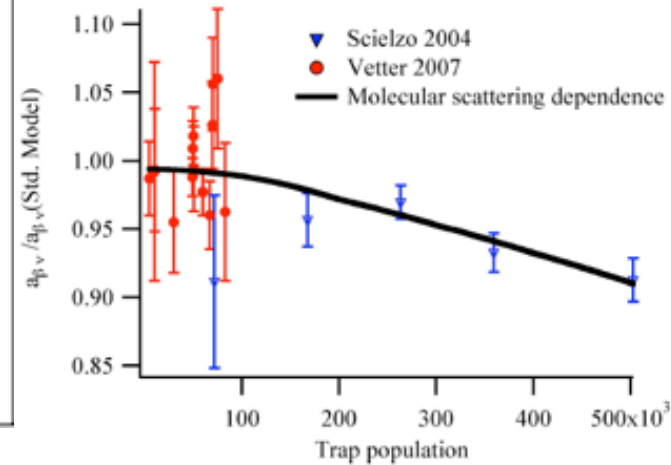
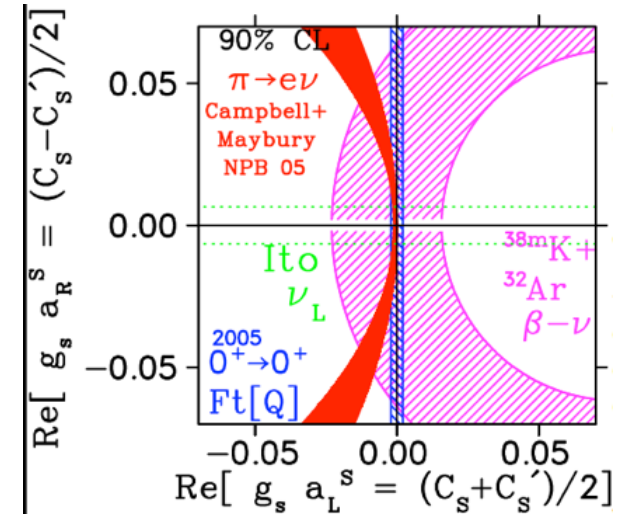
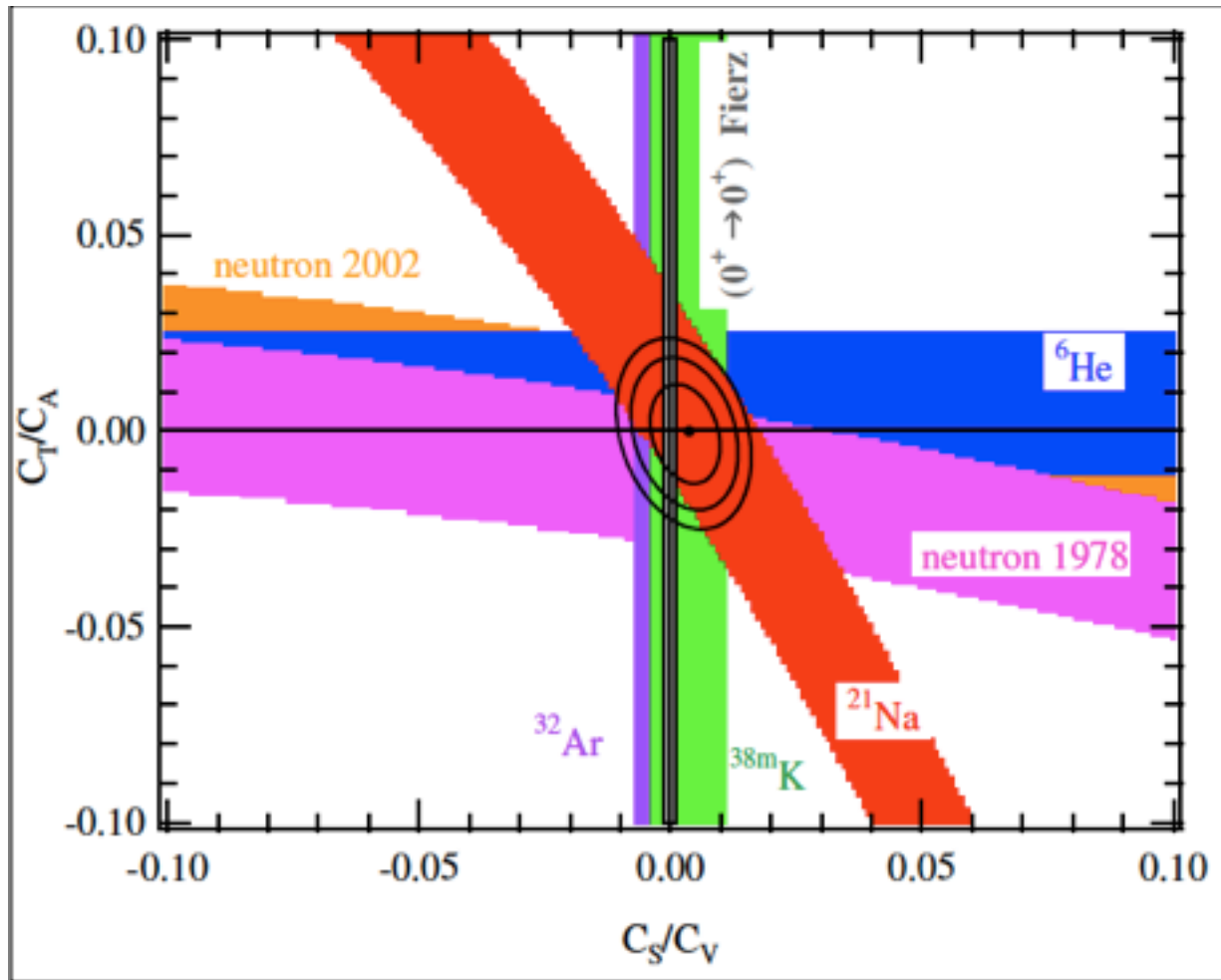




A-V vs. Tensor Currents



Combined Constraint:





The β Decay Challenge

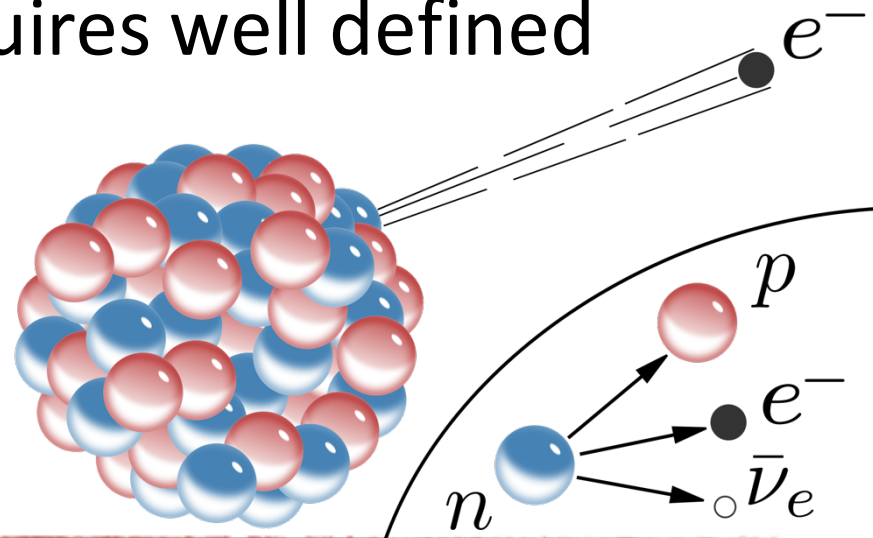


One sentence summery: measuring heavy particles with low energy in very very hard!

- (anti)Neutrino reconstructed from the measured momenta of the recoil system and beta particle.
- Recoil system is heavy and has low energy.
- Angular reconstruction requires well defined vertex

=> Must use traps!

+ Nuclear Uncertainties





Standard β Decay Experiment



Produce Radioactive Atoms
(Produce, Transport, Neutralize)



Trap

(MOT, Dipole, Ion, Electrostatic, ...)



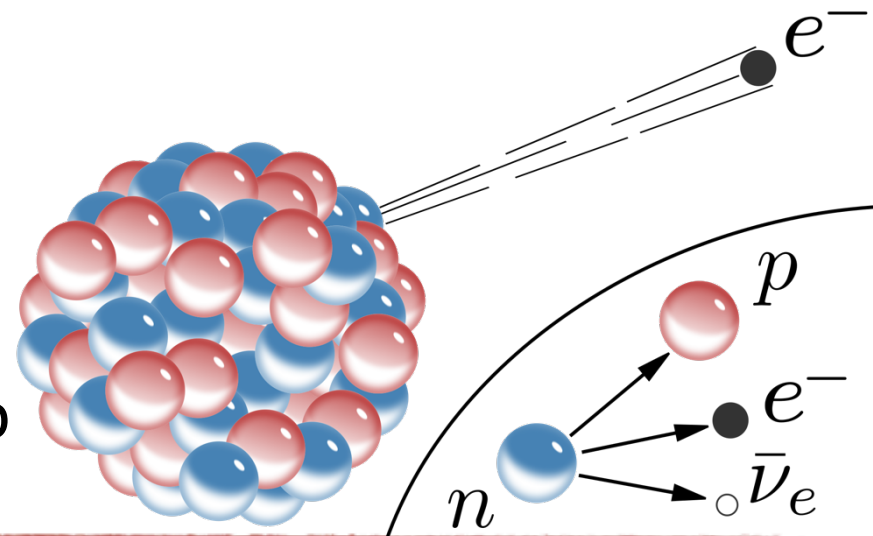
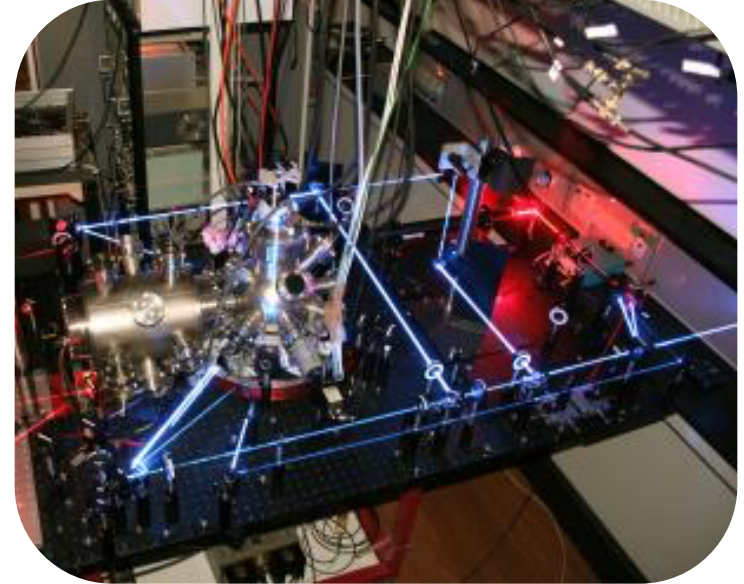
Wait...



Measure Decay Products
(β , ion ; Scintillators, MCP, ...)



Analyze the Data and Compare to
SM Prediction





Standard β Decay Experiment



Produce Radioactive Atoms
(Produce, Transport, Neutralize)



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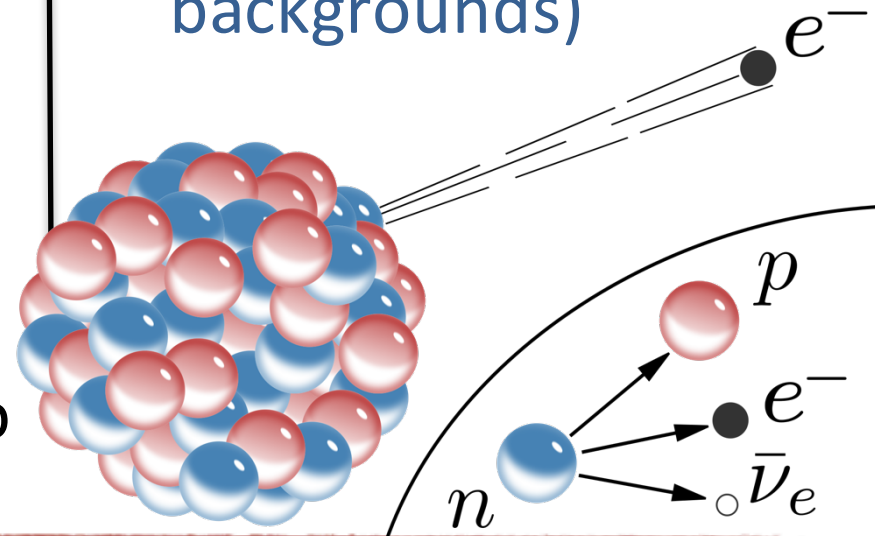
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Analyze the Data and Compare to
SM Prediction

Why Trap?

- Cold and Dilute:
 - No 'smearing' of the ion
 - Less interactions
- Well localized vertex
- Isotope selectivity (low backgrounds)





Standard β Decay Experiment



Produce Radioactive Atoms
(Produce, Transport, Neutralize)

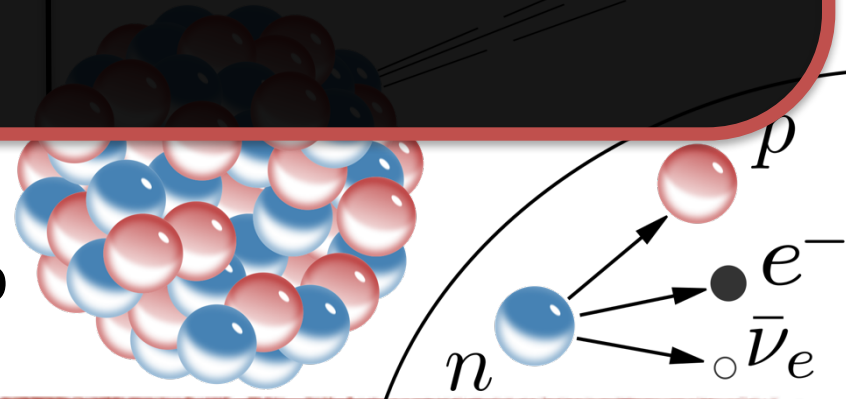
Why Trap?

- Cold and Dilute:

Downside of Trapping:

- Complicated experimental setup.
- Limited number of Isotopes.
- Low Statistics.

Analyze the Data and Compare to
SM Prediction





Standard β Decay Experiment



Produce Radioactive Atoms
(Produce, Transport, Neutralize)



Trap

(MOT, Dipole, Ion, Electrostatic, ...)



Wait...



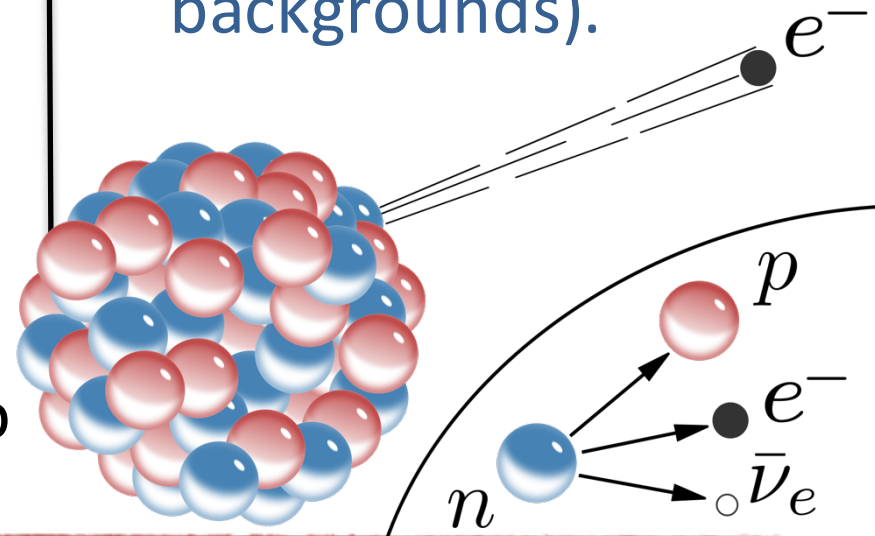
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The OLIVIA Experiment



OLIVIA™

the Ballerina



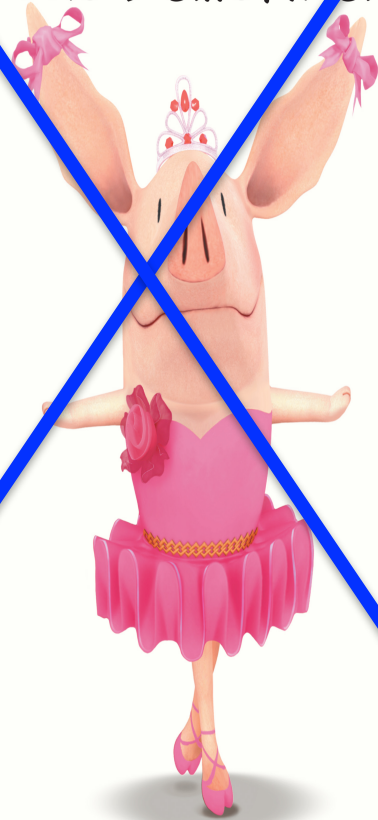


The OLIVIA Experiment

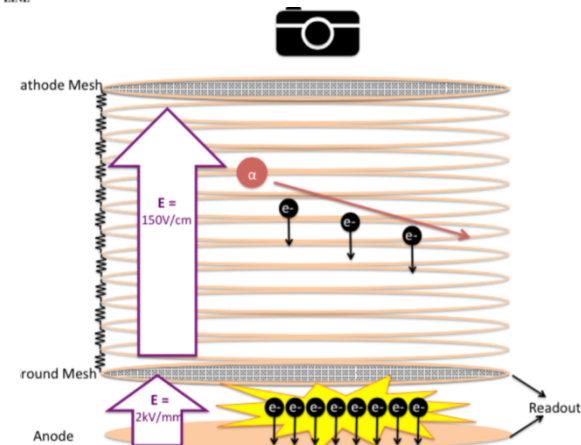
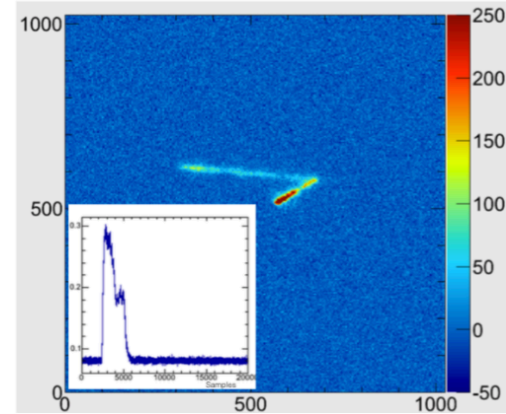
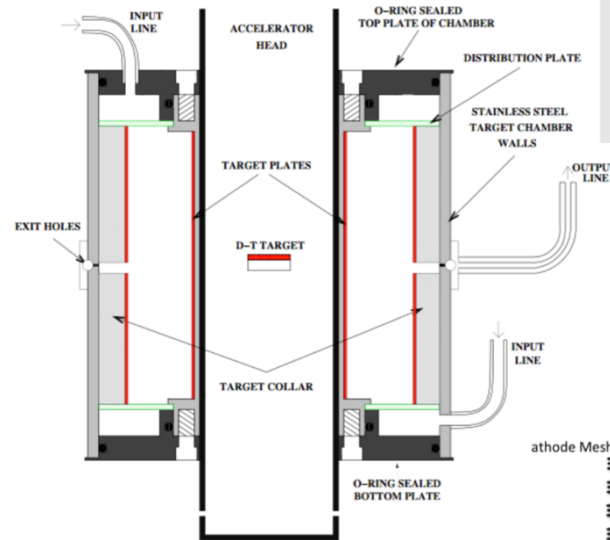


OLIVIA™

the Ballerina

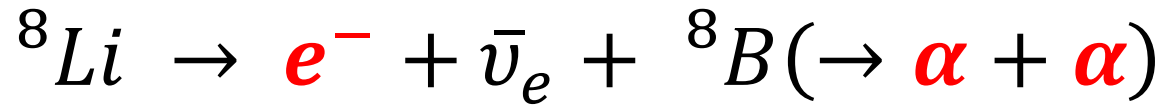


Optical Lithium V-minus-A Experiment





The Case for ${}^8\text{Li}$



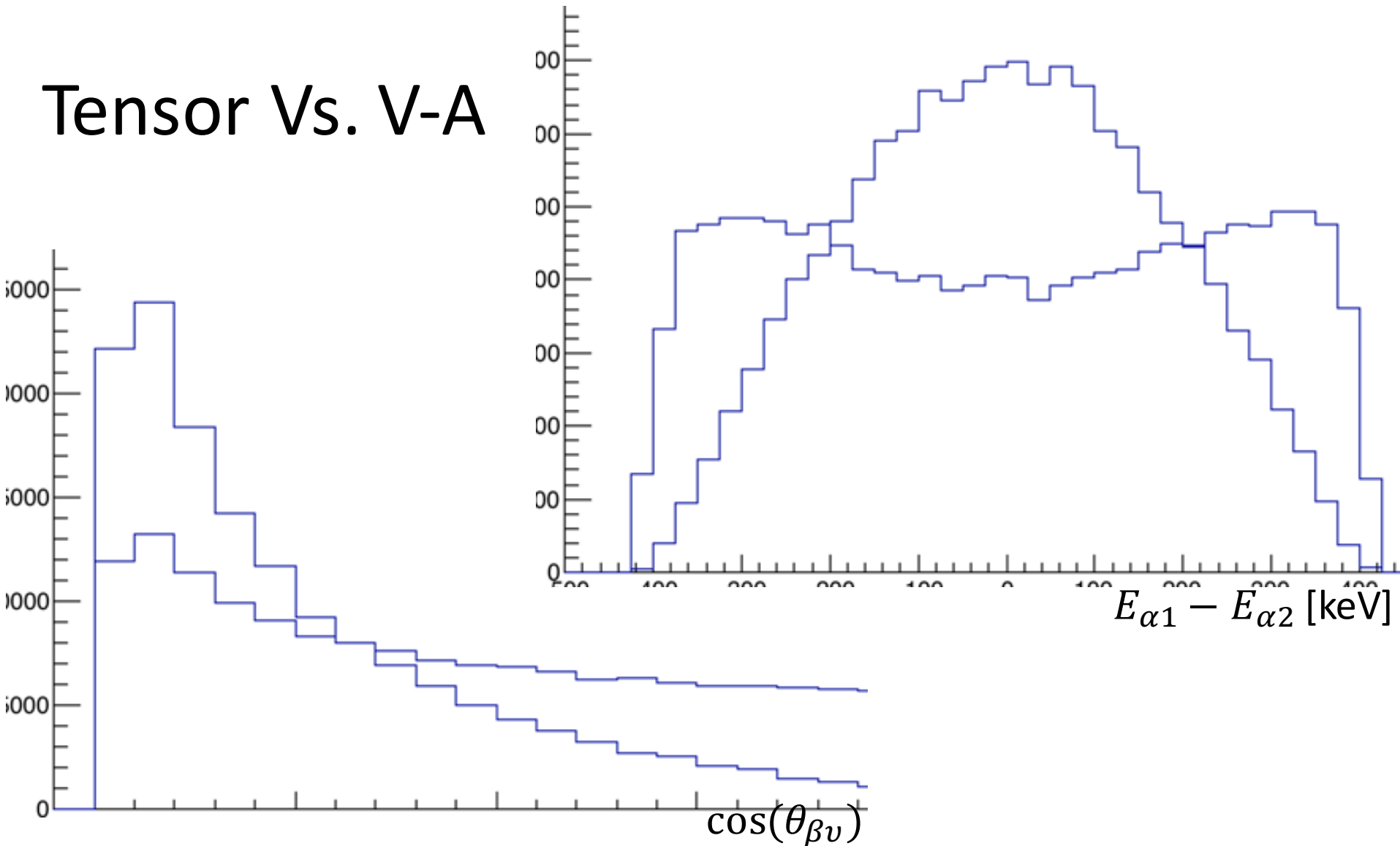
- Good for theory:
 - Almost pure GT.
 - Light nucleus – ‘exact’ calculations possible.
- Excellent for experiment:
 - Easy to produce using proton / neutron induced reactions.
 - 0.8 sec lifetime.
 - Very high Q-value.
 - Two ~ 3.5 MeV alphas in the final state.



The Case for ${}^8\text{Li}$



Tensor Vs. V-A





OLIVIA Experiment

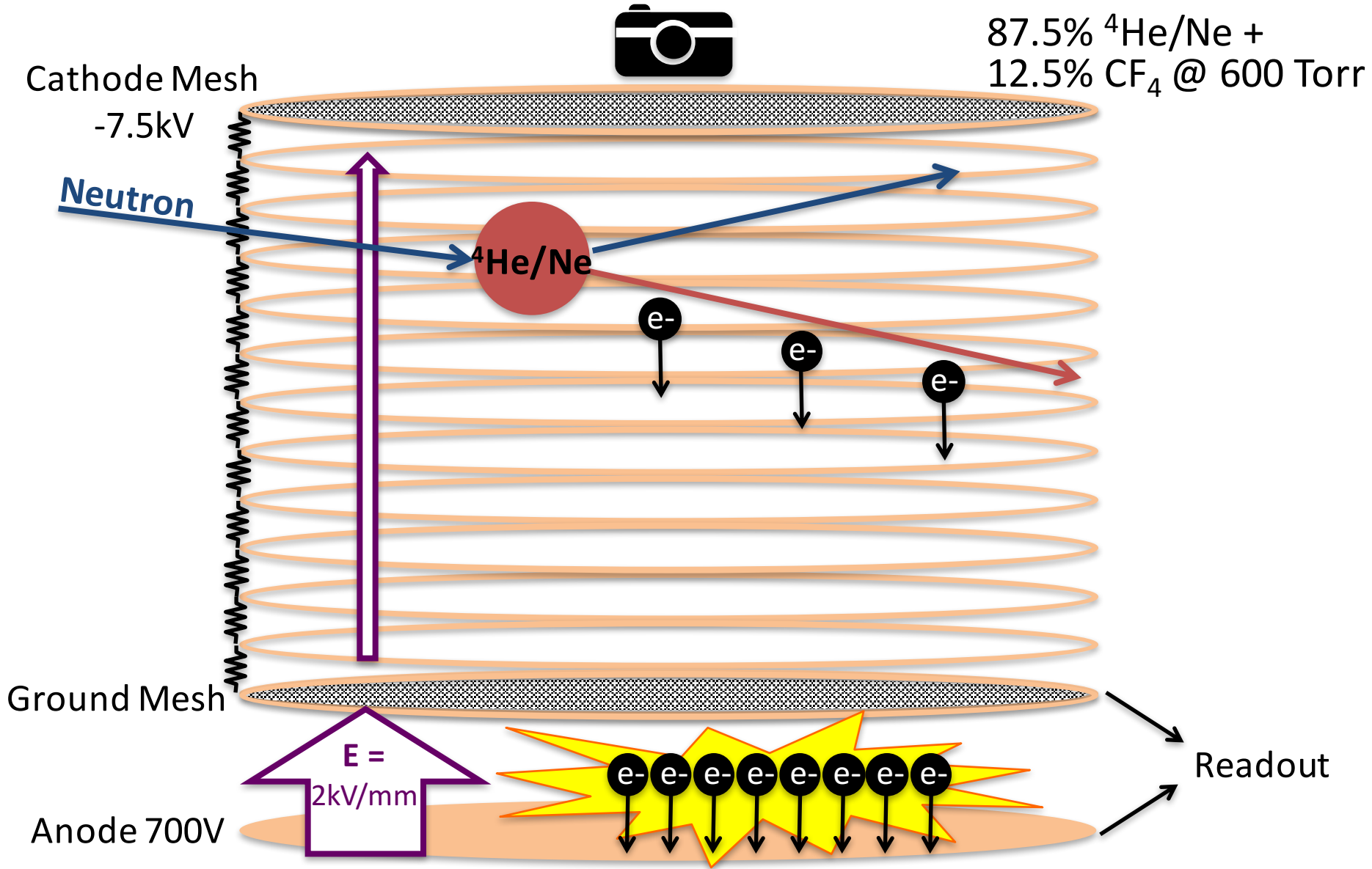


Goal: High-Statistics High-Precision Measurement of ${}^8\text{Li}$ beta decay using a **TPC instead of a trap**

- Reminder: ${}^8\text{Li} \rightarrow e^- + \bar{\nu}_e + {}^8\text{Be}(\rightarrow \alpha + \alpha)$
- Steps:
 - Build a TPC with sensitivity to 1 – 5 MeV Alphas and 1 – 16 MeV electrons.
 - Setup a ${}^8\text{Li}$ production scheme.
 - Build a ${}^8\text{Li}$ Transport system to the TPC.
 - Perform the measurement 😊

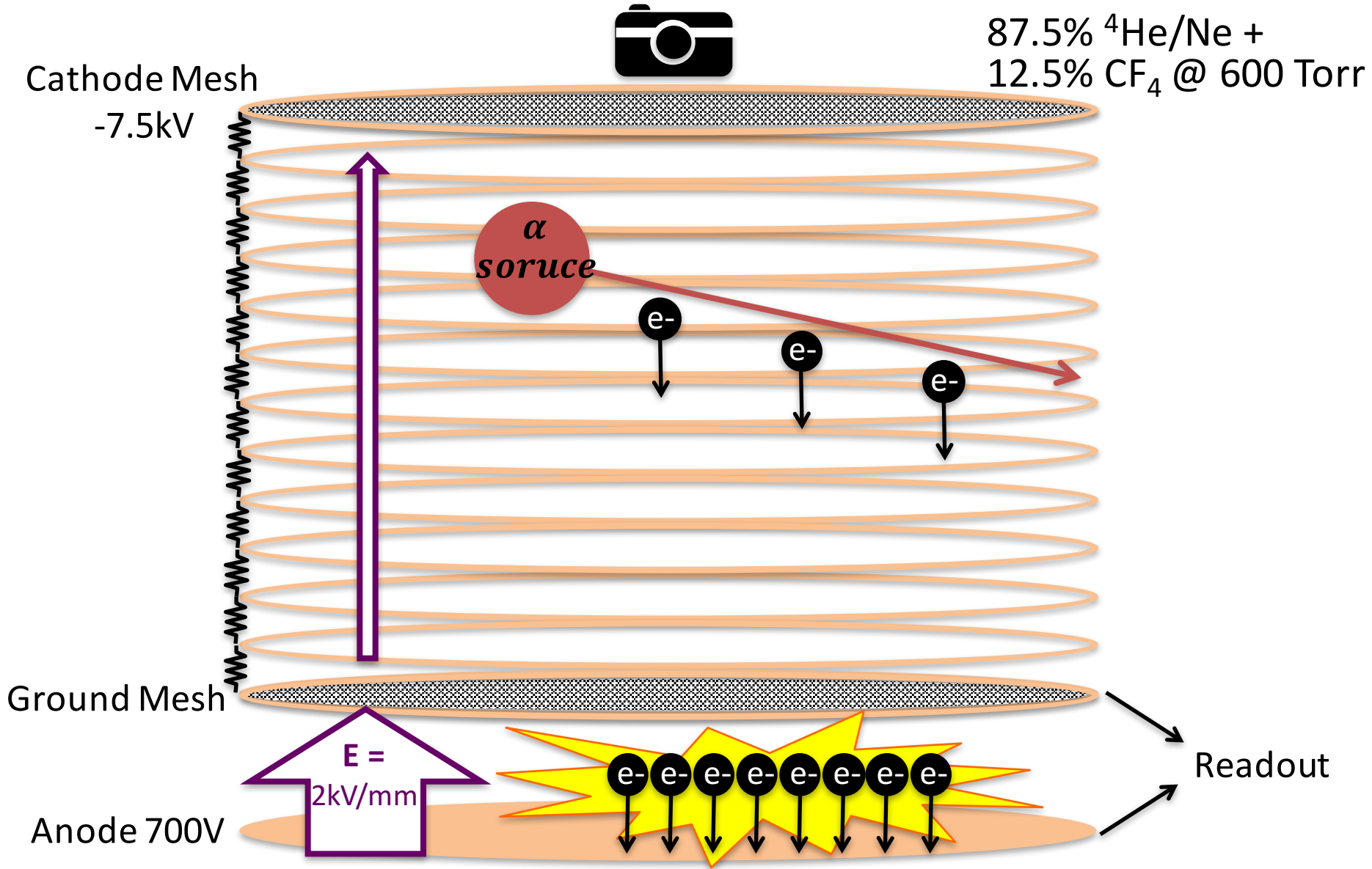


MITPC



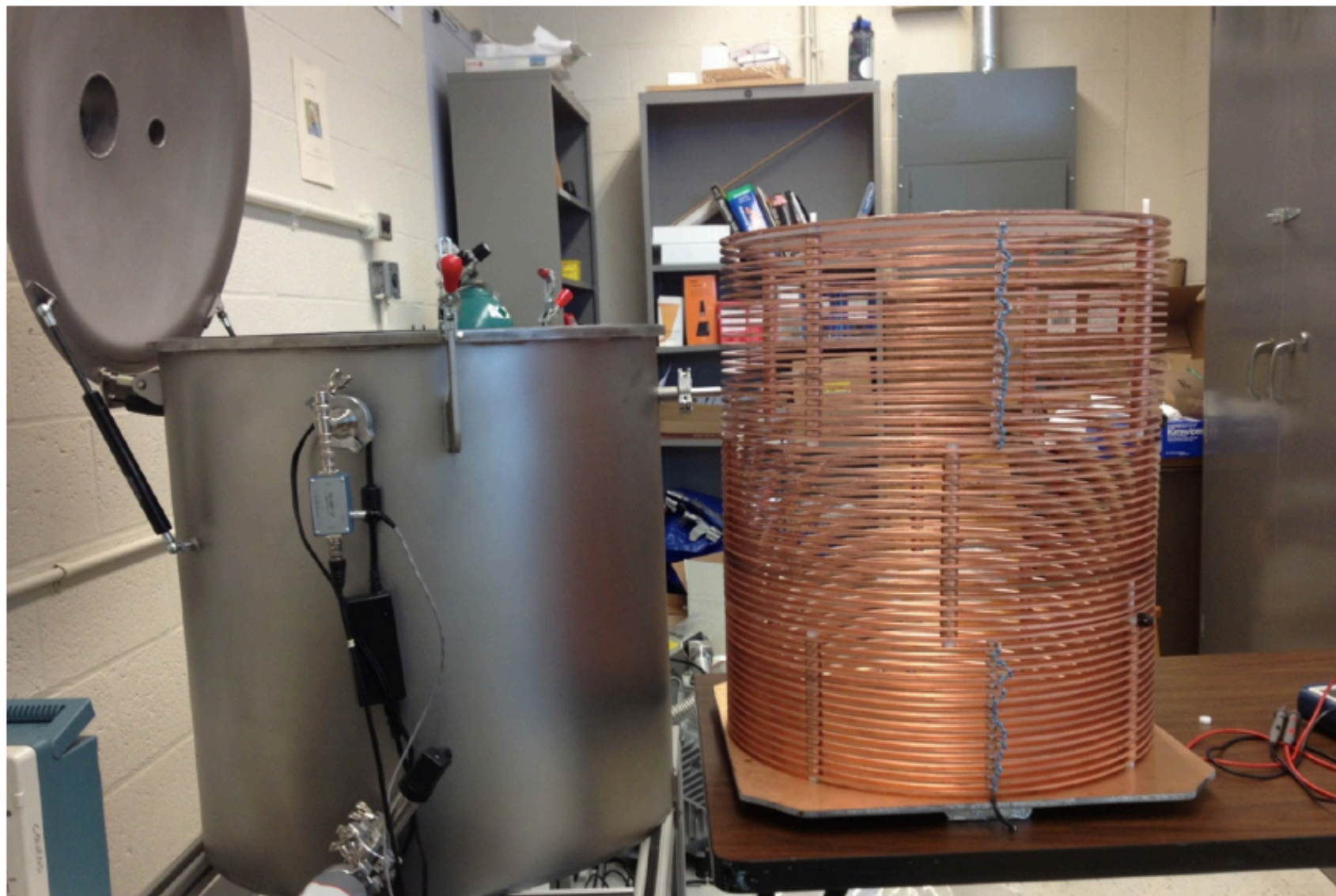


MITPC





MITPC



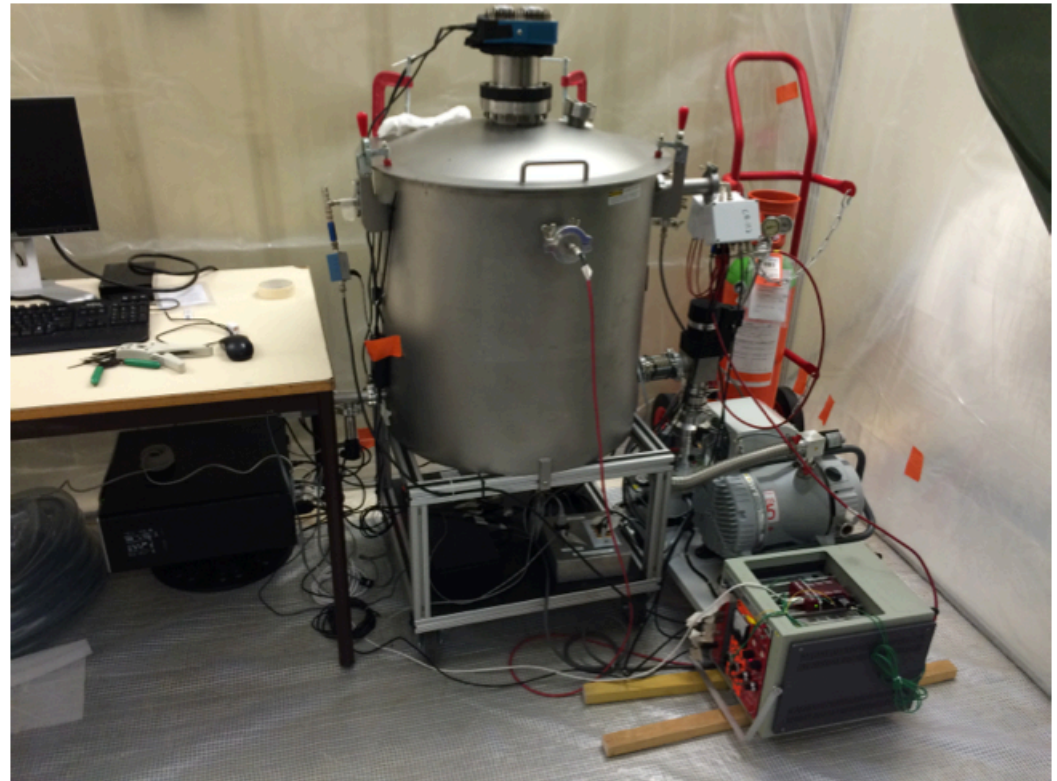


MITPC



Little MITPC

- 2.8L
- 0.2 – 10 MeV nuclear recoil
- 4 months of data at Double Chooz far hall
- Now at MIT for OLIVIA

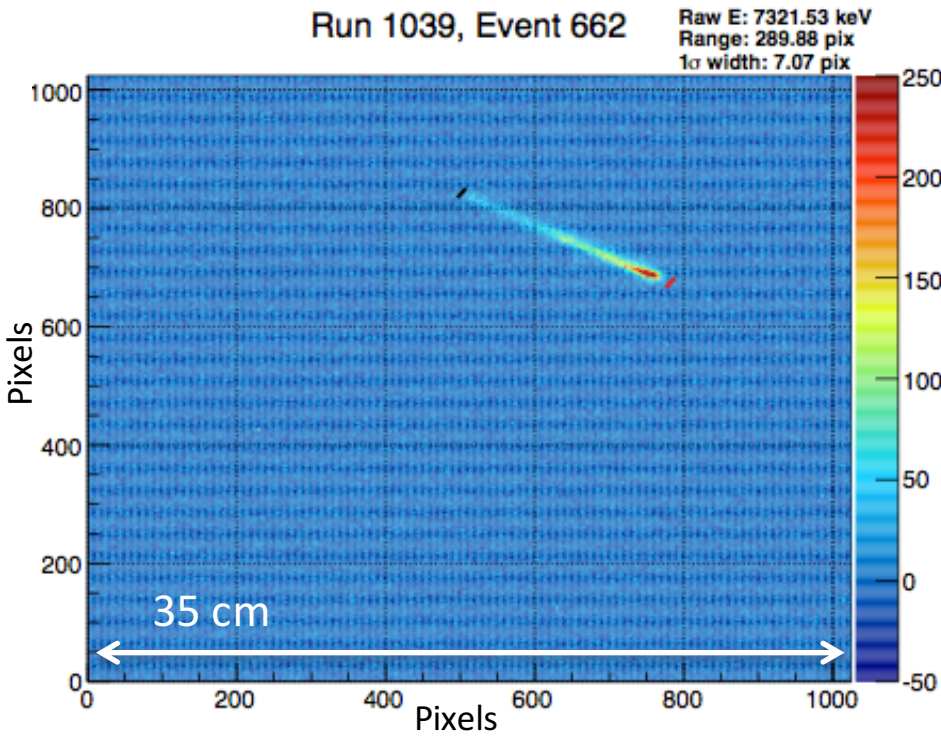


Big MITPC

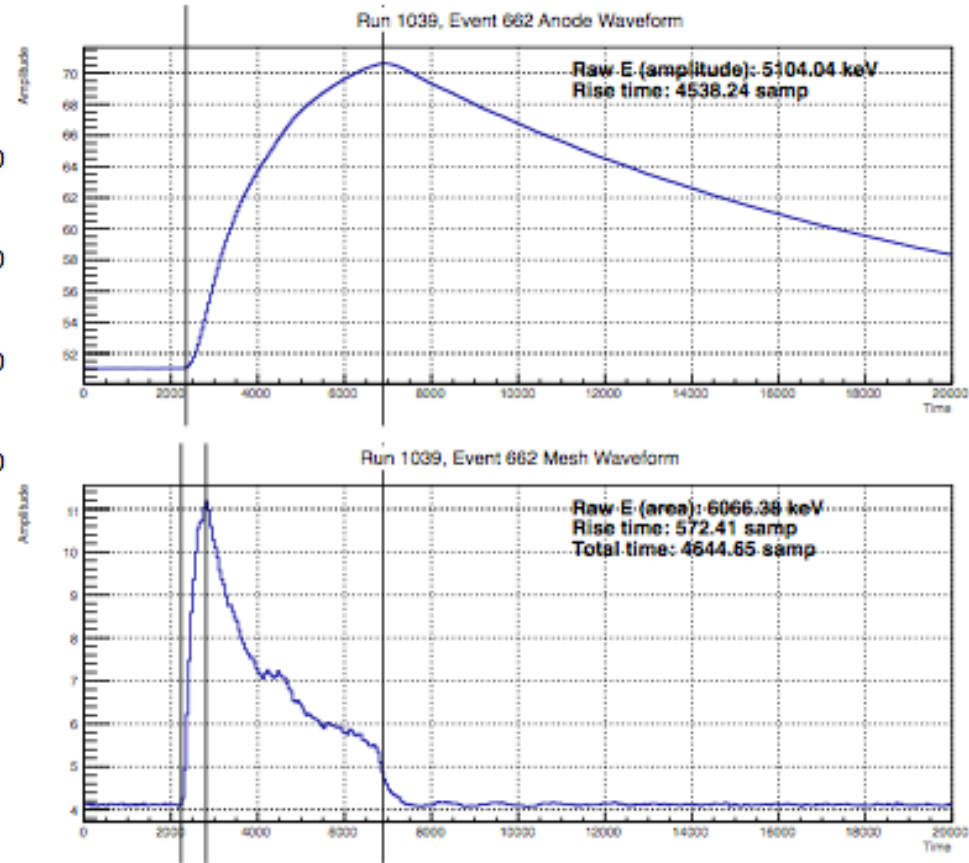
- 60L
- 0.3 – 20 MeV nuclear recoil
- 7 months of data at Double Chooz near hall
- Now taking data at FNAL



Event Readout for Alpha Track



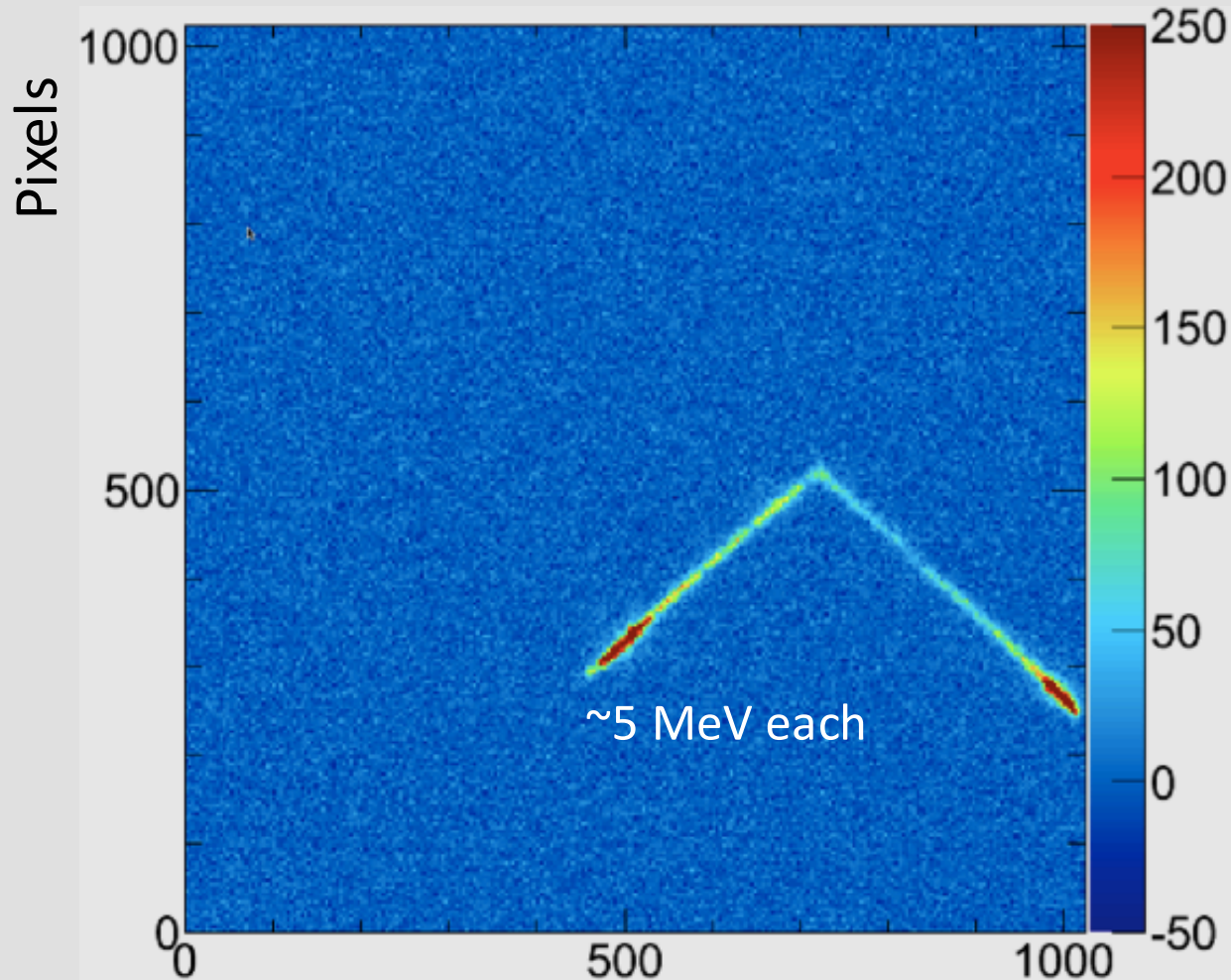
CCD readout



Waveform readouts: anode (top); mesh (bottom)



Two Alpha Event



1024 pixels = 35.3 cm

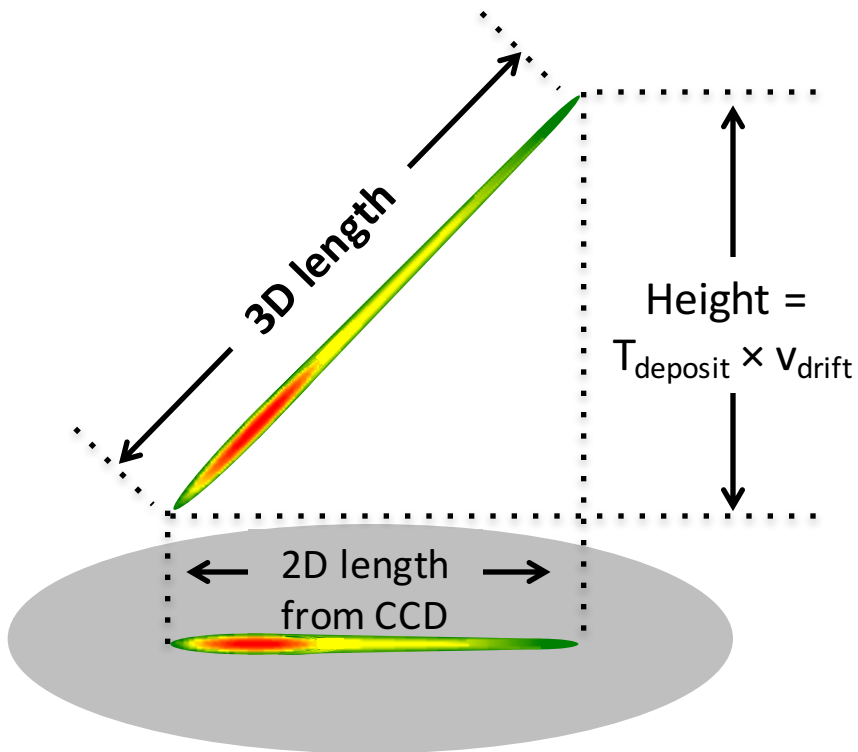
Pixels



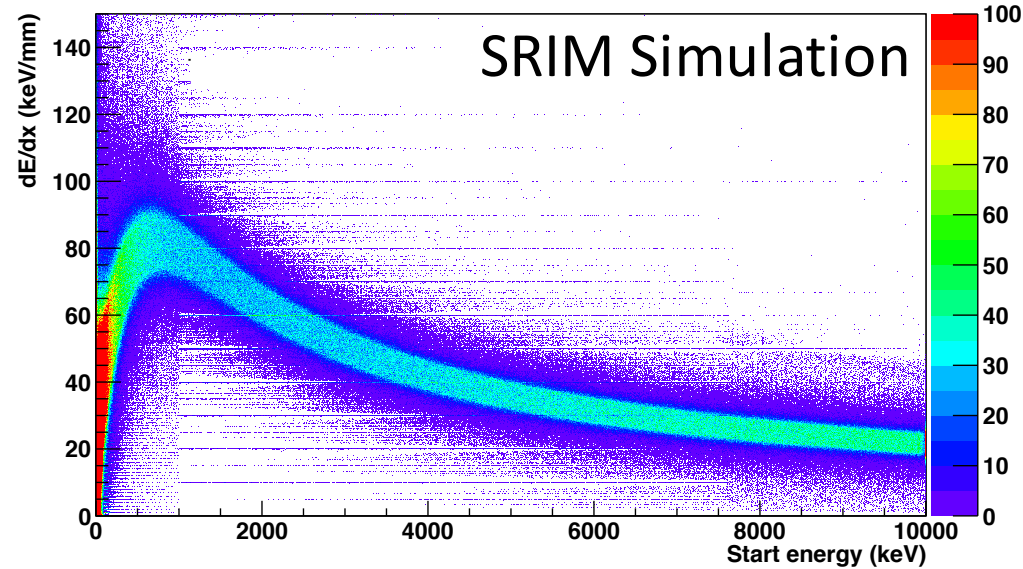
Energy Reconstruction



Energy Reconstruction from
3D track length

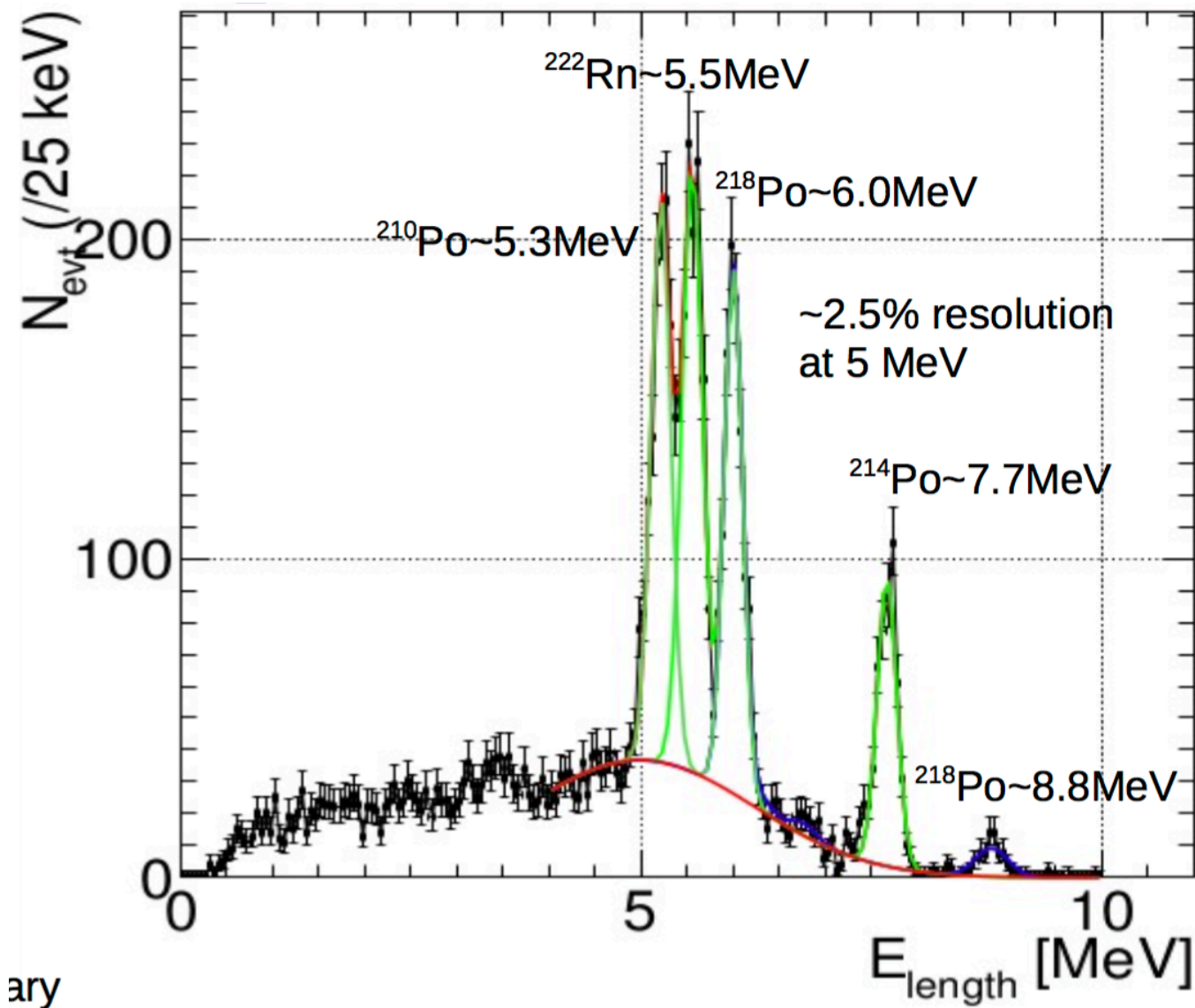


Energy loss of alpha particles in ${}^4\text{He}/\text{CF}_4$





Energy Reconstruction

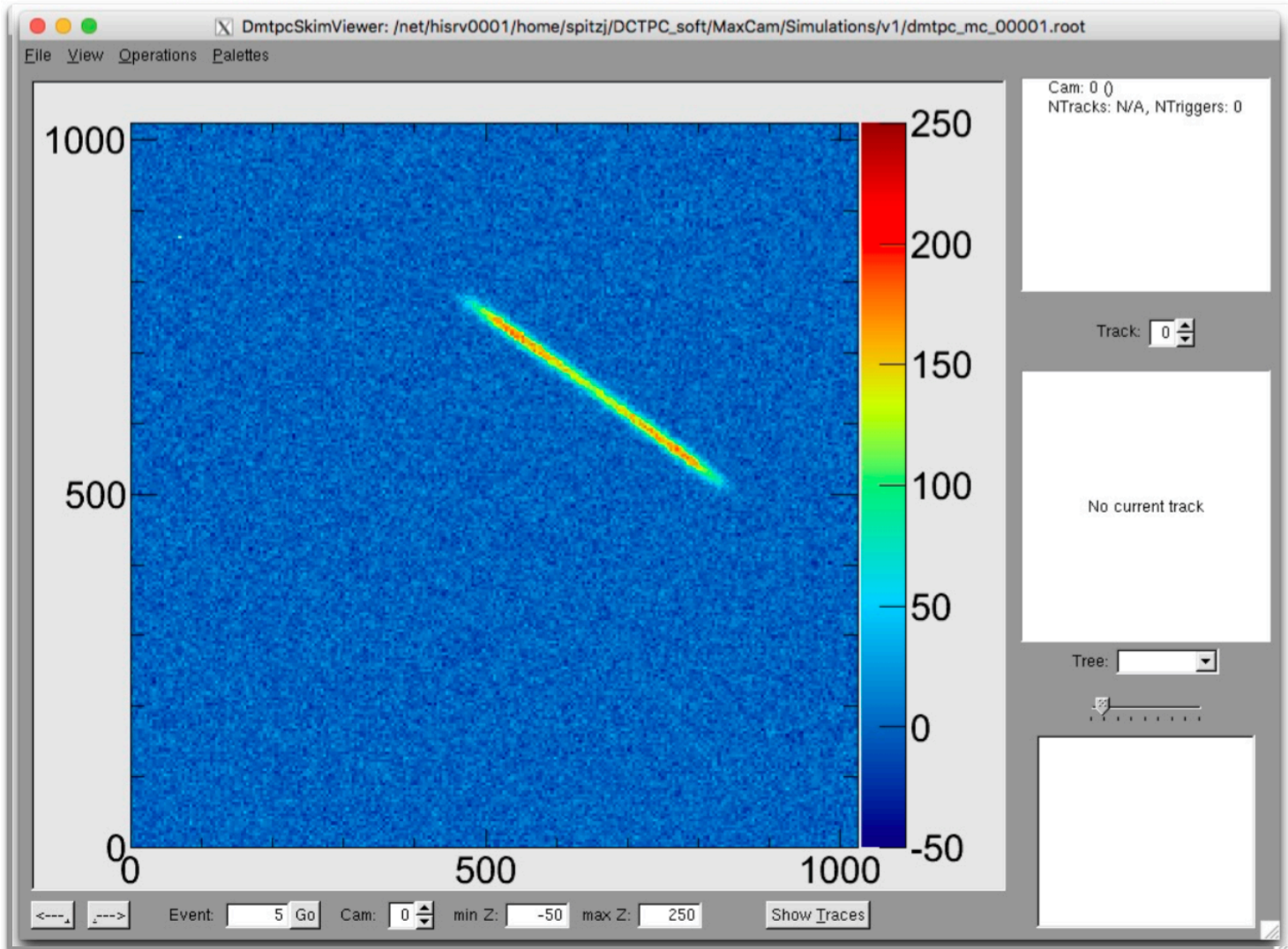




Sensitivity to ^8Li decay Alphas



'Typical' simulated events @ 200 Torr

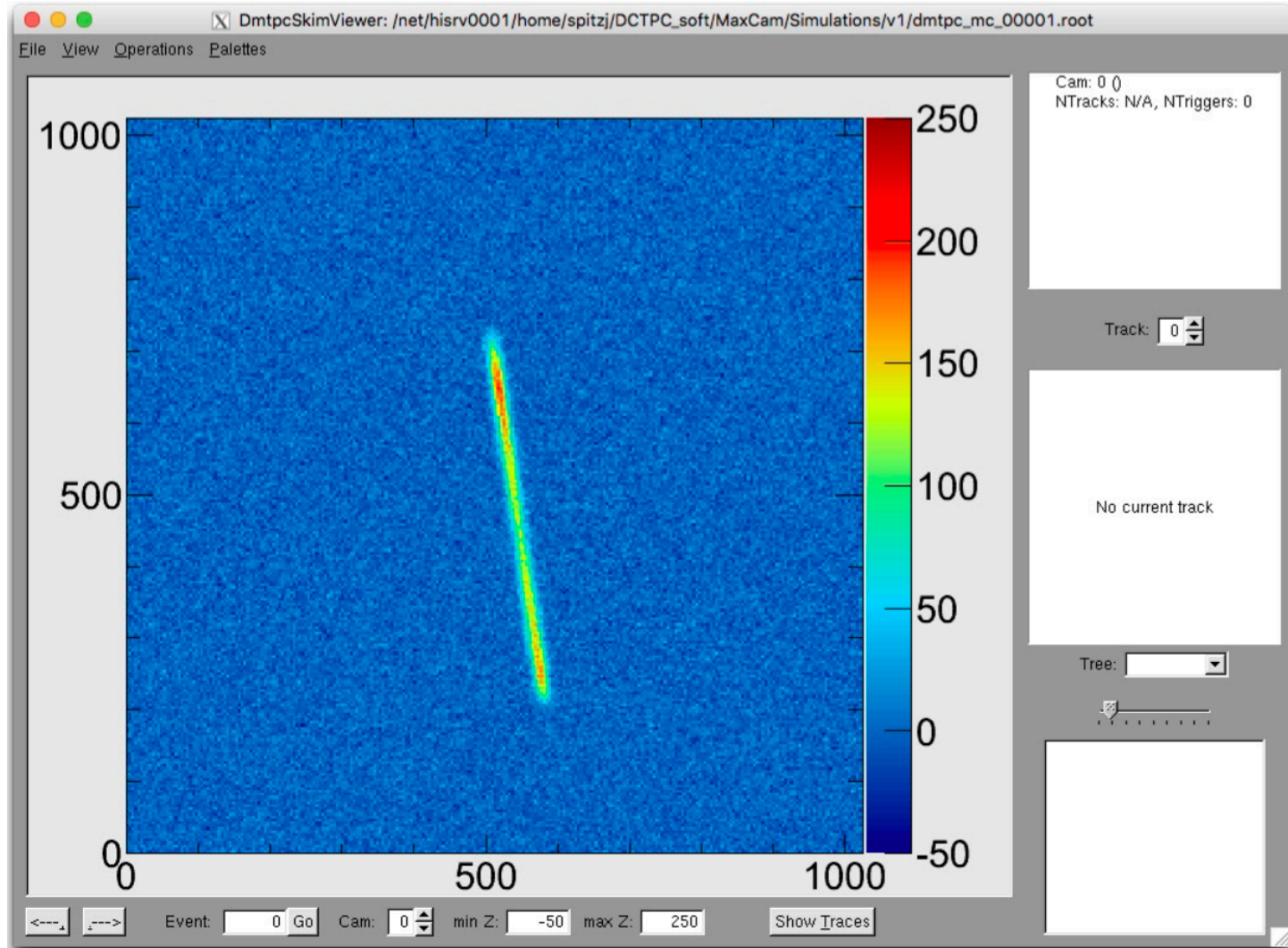




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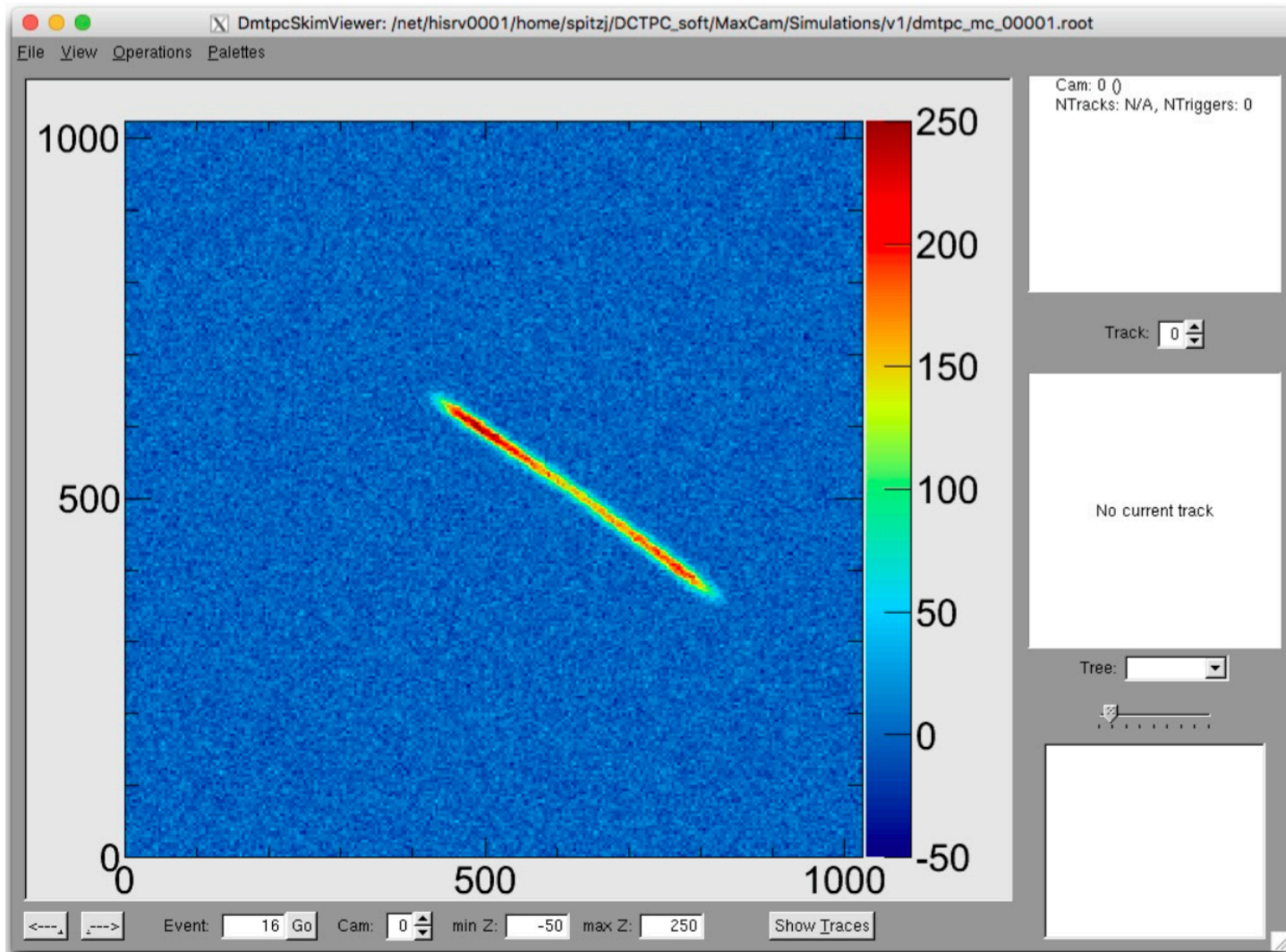




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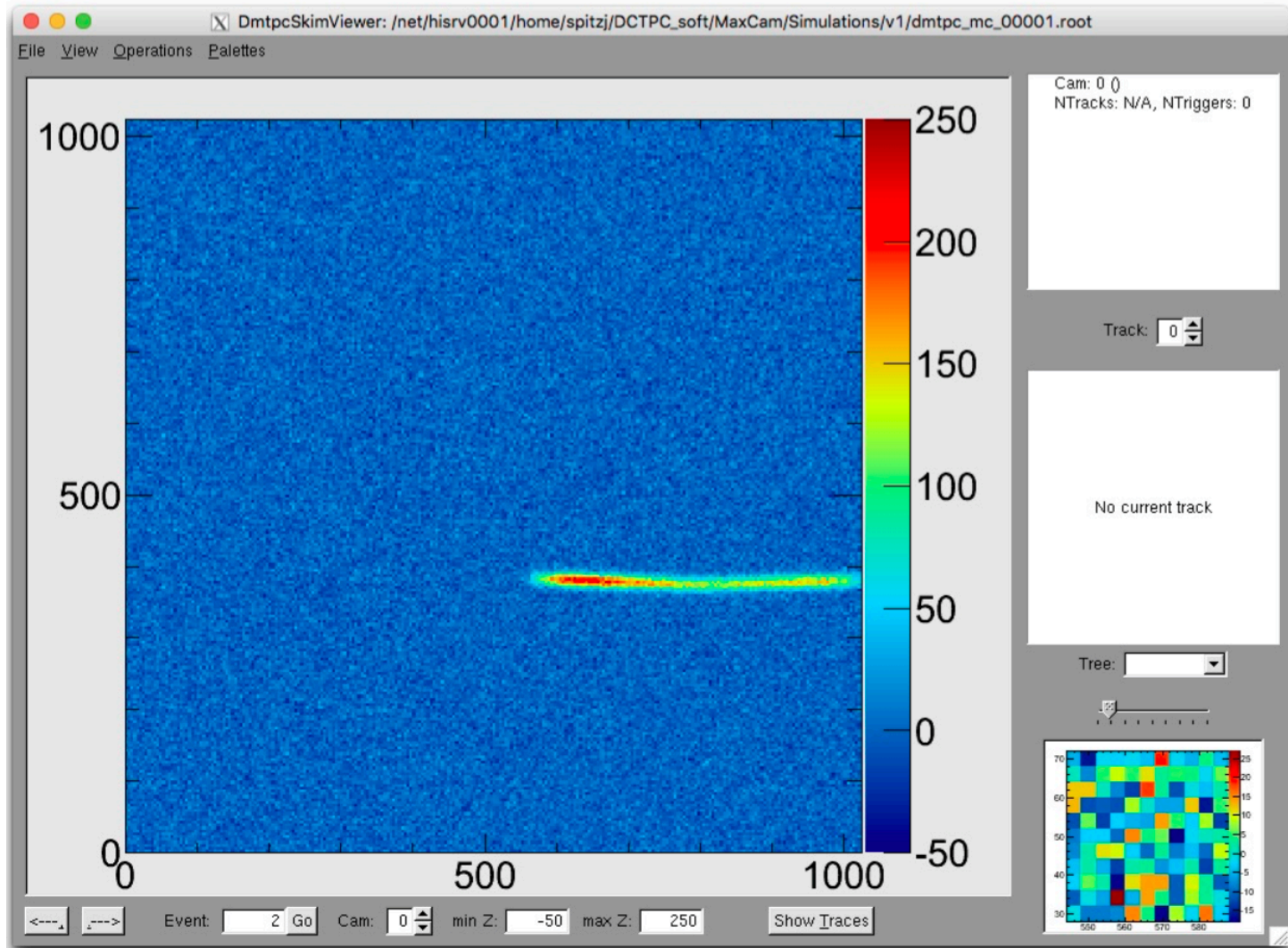




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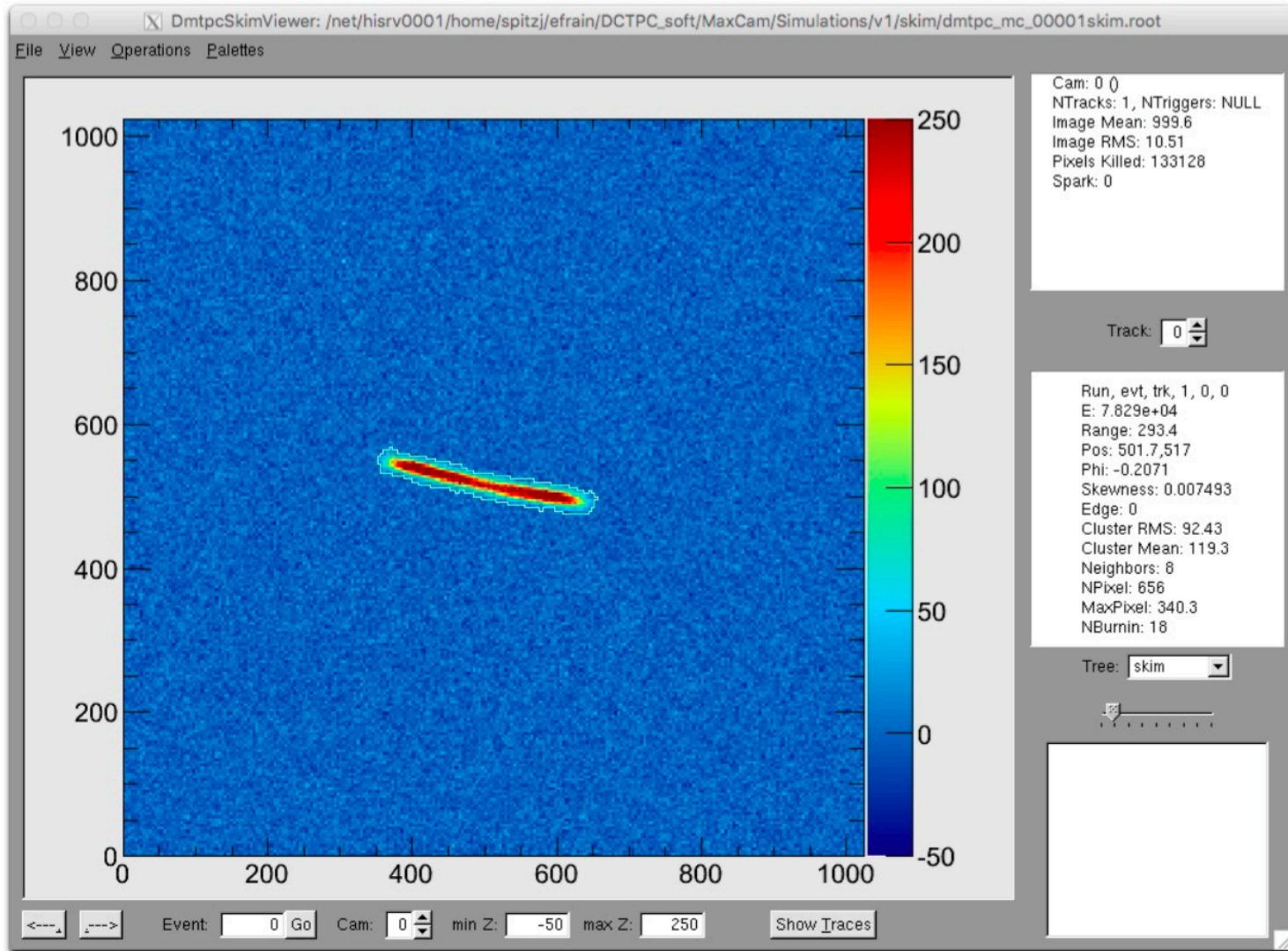




Sensitivity to ^8Li decay Alphas



‘Typical’ simulated events @ 200 Torr





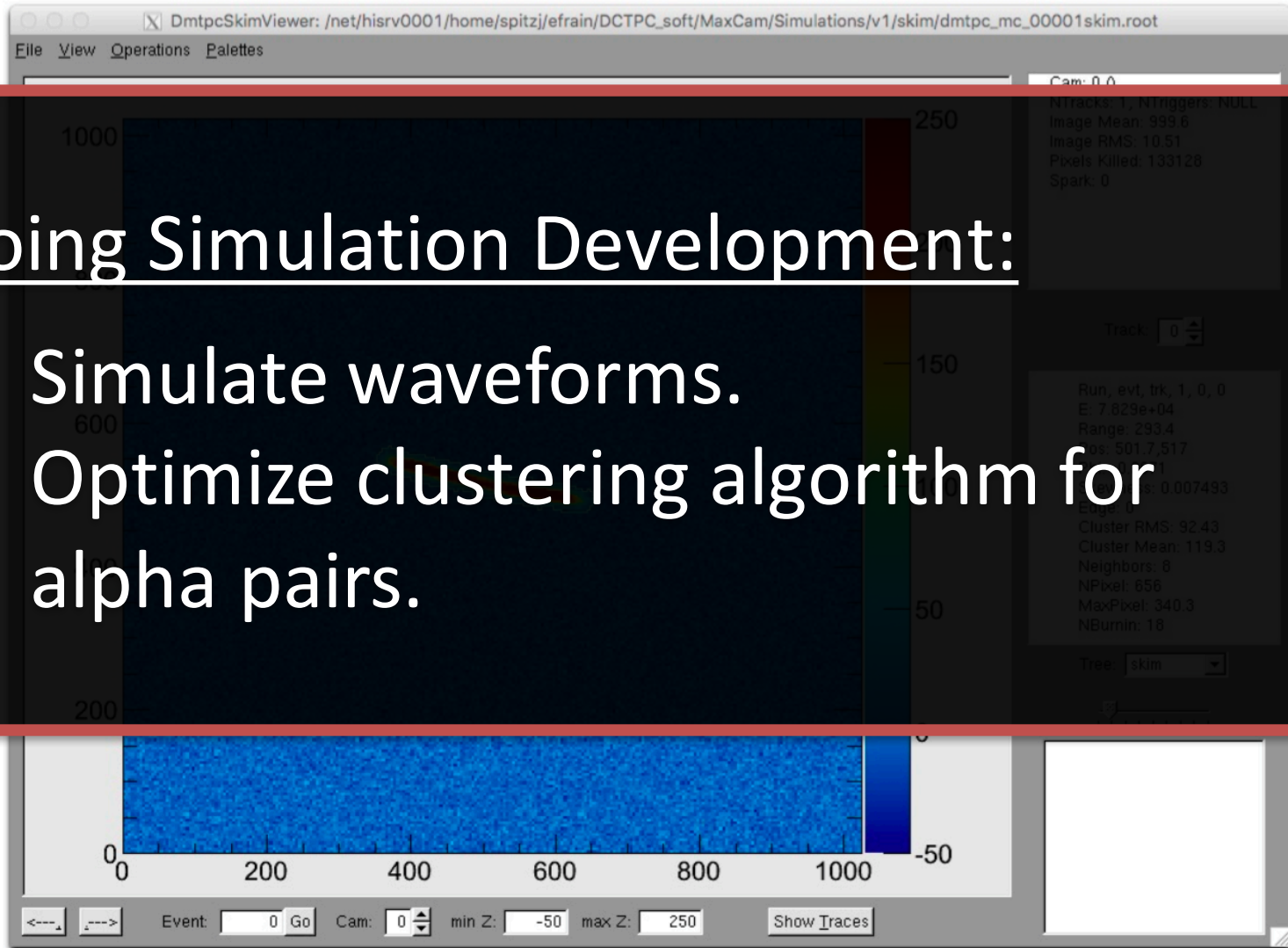
Sensitivity to ^8Li decay Alphas



'Typical' simulated events @ 200 Torr

Ongoing Simulation Development:

- Simulate waveforms.
- Optimize clustering algorithm for alpha pairs.

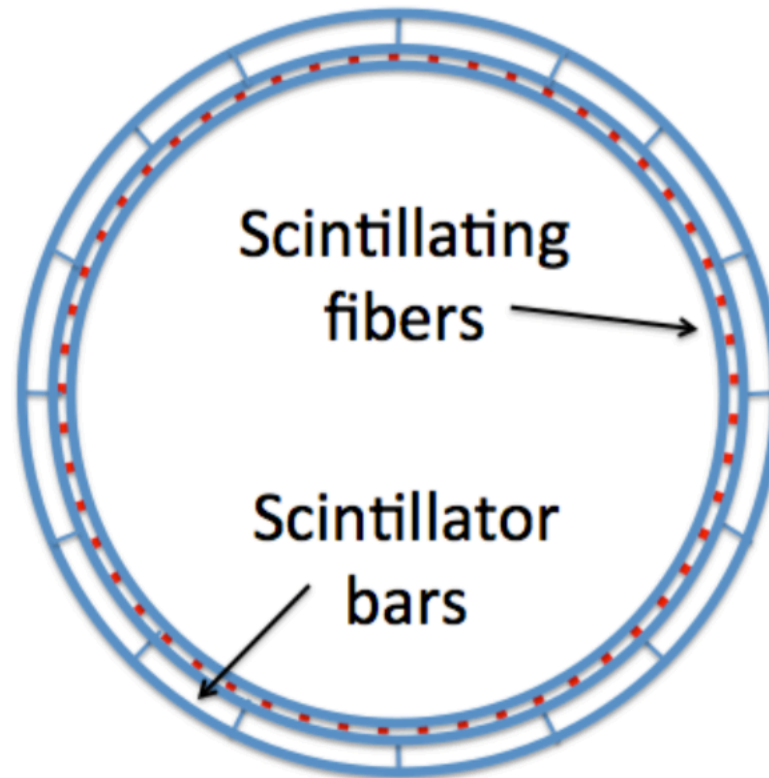




Electron Detection



Adding scintillators to
the side of the field cage:

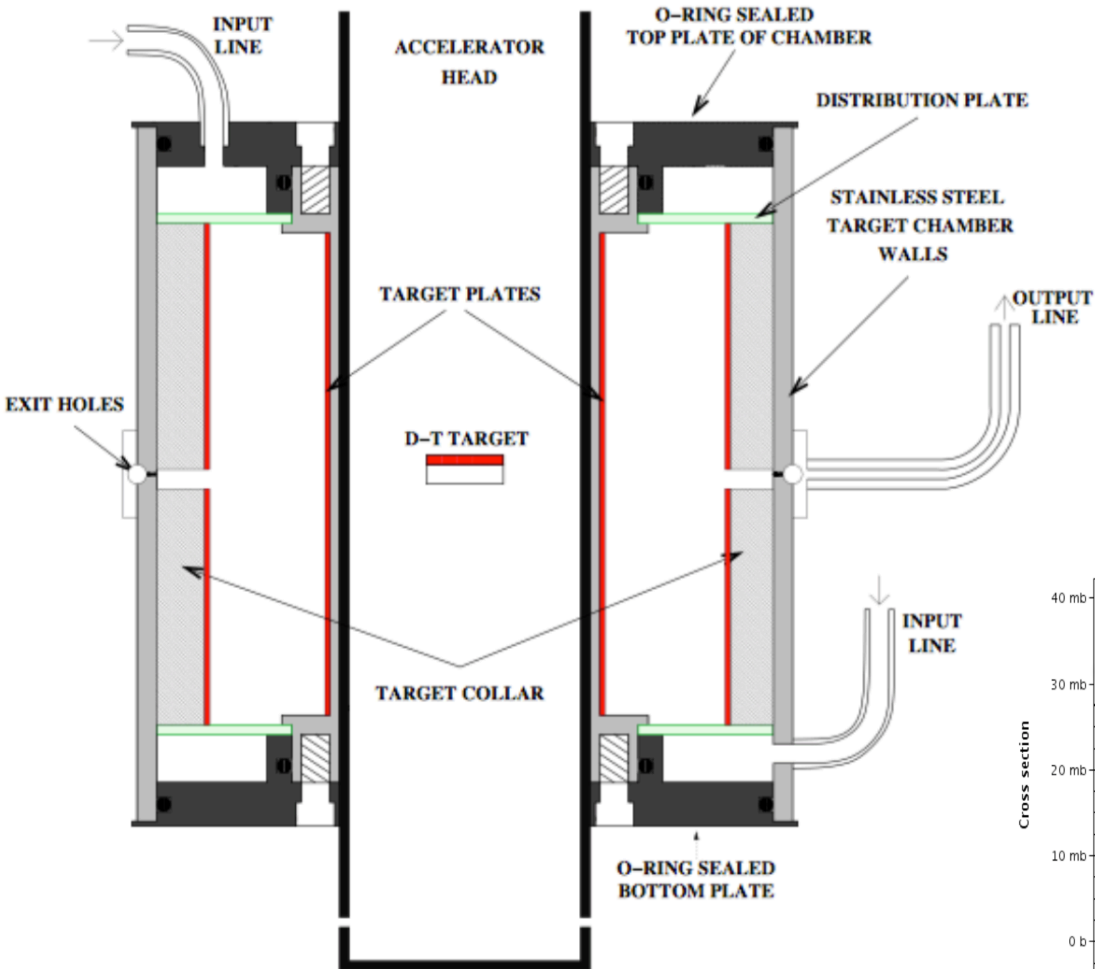




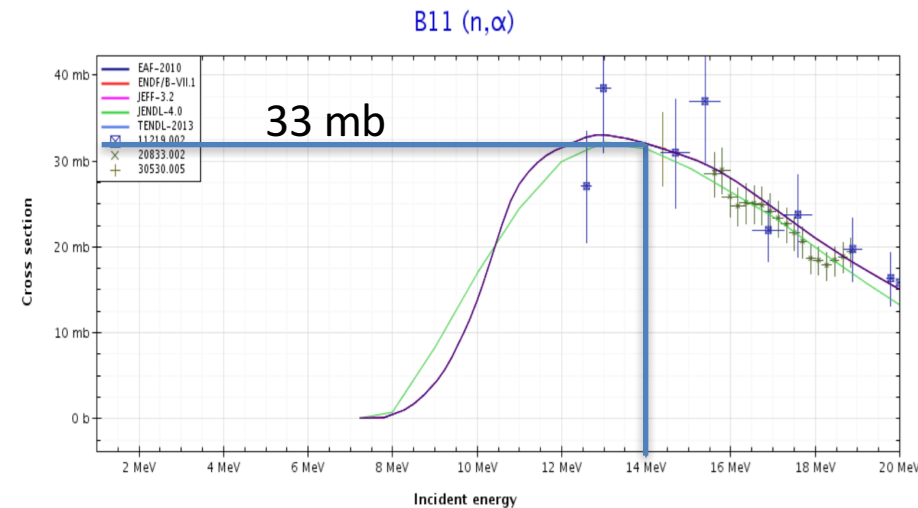
^8Li Production



^8Li Production using a DT generator: $^{11}\text{B}(n,\alpha)^8\text{Li}$



+ Transport ^8Li to the TPC using a gas flow system



Based on the SNO ^8Li calibration system

arXiv: 0202024 (2002)

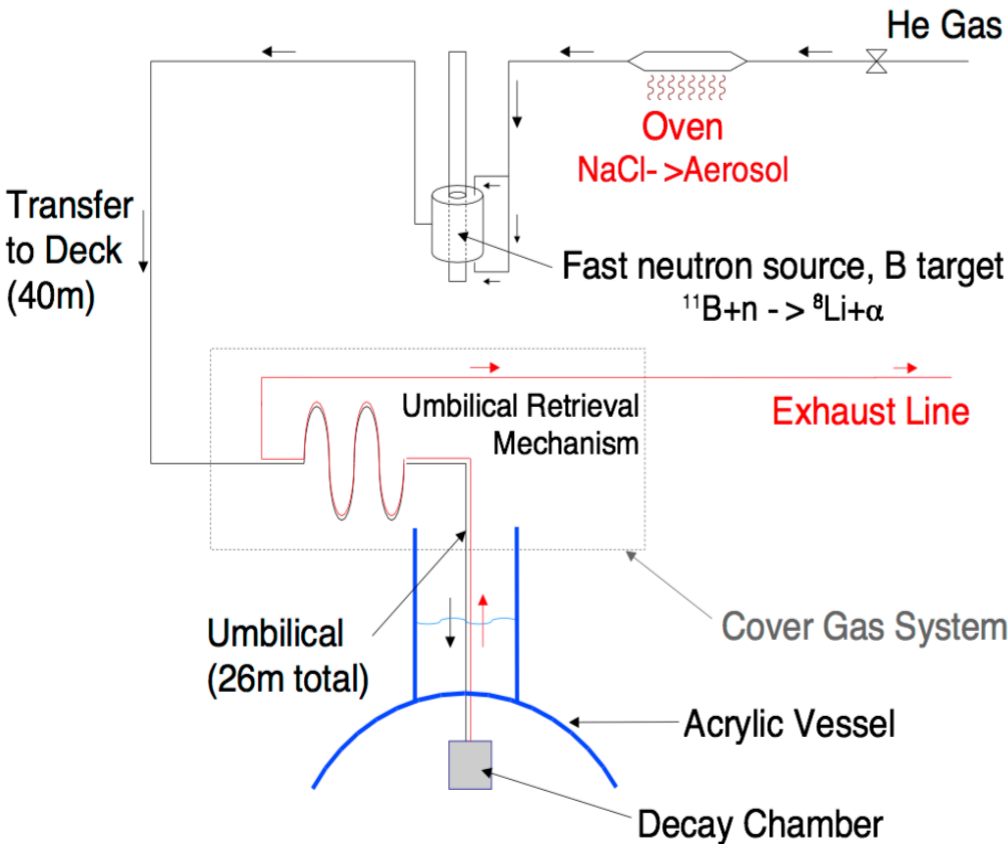




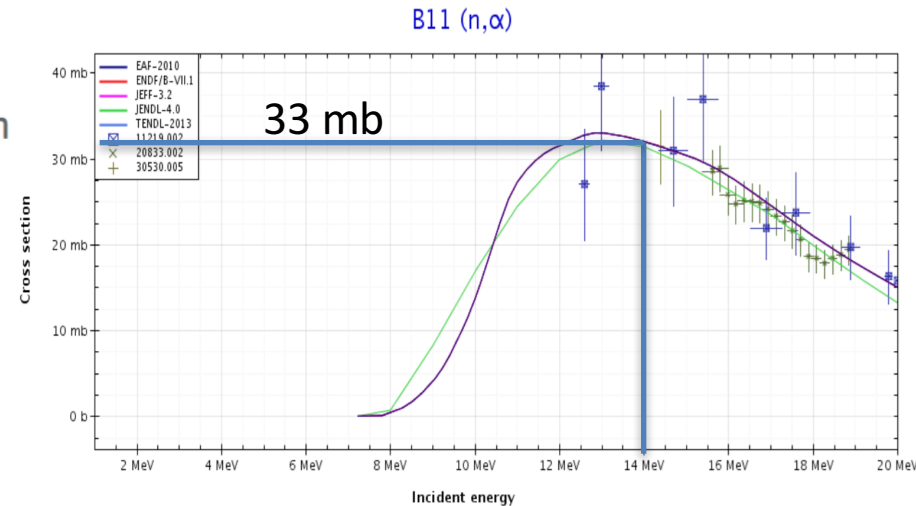
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^8Li Production



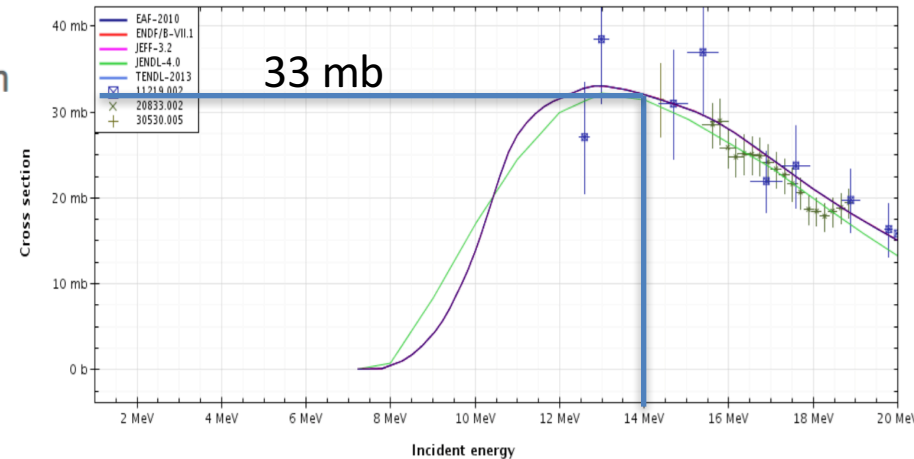
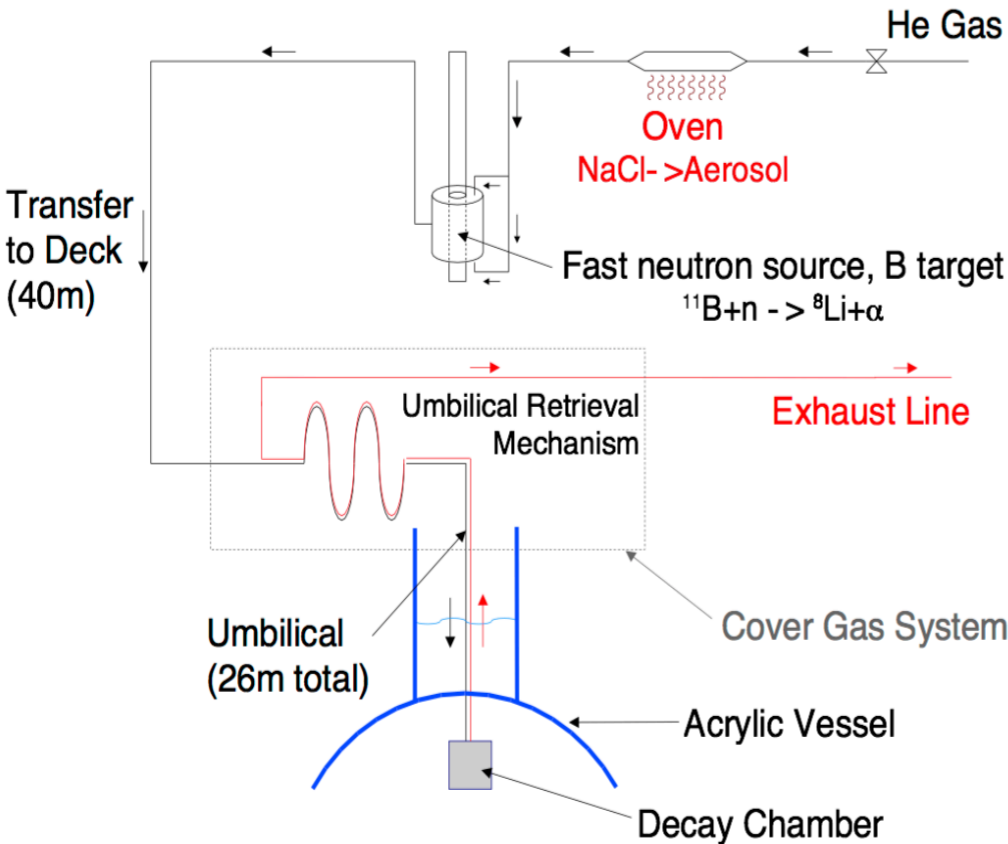
^8Li Production using a DT generator: $^{11}\text{B}(n,\alpha)^8\text{Li}$

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Expected Statistics:

3.6×10^7

B11 (n, α)



Based on the SNO ^8Li calibration system

arXiv: 0202024 (2002)





Resolution Effects



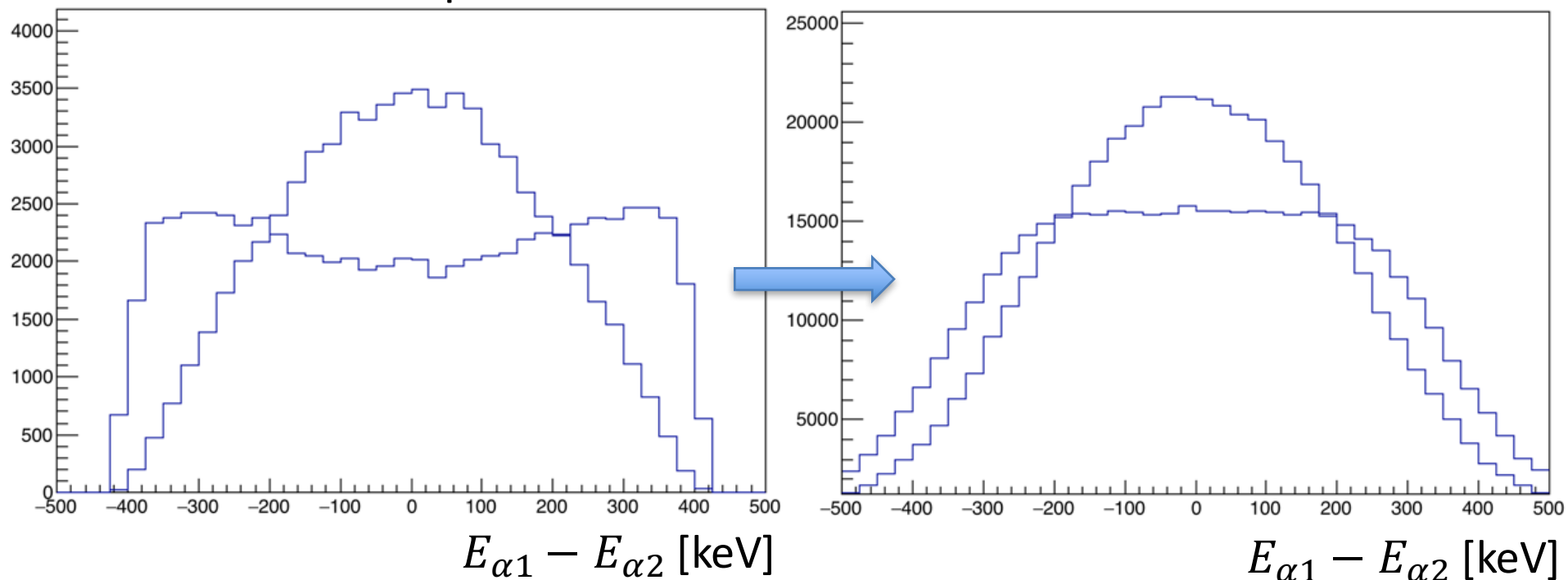
Nominal resolutions:

- 2% - Energy,
- 1° – In-Plane angle,
- 2° – out-of-plane angle.

Energy resolution is the main issue. Can be improved using:

- lower gas pressure
- larger volume TPC
- Better camera

For “back to back” alphas:





Status and Outlook



- MITPC is a great, proven, 3D alpha detector!
- Based on the reported SNO rates we can measure 10^7 decays in 2 - 3 months of data taking.
- Finalizing simulations to optimize the resolutions and extract the expected C_T/C_A sensitivity.
- Initial DT feasibility runs planned for the summer.
- Physics running planned for 2017 (2018).